

18
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261

JOINT INSTITUTE FOR NUCLEAR RESEARCH

Laboratory of Nuclear Problems

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P 261

INVESTIGATION OF THE ENERGY

CHARACTERISTICS OF THE 6 METER SYNHROCYCLOTRON

EXTERNAL PROTON BEAM

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18
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EXTERNAL PROTON BEAM

Объединенный институт
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БИБЛИОТЕКА

Measurements were made of the energy spectrum and the mean energy of the external proton beam of the Joint Institute for Nuclear Research 6 meter synchrocyclotron at various acceleration regimes. The spectrum is described by the Gaussian curve with the dispersion (2.8 ± 0.3) Mev. The mean energy was determined with the accuracy of 0.1%.

Introduction

The intensive proton beam extracted from the Joint Institute for Nuclear Research synchrocyclotron^{I)} made it possible to carry out experiments in which the accuracy of measurements of the particle interaction cross sections could be made equal to some per cent. However, to reach such an accuracy is possible only in the case when the thorough measuring of proton beam energy is made simultaneously with determination of the cross section values. The reason of this is the rapid increase of cross sections with energies especially in the region close to the "threshold" of the investigated reactions. Thus, the cross section of meson production in nucleon-nucleon collisions at the proton energy of 650 Mev is changed as fast as 0.7%/Mev, and at the energy of 350 Mev as 3%/Mev. Because of such rapid increase of the cross sections at the low proton energies it is necessary to have information not only about the mean energy but also about the energy spectrum of a beam. The latter is especially desirable in the case when the decrease of the proton beam energy is reached by slowing down the protons since this is accompanied by the essential increase of the beam energy spread. The purpose of this work was to investigate the energy spectrum of the proton beam at several proton energies in the region of 150 + 670 Mev. Besides, the measurements were made of the mean proton energy at various operation regimes of the accelerator.

2. The energy spectrum of protons

For measuring the proton spectrum the magnet with the pole diameter of 100 cm and the field in a gap of 16000 Oe was used. The magnet was placed on the pass of the external proton beam (see Fig. I) and could deflect it at the angle 20° . A number of brass collimators having a form of vertical slit were placed before the magnet and could form the flat proton beam 0.1 ± 0.7 cm wide and 2 cm high. At the exit of a spectrometer the protons were registered by a detector consisting of thin (0.1 ± 0.2 cm) plastic scintillator, and the photomultiplier FEU-19M placed

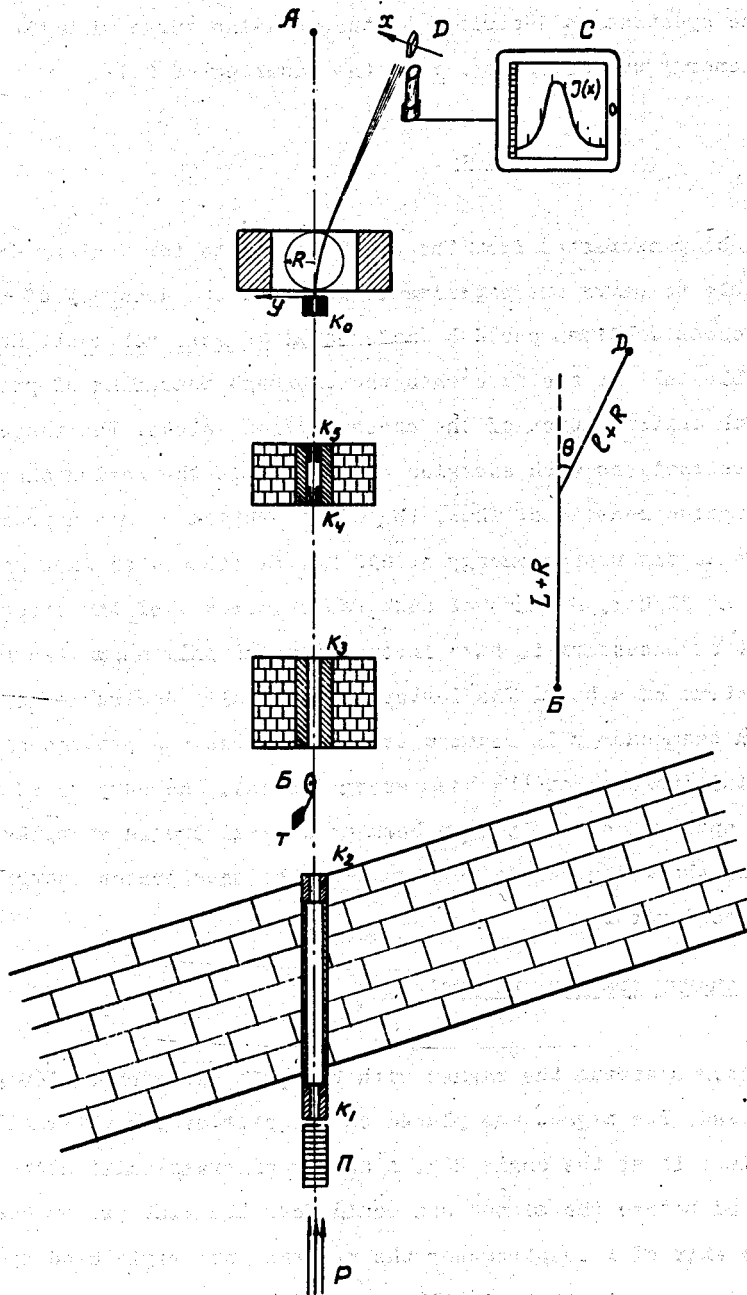


Fig.I. Experimental arrangement

P = the proton beam, Π = polyethelene absorber, $K_0 + K_5$ = collimators,
 D = the proton detector, C = the recording potentiometer, B = the block for stretching the thread.

below it. The output impulses of the photomultiplier were integrated by RC-unit and the current ($10^{-9} + 10^{-7}a$) was measured by recording potentiometer EPPV-5I. With the help of synchronous motor the detector could be moved perpendicularly to the proton beam, and the change of the beam density J with the change of coordinate x (see Fig.I) was registered on the recorder tape. The characteristic curve $J(x)$ is given in Fig.2. Simultaneously the coordinate marks were made on the recorder tape so that the coordinate x could be determined with the accuracy of 0.02 cm. Another detector used in the device and similar to that described above could register the change in the proton beam intensity with time. The whole measuring cycle of a curve $J(x)$ lasted for 5 minutes. During this period the value of the deflecting magnet field changed by no more than 0.05 per cent.

As is seen from Fig.2, the function $J(x)$ is well described by the Gaussian curve. The dispersion of this curve σ is due to several factors: energy spread of a beam, the scattering of protons in the air, collimator width and the scintillator thickness. Each of the factors mentioned above is characterized by the corresponding dispersion σ_i , contributing to the total dispersion σ . Preliminary experiments performed with the differential ionisation chamber²⁾ showed that the mean energy spread of a beam was equal to about 3 Mev. The dispersion $\sigma_E = 0.1(I + 1/R)$ cm corresponds to this value at the maximum current of the spectrometer magnet (R and l are shown in Fig.I). The least dimension of the collimators (d_1) and the scintillator (d_2) in the experiments described was equal to 0.1 cm. As the inequality $d_1, d_2 \ll \sigma_E$ must be fulfilled, the lower limit of l is equal to $2R$. The distance l cannot be also taken too large because the scattering in the air behind the collimator K_0 is growing quickly with increasing l : $\sigma_s' \approx 0.12(1 + 1/2R)^{3/2}$ cm. When l is large the ratio σ_E/σ_s' decreases as $l^{-1/2}$. However, in the interval $l < 10R$ this ratio is practically constant. Thus, l must lie within $2 < l/R < 10$. The distance l was taken equal to 4 meters; this gave the spectrometer resolution $dE/E dx \approx 1\%$ /cm. The ratio σ_E/σ_s' was equal to 0.7. Besides the proton scattering in the air behind the collimator K_0 , one should take into account also the scattering in the air between the collimators. The estimation of the corresponding dispersion σ_s'' (it is proportional to the value $1 + 1/2R$) shows that in our case $\sigma_E/\sigma_s'' = 0.7$. Thus, the scattering in the air makes the main contribution to the total dispersion σ . To decrease σ_s , a thin polyethelene tube filled with helium was placed on the pass of the beam. This helped to weaken the scattering several times.

The energy spectrum of protons can be found by comparing curves $J(x)$ measured with the magnetic field $/J_H(x)/$ and without it $/J_0(x)/$. In order to measure $J_0(x)$ the detector was moved to the point A (see Fig.I). Dispersion σ_E was determined as a difference $(\sigma_H^2 - \sigma_0^2)^{1/2}$, where σ_H and σ_0 are the dispersion of the functions $J_H(x)$ and $J_0(x)$. In

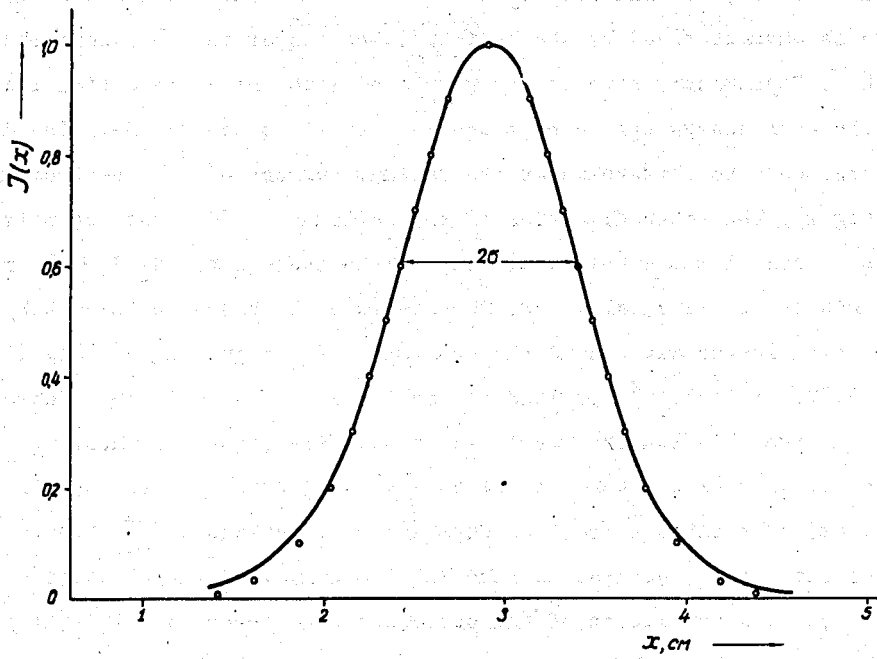


Fig.2. The measured dependence $J(x)$ (solid curve). The circles indicate the Gaussian functions with the standard σ .

experiments carried out with no helium tube the ratio σ_E/σ_0 was equal to 0.5. The value of the mean energy spread of the beam in this case was determined with the accuracy ≈ 0.6 Mev, but of the form of the energy spectrum it was impossible to say something definite. The application of helium increased the ratio σ_E/σ_0 by a factor of 2.5; this made it possible to determine rather accurately both the dispersion σ_E and the form of the spectrum. The function $F(x)$ describing the spectrum can be found by solving the relation:

$$J_H(x) = \int_0^{\infty} J_0(x-\xi) F(\xi) d\xi. \quad (1)$$

The energy spectrum of the beam protons was found to be symmetrical. It is well described by the Gaussian curve:

$$\Phi(E) \sim \exp \left\{ -(E-\bar{E})^2 / 2\Delta_E^2 \right\} \quad (2)$$

At the proton energy $\bar{E} = 665$ Mev, the value Δ_E is found to be equal to (3.0 ± 0.6) Mev. (measurements performed without helium) and (2.7 ± 0.3) Mev (with helium). The weighed mean is equal to

$$\Delta_E = (2.8 \pm 0.3) \text{ Mev.}$$

The spectrometer calibration (that is, determination of \bar{E} and dE/dx) was made by the method of current carrying thread (see below).

Dispersion value Δ_E found in this work differs from the estimation $\Delta_E \approx 4$ Mev obtained in³⁾ by the ionization chamber method⁴⁾. The reason of this divergence (as shown in²⁾) is the increase of Δ_E in the work⁴⁾, the authors of which did not take into account the effect of proton scattering.

The above method was used to measure proton spectra at lower energies as well, when the beam passing through polyethelene absorber was slowed down (see Fig.I). When the proton energy decreases the energy spread of the beam grows due to the increase of the ionisation losses and the dispersion of the "stragglings" type, arising because of fluctuations of ionisation losses. Therefore the relative dispersion Δ_E/E is growing very quickly with the proton slowing down; this makes the performents of measurements easier. So, at $\bar{E} = 185$ Mev helium is not applied already and wide collimators (0.7 cm) should be used ^{since} even in this case $\sigma_E/\sigma_0 = 2.5$. The functions $J_H(x)$ and $J_0(x)$ measured at low proton energy are in a good agreement with the Gaussian curve. From this follows that the proton spectra $\Phi(E)$ at low energies has the form of the Gaussian curve (2). At the same time this confirms the above conclusion that the spectrum of unmoderated beam is described by the Gaussian curve.

Dispersions Δ_E measured by means of the spectrometer are given in Fig.3. The data on the relative change of Δ_E with energy obtained by means of the chamber described in²⁾ are also shown in Fig.3. The results of the experiments agree with the theoretical dependence calculated

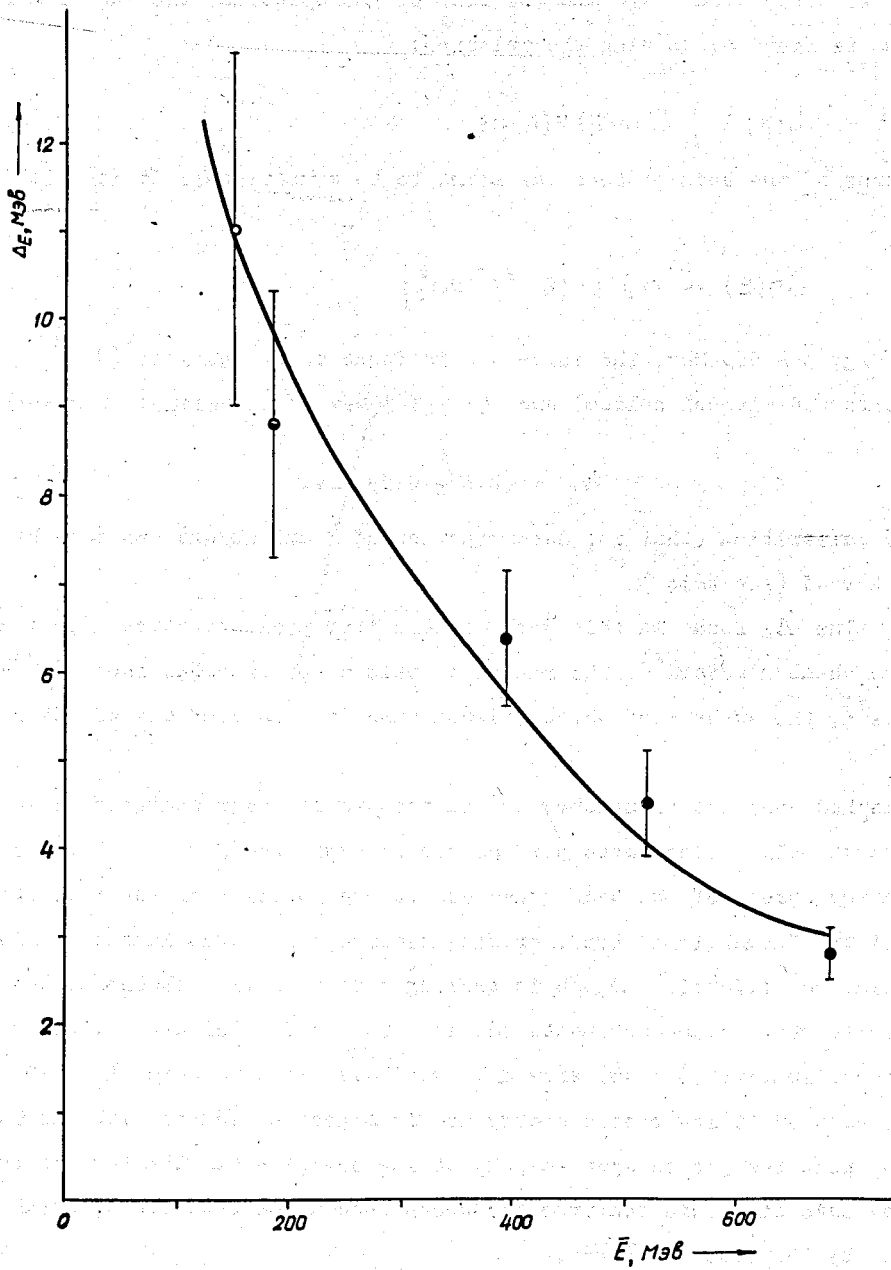


Fig.3. Dispersion of the beam ΔE at different proton energies \bar{E} . \odot is measured by a spectrometer, \circ is measured by means of the differential ionization chamber. The solid curve represents the theoretical energy dependence of dispersion.

by taking into account the increase of ionization losses and the dispersion of the "straggling" type.

3. Mean proton energy

The most popular method for determining the mean energy of the external beam is the measurement of the proton range by means of ionization chamber⁴⁾. However, this method in a form described in⁴⁾ leads to systematic error (2 + 3 Mev for $\bar{E} \approx 650$ Mev) due to the fact that in treating the Bragg curve the proton scattering is not taken into account. This error can be removed by the proper correction, but even in this case the ionization chamber method cannot give the energy measurement accuracy better than 5 Mev at $\bar{E} \approx 650$ Mev as the ionization potential included into the "range-energy" relation is not known well.

The method of measurement of the Čerenkov radiation angle^{4,3)} makes it possible to determine directly the velocity and energy of protons. This method is the most accurate at small proton energies. Its accuracy decreases with increasing energy and at $\bar{E} \approx 650$ Mev it is equal to 2 Mev. The optical device for measuring the Čerenkov radiation angle is complicated one and this prevents the method from wide practical application.

To measure the mean proton energy we used the method of current carrying thread⁵⁾. It is described in detail in⁶⁾ and in this work we only discuss briefly some questions on the application of this method for measuring the proton energy with accuracy better than 1 Mev at $\bar{E} \approx 650$ Mev. The scheme of measurements is given in Fig. I. The thin flexible wire-thread is fixed with its one end in the center of the detector (in front of the scintillator) and passes through the magnet and collimators following the direction of the proton beam. In B the block is placed to stretch the thread with the help of the load T. The current i passes through the thread. If T , i and mean momentum of the proton beam P satisfy the relation

$$P = \frac{cT}{i} \quad (3)$$

where c is the velocity of light, g is the acceleration of gravity^{*}), the horizontal projection of the thread and that of the beam coincide. Placing the detector so that the scintillator should be in the maximum of the curve $J(x)$, matching together the thread and the center of the collimator K_0 slit, and measuring the current i we can find the value P with great accuracy.

The relation (3) is valid if the thread is absolutely flexible and weightless. As the real thread is elastic a momentum appears opposing the magnetic-electrical forces. The momentum calculated by the formula (3) differs from the real one by

$$5 \times 10^3 \frac{\text{Pd}^4}{T} \quad (4)$$

(for copper wire).

* g in the latitude of Dubna is equal to 2.9426, T being measured in grams, i in amperes, and P in Mev/c.

Here d is the diameter of the thread in cm. The sign of this correction is determined by the direction of the thread motion to the equilibrium position, and as the thread oscillates slightly with respect to equilibrium position due to the accidental changings of current and magnetic field, the factor (4) plays the role of accidental error and must be included into the total error of a single measurement of the impulse P . The error (4) decreases by the factors 2 or 3 if before measuring the wire is annealed by passing the high current through it.

Besides the error (4) one must take into account also the sagging of the thread under its own weight which is characterized by the factor

$$d^2 l_0^2 / T \quad (5)$$

Here l_0 is the length of the thread. The thread is placed therefore below the beam trajectory. This is essential if the magnetic field is inhomogeneous. The corresponding correction can be determined experimentally by moving the thread up and down. In our case this correction did not exceed 0.05%.

From (5) follows that the thread length l_0 must be chosen as small as possible. However the accuracy of measurements decreases with decreasing the thread length since

$$\Delta y / \Delta P \approx L(1_0 - L - R) \sin \theta / P l_0 \quad (6)$$

(see Fig.1). The minimum length l_0 is determined by the accuracy Δy_{\min} with which the thread can be fixed in the center of the collimator K_0 slit. In our case $l_0 = 16$ m, $L = 9$ m and $\Delta y_{\min} = 0.03$ cm. The thread is mounted automatically in the center of the slit by means of the contact device. The error $\Delta P/P$ determined by the ratio (6) is equal to 0.03%.

As is seen from (4,5) corrections decreases quickly with decreasing the thread diameter. So, the correction (4) measured at $T = 100$ g and $d = 0.01$ cm turned out to be 0.4% (for $P = 1300$ Mev/c) and at $d = 0.013$ cm the correction is equal to 1.0% (copper wire). To use the wire less than 0.005 cm in diameter and the length $l_0 \approx 10$ m is practically very difficult. The further decrease of corrections (4,5) can be reached only at the expence of decreasing the load weight T . Simultaneously, it is necessary to increase the current i in accordance with the relation (3). The values T and i are limited by the mechanical strength of the wire. Fig.4 gives the current i as a function of the load T at which the wire cuts off. For copper wire the border of the area of the admissible values T and i is described roughly by the circle (see Fig.4):

$$(T/d^2 \times 10^4)^2 + (i/d \times 10)^2 = 2^2 \quad (7)$$

which could be used in choosing the optimum values T , i and d (T is measured in grams, i in amperes and d in millimeters).

In the present work the measurements were carried out at $d = 0.01$ cm., $T = 100$ g. The current i changed within $0.2 + 1.0$ a. T and i were measured with the accuracy better than 0.05%; this made it possible to determine the mean energy of the beam E with the error less than 1 Mev:

$$\bar{E} = (667.1 \pm 0.7) \text{ Mev}$$

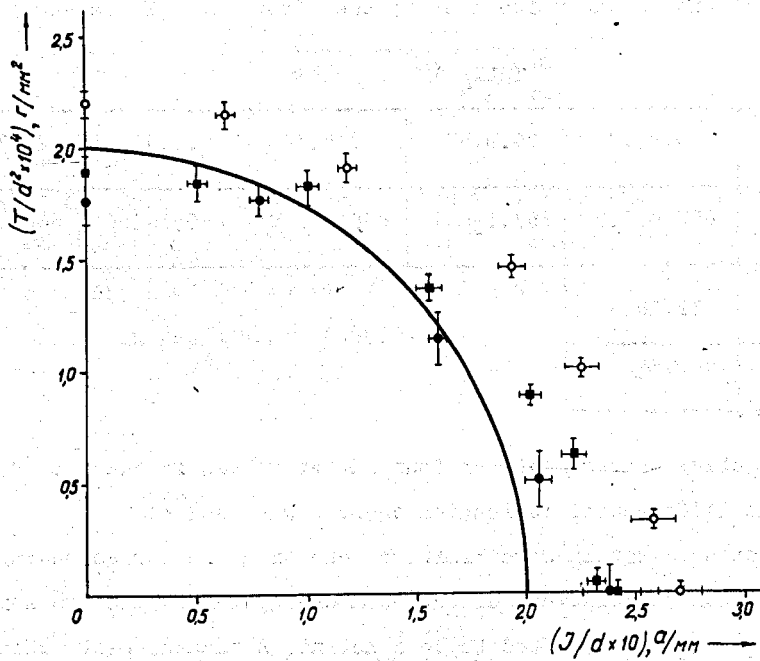


Fig.4. The maximum current passing through the thread 1 as a function of the load T causing the cut off of the thread. $\Phi, \bar{\Phi}, \bar{\bar{\Phi}}$ are measured for a copper wire 0.0063, 0.0099 and 0.0155 cm in diameter, respectively. The solid curve represents the circle (7).

(at the exit of the accelerator chamber).

The indicated accuracy of measurements can be reached within the limited energy regions of protons ($E > 250$ Mev). At lower energies one has to use the small load T, to pass high current through the thread and use the thick wire; this reduces the accuracy of measurements.

4. The beam energy at various regimes of proton acceleration

The value of the mean energy of the beam \bar{E} depends upon the accelerator magnetic field, the character of the spectra of the radial oscillation amplitudes, and the conditions of the beam extraction, that is, it is the function of a large number of parameters characterizing the operation of the accelerator. Due to this fact the beam energy is not constant and changes within small limits because of uncontrolled changes of the number of the accelerator's parameters. These fluctuations of the value E as is seen from Table I are equal to some Mev.

Table I

Data of measurements	5.7.57	3.8.57	20.8.57	3.5.58	5.6.58	29.7.58	
E Mev	671.0 \pm 1.5	667.8 \pm 1.0	667.1 \pm 0.7	658.8 \pm 1.0	669.3 \pm 1.0	666.3 \pm 1.0	
Data of measurements	20.8.58	12.10.58					
E Mev	665.3 \pm 1.0	663.2 \pm 1.0					

The error of the relative measurements of four latter values is equal to 0.5 Mev (in relative measurements the differential ionization chamber was used²⁾).

The value \bar{E} can be changed within some limits by choosing the corresponding acceleration regime. The necessity of such "regulation" of the beam energy takes place in some experiments in which the proton beam energy is required to be constant. As measurements showed (see Fig.5) the energy \bar{E} depends essentially upon the accelerator magnetic field. The "regulation" of the value \bar{E} within small limits can be reached also by changing the conditions of the beam extraction. (see Fig.6). The application of the indicated methods makes it possible to increase the proton energy up to the value

$$\bar{E}_{\max} = 683 \text{ Mev}$$

Here the intensity of the external proton beam reduces by the factor of 10^3 .

As it was previously pointed out the measurements of the proton energy are especially important if in experiments the slowing down of protons is used (this method is widely spread

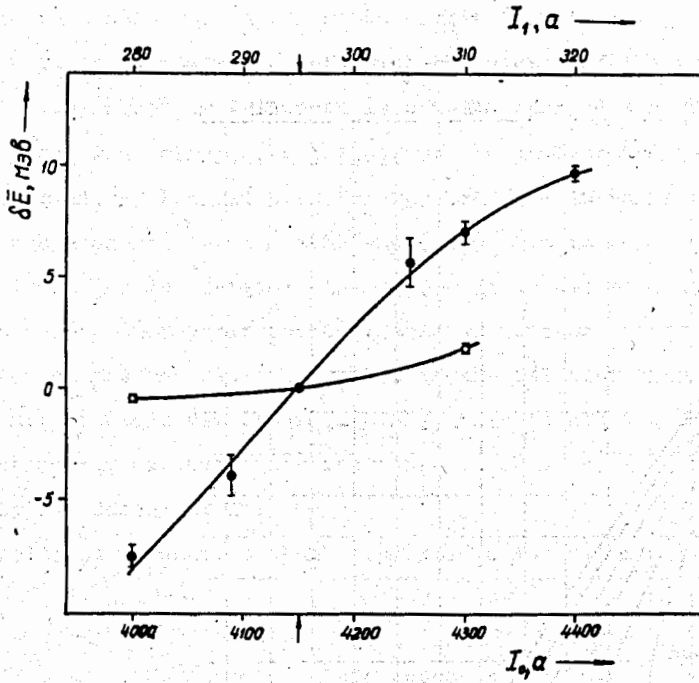


Fig.5. The changing of the mean energy of the proton beam with the change of the accelerator magnet current $I_0(\Phi)$, and current I_1 passing through the winding, correcting the position of the median plane of the magnetic field (Φ). Arrows indicate I_0 and I_1 in the usual working regime.

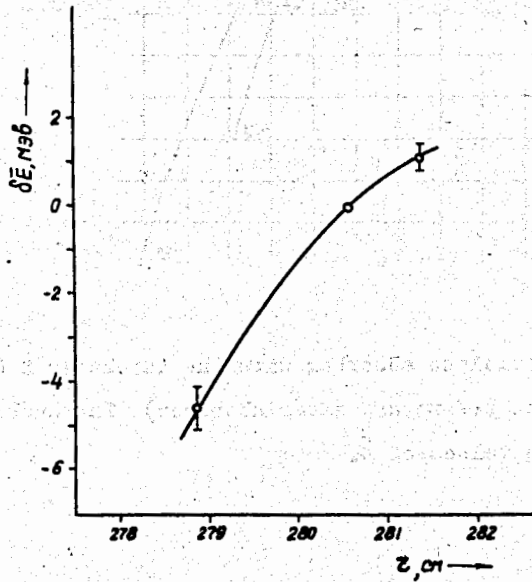


Fig.6. The changing of the mean proton beam energy with the change of regenerator position z (the part of the device for the beam extraction^{I/}).

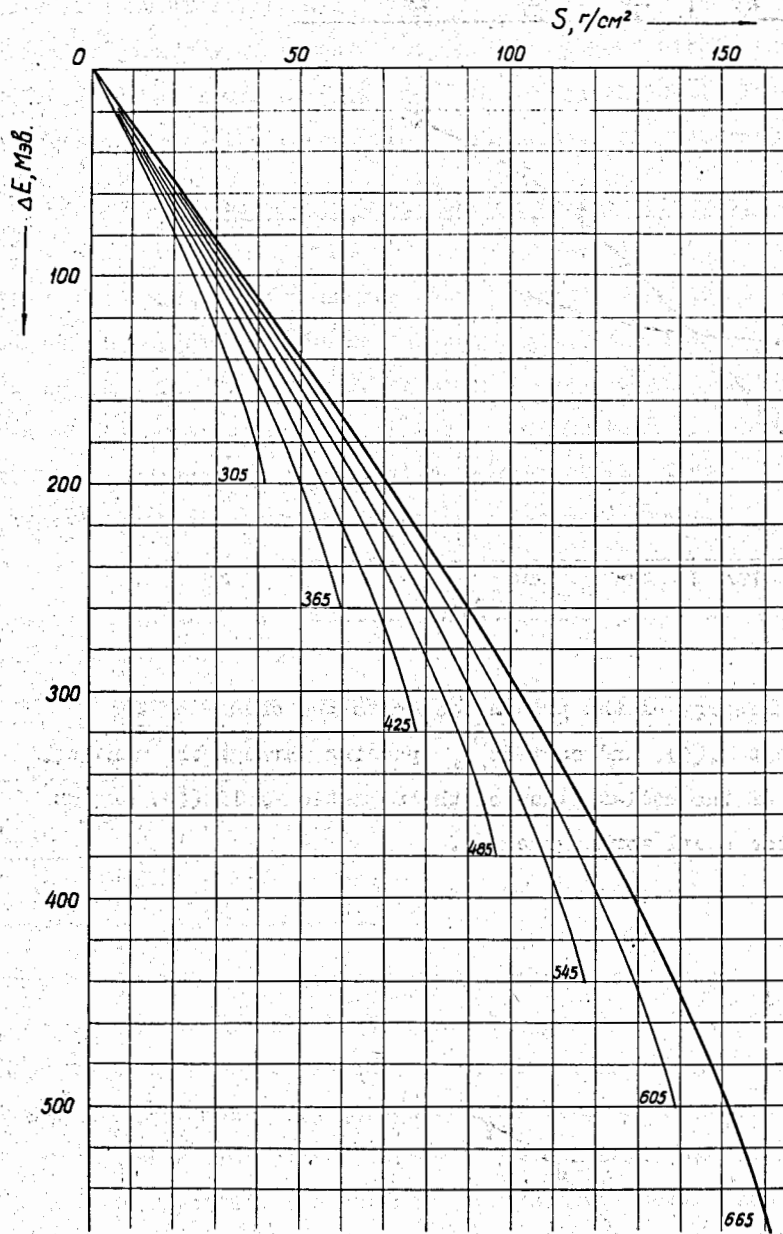


Fig.7. The energy loss $\Delta E = \bar{E} - \bar{E}'$ in polyethelene absorber with the thickness S (Here \bar{E} and \bar{E}' are the proton beam energies before and after absorber). The numbers of the curves show the corresponding values of \bar{E} .

and was used in a number of experiments carried out in laboratories of different countries). In this case it is necessary to determine the energy of the moderated beam (which is not convenient as the absorber thickness is usually changed several times during the experiments) or to make precision energy measurements of the unmoderated beam using for determining the moderated beam energy the relation "energy decrease in the absorber - filter thickness". This dependence was measured for polyethelene $(CH_2)_n$ (it is valid also for the paraffine) in the region 150 + 665 Mev and is given in Fig.7. It should be noted that the application of the usual ratio "range-energy" is not desirable as it leads to great errors especially in the low energy region of the moderated beam. So, if the relation "range-energy" is known with the accuracy 2 Mev at E=650 Mev (that is 0.4%), then in slowing down the beam up to 100 Mev the error in the energy determination increases up to 6 Mev and is equal already to 6%, that is increases by the factor of 15.

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