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It is known that in spite of the considerable phase volume the decay $\Xi^- \rightarrow n + \bar{K}^-$ has not been observed until now. The absence of such a decay has led Gell-Mann and Pais to the supposition that for the decays in which the strongly interacting particles participate there exists the selection rule $|\Delta S| = 1$, forbidding the decays by the change in "strangeness" by two⁽¹⁾. This selection rule requires the "strangeness" of Ξ^- hyperon to be 2 since its decay products Λ^0 and \bar{K}^- have the total strangeness -1. It follows from here if the well-known relation $Q = I_2 + \frac{1}{2} + \frac{S}{2}$ is taken into account that under these assumptions Ξ^- -hyperon is an isotopic doublet, i.e. besides $\Xi^-(I_2 = -\frac{1}{2})$ there must exist $\Xi^0(I_2 = +\frac{1}{2})$. The principal decay of this hypothetical particle is very likely $\Xi^0 \rightarrow \Lambda^0 + \bar{K}^0$ difficult to be observed. However, as it was mentioned above (2) the selection rule $|\Delta S| = 1$ is but a working hypothesis. The absence of the violations of this rule is quite natural if one takes into account that $S = \pm 1$ is assigned to all the known "strange" particles /save Ξ^- /, Therefore, $|\Delta S| = 1$ is the only possible change of "strangeness" in the decay into "old" particles. It should be also noted that within the Gell-Mann and Nishijima scheme there exists in principle one more possibility : to assign $S = -3$ to the cascade hyperon that leads to the isotopic singlet. In this case the selection rule might have been changed by assuming the decays with $|\Delta S| = 1, 2$ to be allowed and those with $|\Delta S| = 3$ to be forbidden. Thus, the discovery of Ξ^0 -hyperon becomes of particular interest since it is a verification of the validness of the selection rule $|\Delta S| = 1$.

In connection with the possible existence of Ξ^0 -particle the attention should be drawn to the appreciable difference between the mean lifetime of Λ^0 -particles observed in cosmic rays $\tau = (3.5 \pm 0.2) \cdot 10^{-10}$ sec. and those obtained with the accelerators $\tau = (2.8 \pm 0.1) \cdot 10^{-10}$ sec/x/ I. In the first case besides Λ^0 , produced in the primary interaction Λ^0 which were created as a result of the nonobserved decay $\Xi^0 \rightarrow \Lambda^0 + \pi^0$ may be detected. The primary interaction is not observed as a rule. Therefore, to distinguish these two kinds of Λ^0 particles does not seem possible. Evidently, this circumstance should lead to the seeming increase, of the measured τ_{Λ^0} if compared with the real one. This increase will depend upon relative probability of production (with subsequent decay) for Ξ^0 and Λ^0 -particles. On the other hand until now the experimentalists could obtain with the accelerators the "pure" in this sense Λ^0 -particles, since Ξ^0 -hyperon could not be produced in these experiments due to energy considerations. It is worth noting that for those few "cosmic" events when the primary interaction strictly complanar with Λ^0 -decay is seen in the chamber the τ_{Λ^0} measured was also found to be appreciably less: $(2.14 \pm 0.8) \cdot 10^{-10}$ sec. However, at high energies the mentioned complanarity cannot be considered as a criterion for Λ^0 being "pure", since in Ξ^0 -decay Λ^0 almost keeps the direction of the disintegrated Ξ^0 hyperon.

(x) The given values were determined as the average weighted value according to the results of the published papers till 1958.

τ_{Λ^0} - by 425 analyzed events

τ'_{Λ^0} - by 207 events.

The last number does not include 25 events published in /4/ for the reasons given below (that, by the way, did not almost affect the result).

In case when Λ^0 appears as a result of the decay $\Xi^0 \rightarrow \Lambda^0 + \pi^0$ the probability of observing Λ^0 -decay in the definite interval of time dt_i (or in the corresponding interval of range $d\ell_i$) will be:

$$dP_i = f_i dt_i = B_i \frac{\tau_{\Lambda^0}}{\tau_{\Xi^0} - \tau_{\Lambda^0}} \left[\exp(-t_i/\tau_{\Xi^0}) - \exp(-t_i/\tau_{\Lambda^0}) \right] dt_i$$

where τ_{Λ^0} and τ_{Ξ^0} are the mean lifetimes of Λ^0 and Ξ^0 hyperons respectively, while B_i is the normalizing coefficient. Thus, not going into details of the statistical method for determining τ_{Λ^0} [4] it should be pointed out that the original distribution of the probability for all observed particles will be really not $dP = \prod_1^{i=n} A_i \exp(-t_i/\tau_{\Lambda^0}) dt_i$ as it was supposed by the analysis of a:

$$dP' = \prod_1^{i=n} A_i \exp(-t_i/\tau_{\Lambda^0}) dt_i \prod_1^{i=m} B_i \frac{\tau_{\Lambda^0}}{\tau_{\Xi^0} - \tau_{\Lambda^0}} \left[\exp(-t_i/\tau_{\Xi^0}) - \exp(-t_i/\tau_{\Lambda^0}) \right] dt_i$$

where n and m are the numbers of Λ^0 produced in the primary interaction and Λ^0 created as a result of Ξ^0 decay respectively. At the same time the mean lifetime was determined under the assumption that there is a purely exponential dependence of Λ^0 -decays upon t . It is evident that the exponent of function which is the best approximation for the real distribution function /a/ will depend upon the relative number of Ξ^0 -particles $q = \frac{m}{n}$ and upon its lifetime τ_{Ξ^0} . The comparison of τ_{Λ^0} with the real value of the lifetime of Λ^0 obtained in the experiments with the accelerators enables to evaluate roughly q and τ_{Ξ^0} .

For this purpose neglecting the influence of the normalizing coefficient A_i and B_i one may find those values of q and τ_{Ξ^0} when the distribution function

$$f'(t) = \exp(-t/\tau_{\Lambda^0}) + q \frac{\tau_{\Lambda^0}}{\tau_{\Xi^0} - \tau_{\Lambda^0}} \left[\exp(-t/\tau_{\Xi^0}) - \exp(-t/\tau_{\Lambda^0}) \right]$$

is best described by the exponential curve $(1+q)\exp(-t/\tau_{\Lambda^0})$. The values of q and τ_{Ξ^0} found in such a way were found to be within rather reasonable limits $q = 0.15 \div 0.20$ and $\tau_{\Xi^0} = (4 \div 6) \cdot 10^{-10}$ sec. Indeed, at present there are no reasons to expect strong difference in the production cross sections of Ξ^0 and Ξ^- . On the other hand, it is known that the number of Ξ^- produced in cosmic rays is $0.1 \div 0.2$ of the number of Λ^0 observed under the same condition [5] that is in the agreement with q by the order of the magnitude. As for τ_{Ξ^0} the analysis of the isotopic states appearing at Ξ^- and Ξ^0 decays shows that $\tau_{\Xi^0}/\tau_{\Xi^-} = 2$, if the decay interactions of such a kind is transformed in the isotopic space like the tensor of rank 1/2, or $\tau_{\Xi^0}/\tau_{\Xi^-} = 1/2$,

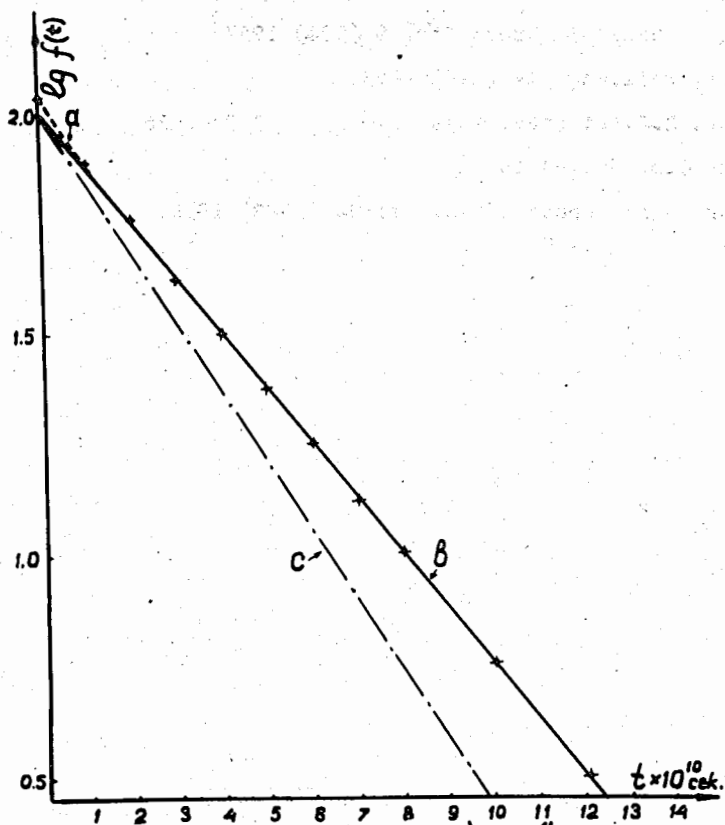
x) We neglect a small difference in the velocities (more exactly in the values of $\beta\gamma$) of Ξ^0 -hyperon and Λ^0 obtained in its decay.

if there occurs a pure $\Delta I = 3/2$ transition ⁽⁶⁾. Thus, the estimate made for τ_{Ξ^0} is also within the reasonable limits since as it was established experimentally. We think the mentioned fact indicates to the existence of the neutral cascade hyperon Ξ^0 , though the possibility of some systematical error in the given case cannot be excluded.

In conclusion the author expresses his gratitude to M.I. Podgoretsky for valuable remarks.

R E F E R E N C E S :

1. M. Gell-Mann, A. Pais, Suppl. Nuovo Cim. 4 (848) 1956.
2. L. B. Okun, B. Pontecorvo, JETP 32 (1587) 1957
3. C. Ballario, R. Bizzanti, B. Brunelli, A. De Marco, E. Di Capua, A. Michelini, G. Moneti, E. Zavattini, A. Zuchichi, Nuovo Cim. 6 (994) 1957
4. M. S. Bartlett, Phil. Mag. 44 (249) 1953.
5. G. H. Trilling, R. B. Leighton, Phys. Rev. 104 (1703) 1956.
6. R. Gatto, Nuovo Cim. 3(318) 1956.
7. G. H. Trilling, G. Neugebauer, Phys. Rev. 104 (1688) 1956.



Distribution function of λ^0 - decays: a) $\cdots \cdots f(t)$, $q=0.2$, $\tau_2=4 \cdot 10^{10}$ sek.
 b) $\text{---} f(t) \sim \exp(-t/\tau_1)$, $\tau_1=9.5 \cdot 10^{10}$ sek. c) $\text{---} f(t) \sim \exp(-t/\tau)$, $\tau=2.8 \cdot 10^{10}$ sek.