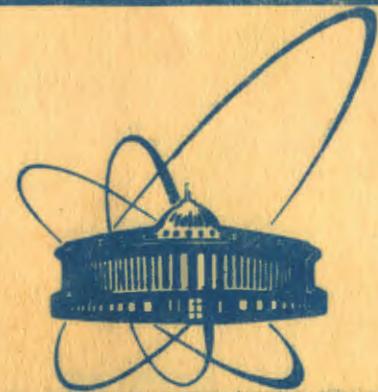


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TABLES  
OF THE EFFECTIVE POTENTIALS  
FOR THE THREE-BODY PROBLEM  
WITH THE COULOMB INTERACTION  
IN THE ADIABATIC REPRESENTATION

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## 1. Introduction

The adiabatic representation in the three-body problem with a Coulomb interaction is an effective tool for calculating the energy levels of the three charged particles system and for describing slow collisions of atoms and mesic atoms with nuclei (see the reviews<sup>1,2/</sup> and references therein).

The Schrödinger equation for the wave function  $\Psi(\vec{z}, \vec{R})$  of the system of three charged particles (two nuclei with charges  $Z_a = Z_\ell = 1$  and masses  $M_a$  and  $M_\ell$  and electron or  $M^-$  meson with mass  $m_e$ ) in the coordinates  $\vec{R}$  (distance between the nuclei  $Z_a$  and  $Z_\ell$ ) and  $\vec{z}$  (distance between the midpoint of  $R$  and electron (meson)) is

$$(\hat{H} - E) \Psi(\vec{z}, \vec{R}) = 0,$$

$$\hat{H} = -\frac{\hbar^2}{2M_0} (\nabla_{\vec{R}} + \frac{\mathbf{z}}{2} \nabla_{\vec{z}})^2 + \left( -\frac{\hbar^2}{2m_e} \Delta_{\vec{z}} - \frac{Z_a e^2}{r_a} - \frac{Z_\ell e^2}{r_\ell} \right) + \frac{Z_a Z_\ell e^2}{R} \quad (1)$$

where

$$M_0^{-1} = M_a^{-1} + M_\ell^{-1}, \quad m_0^{-1} = m_e^{-1} + (M_a + M_\ell)^{-1},$$

$$\mathbf{z} = (M_\ell - M_a)/(M_\ell + M_a), \quad \vec{r}_a = |\vec{z} + \vec{R}/2|, \quad r_\ell = |\vec{z} - \vec{R}/2|,$$

$$(\nabla_{\vec{R}} + \frac{\mathbf{z}}{2} \nabla_{\vec{z}})^2 = \vec{P}_{\vec{R}}^2 + R^{-2} (\vec{J} - \vec{L})^2, \quad (2)$$

$\vec{J}$  is the total momentum operator of the three-body system, and the operators  $\vec{P}_{\vec{R}}$  and  $\vec{L}$  in the rotating frame of coordinates, constructed on the spherical unit vectors  $\vec{e}_\theta, \vec{e}_\phi, \vec{e}_R$  of the vector  $\vec{R} = (R, \theta, \phi)$ , are

$$\vec{P}_{\vec{R}} = -i \frac{\vec{R}}{R} (\nabla_{\vec{R}} + \frac{\mathbf{z}}{2} \nabla_{\vec{z}}), \quad \vec{L} = -i (\vec{z} - \frac{\mathbf{z}}{2} \vec{R}) \times \nabla_{\vec{z}}.$$

In the adiabatic representation the wave function  $\Psi(\vec{z}, \vec{R})$  is expanded over the eigenfunctions  $\phi_{jm}(\vec{z}; \vec{R})$  of the two-center problem of quantum mechanics (in units  $e = \hbar = m_e = 1$ ), which satisfy the equation<sup>3,4/</sup>

$$\left(-\frac{1}{2}\Delta_{\vec{z}} - \frac{Z_a}{r_a} - \frac{Z_b}{r_b}\right)\phi_{jm}(\vec{z}; R) = E_{jm}(R)\phi_{jm}(\vec{z}; R) \quad (3)$$

and normalized by the condition

$$\int d\vec{z} \phi_{im}^*(\vec{z}; R) \phi_{jm'}(\vec{z}; R) = \delta_{ij} \delta_{mm'}, \quad (3a)$$

where  $(jm)$  is the set of quantum numbers of the two-center problem

$$\Psi(\vec{z}, R) = \sum_{jm} \left\{ 2(1 + \delta_{m0}) \right\}^{-1/2} \left\{ \phi_{jm}(\vec{z}; R) D_{mm_j}^J(\Phi, \Theta, 0) + \phi_{j(-m)}(\vec{z}; R) D_{-mm_j}^J(\Phi, \Theta, 0) \right\} R^{-1} X_{jm}^J(R), \quad (4)$$

$D_{mm_j}^J(\Phi, \Theta, 0)$  are the normalized Wigner functions.

Substituting expansion (3) into equation (1) and averaging over the coordinates  $\vec{z}$ ,  $\Theta$  and  $\Phi$ , we get an infinite system of ordinary differential equations which, in units  $e = \hbar = m_0 = 1$ , has the form<sup>1,2,5/</sup>

$$\left\{ \frac{d^2}{dR^2} - \frac{J(J+1) - 2m^2}{R^2} + 2M \left( E - \frac{Z_a Z_b}{R} - E_{im}(R) \right) \right\} X_{im}^J(R) = \sum_{jm'} U_{im,jm'}^J(R) X_{jm'}^J(R), \quad (5)$$

where  $M = M_0/m_0$ ,

$$U_{im,jm'}^J(R) = \delta_{mm'} \left\{ H_{im,jm}^J(R) + \frac{d}{dR} Q_{im,jm}^J(R) + 2Q_{im,jm}^J(R) \frac{d}{dR} \right\} + B_{im,jm'}^J(R),$$

$$Q_{im,jm}^J(R) = Q_{im,jm}^{(+)}(R) + \chi Q_{im,jm}^{(-)}(R) = -i \int d\vec{z} \phi_{im}^*(\vec{z}; R) P_R^J \phi_{jm}(\vec{z}; R),$$

$$H_{im,jm}^J(R) + \frac{d}{dR} Q_{im,jm}^J(R) = H_{im,jm}^{(+)}(R) + \chi H_{im,jm}^{(-)}(R) + \chi^2 H_{im,jm}^{(*)}(R) + \frac{d}{dR} Q_{im,jm}^{(+)}(R) + \chi \frac{d}{dR} Q_{im,jm}^{(-)}(R) = \int d\vec{z} \phi_{im}^*(\vec{z}; R) \left( P_R^2 + R^{-2} \vec{L}^2 \right) \phi_{jm}(\vec{z}; R),$$

$$B_{im,jm'}^J(R) = -Y_{mm'}^J \ell_{im,jm'}^J(R); \quad Y_{mm'}^J = (1 + \delta_{m0} \delta_{m'1} + \delta_{m'0} \delta_{m1})^{1/2} \cdot \left\{ [J-m+1](J+m)]^{1/2} \delta_{m'm-1} + [(J+m+1)(J-m)]^{1/2} \delta_{m'm+1} \right\},$$

$$\ell_{im,jm'}^J(R) = \ell_{im,jm'}^{(+)}(R) + \chi \ell_{im,jm'}^{(-)}(R) = R^{-2} \int d\vec{z} \phi_{im}^*(\vec{z}; R) L_{\pm}^J \phi_{jm'}(\vec{z}; R), \\ L_{\pm}^J = \vec{e}_{\pm} \vec{L}, \quad \vec{e}_{\pm} = \vec{e}_\theta \pm i \vec{e}_\phi. \quad (6)$$

For the solution of some physical problems, one should know the dipole moments calculated by

$$D_{im,jm}^J(R) = \int d\vec{z} \phi_{im}^*(\vec{z}; R) \frac{R}{2} \vec{\xi} \cdot \vec{e} \phi_{jm}(\vec{z}; R) \\ D_{im,jm'}^J(R) = \frac{1}{\sqrt{2}} \int d\vec{z} \phi_{im}^*(\vec{z}; R) \frac{R}{2} \sqrt{(5^2 \pm 1)(1 - \chi^2)} \phi_{jm'}^J(R). \quad (7)$$

The tables represent the matrix elements (6), (7) as well as the terms  $E_{im}(R)$  and normalizations  $N_{im}(R)$  of the wave functions  $\phi_{im}(\vec{z}; R)$  for the system  $Z_a = Z_b = 1$ .

The values of the matrix elements are given with 8 decimal places; and the values of the terms  $E_{im}(R)$ , with 9 decimal places. The values of  $E_{im}(R)$  coincide completely with the values given in the tables<sup>6/</sup> with 12 decimal places; and the values of the dipole moments, with the values given in the tables<sup>7/</sup> with 4 decimal places. The values of the diagonal matrix elements  $H_{im,im}^{(+)}(R)$  and  $H_{im,im}^{(*)}(R)$  for the state  $(im) = 1s\sigma_g$ , calculated in paper<sup>8/</sup>, differ from those in our tables in the seventh figure at certain values of  $R$ , mostly at  $R \lesssim 0.3$ . The values of the same matrix elements for the states  $(im) = 2p\pi_u$  and  $3d\sigma_g$ , represented in paper<sup>9/</sup>, with 7 decimal places, coincide completely with the data of our tables. The first published matrix elements for six pairs of states  $(1s\sigma_g, 1s\sigma_g)$ ,  $(2s_g, 2s_g)$ ,  $(1s\sigma_g, 2p\sigma_u)$ ,  $(1s\sigma_g, 2s\sigma_g)$ ,  $(2p\sigma_u, 2p\sigma_u)$  and  $(2p\sigma_u, 2s\sigma_g)$  calculated in paper<sup>10/</sup>, coincide with our calculated results at  $R \lesssim 0.5$ ; at  $1 \lesssim R \lesssim 20$ , differ in 5-7 figures; and at  $R > 20$ , in 4-6 figures.

The tables show also the values of the expansion coefficients of the effective potentials, terms and dipole moments as  $R \rightarrow 0$  and  $R \rightarrow \infty$ <sup>11,12/</sup>. For  $R=0$  there are given either the numerical values of the effective potentials at this point or the leading term of their asymptotics as  $R \rightarrow 0$ . As  $R \rightarrow \infty$  the expansion coefficients  $A_k$  are given for  $U_{im,jm'}^J(R)$ ,  $D_{im,jm'}^J(R)$  and  $E_{im}(R)$ ,  $N_{im}(R)$  in powers of  $R^{-k}$  and the values of  $U_{im,jm'}^J(R)$ ,  $D_{im,jm'}^J(R)$  and  $E_{im}(R)$ ,  $N_{im}(R)$  calculated by the expansions

$$U(R) = \sum_{k=0} A_k R^{-k} \quad (6a)$$

at  $R=100$ . These asymptotic values differ from the tabulated ones in the fourth-fifth decimal place depending on the combination of quantum numbers  $(im)$  and  $(jm')$ .

The present tables are more complete in comparison with those in refs./7-10/ in the types of the calculated effective potentials (6) and (7), in their number, accuracy of calculation and the range of values of  $R$  they are calculated in. The diagrams of these potentials have been presented earlier in paper<sup>/5/</sup>, for which all the potentials have been calculated also by the program made by Truskova in accordance with the algorithms of refs./13,14/. The results of these calculations differ as a rule from those given in the tables in the eight decimal place only. At  $R < 0.5$  and  $20 < R < 40$  discrepancies are sometimes observed in the six-seventh decimal place.

## 2. Method of Calculation

The values of the effective potentials, presented in the tables, are calculated by the MATR program compiled by Puzynina in accordance with the algorithms<sup>/15-17/</sup> which have been supplemented for the case of the states  $(im)$  with  $m=1$ <sup>/18/ x</sup>. The initial version of the tables of effective potentials calculated according to this algorithm with an accuracy of  $\sim 10^{-3}$  has been published in paper<sup>/19/</sup>.

The wave functions of the two-center problem have been chosen in the form<sup>/4/</sup>

$$\phi_{im}(\vec{z}; R) = \psi_{im}(\xi, \zeta; R) \cdot \frac{e^{im\varphi}}{\sqrt{2\pi}} \begin{cases} (-i)^m & \text{at } m>0 \\ 1 & \text{at } m \leq 0, \end{cases} \quad (8)$$

$$\psi_{im}(\xi, \zeta; R) = N_{im}(R) \prod_{mn_1}(\xi; R) \sum_{mq}(\zeta; R), \quad (8a)$$

where  $\xi$ ,  $\zeta$  and  $\varphi$  are the spheroidal coordinates,  $N_{im}(R)$  is the normalization determined from the condition (3a). The radial  $\prod_{mn_1}(\xi; R)$  and angular  $\sum_{mq}(\zeta; R)$  Coulomb spheroidal functions of the state with a set of spheroidal quantum numbers  $(im) = \{n_1, q, m\}$  satisfy the equations<sup>/4/</sup>

x) In using paper<sup>/15/</sup> one should bear in mind that the quantity  $\lambda$  in eqs. (9) and (11) is defined with an opposite sign. In this paper we follow the definitions of papers<sup>/4/</sup>, according to which  $\lim_{R \rightarrow 0} \lambda_{im}(R) = l(l+1)$ .

R → 0

$$\left\{ \frac{d}{d\xi} (\xi^2 - 1) \frac{d}{d\xi} + [-P^2(\xi^2 - 1) + \alpha\xi - \lambda - \frac{m^2}{\xi^2 - 1}] \right\} \prod_{mn_1}(\xi; R) = 0$$

$$1 \leq \xi < \infty, \quad \lim_{\xi \rightarrow 1} (\xi^2 - 1)^{-m/2} \prod_{mn_1}(\xi; R) = 1, \quad \prod_{mn_1}(\xi; R) \rightarrow 0 \quad \xi \rightarrow \infty \quad (9a)$$

$$\left\{ \frac{d}{d\zeta} (1-\zeta^2) \frac{d}{d\zeta} + [-P^2(1-\zeta^2) + \ell\zeta + \lambda - \frac{m^2}{1-\zeta^2}] \right\} \sum_{mq}(\zeta; R) = 0$$

$$-1 \leq \zeta \leq 1, \quad \sum_{mq}(\zeta; R) = 1, \quad (9b)$$

where  $\alpha = R(z_a + z_b)$ ,  $P = R(z_b - z_a)$  and the eigenvalues of the Sturm-Liouville problem (9) are calculated with the help of the series<sup>/20,21/</sup>

$$\prod_{mn_1}(\xi; R) = (\xi^2 - 1)^{m/2} \left( \frac{\xi+1}{2} \right)^\sigma e^{-P(\xi-1)} \sum_{s=0}^{N_1} g_s \left( \frac{\xi-1}{\xi+1} \right)^s$$

$$\sigma \equiv \sigma_{im}(R) = - \left\{ -\frac{2}{E_{im}(R)} \right\}^{1/2} - (m+1) \quad (10a)$$

$$P \equiv P_{im}(R) = \frac{R}{2} \left\{ -2E_{im}(R) \right\}^{1/2}, \quad g_0 = 1, \quad g_{-1} = 0$$

$$\sum_{mq}(\zeta; R) = e^{-P(1+\zeta)} \sum_{s=0}^{N_2} c_s \bar{P}_{s+m}^m(\zeta), \quad c_0 = 1, \quad c_{-1} = 0$$

$$\sum_{mq}(\zeta; R) = (1-\zeta^2)^{m/2} \begin{cases} e^{-P(1-\zeta)} \sum_{s=0}^{N_2} \tilde{c}_s (1-\zeta)^s, & 0 \leq \zeta \leq 1 \\ e^{-P(1+\zeta)} \sum_{s=0}^{N_2} \bar{c}_s (1+\zeta)^s, & -1 \leq \zeta \leq 0 \end{cases} \quad (10b)$$

$$\tilde{c}_0 = 1, \quad \bar{c}_0 = (-1)^q, \quad \bar{c}_{-1} = 0, \quad \tilde{c}_{-1} = 0. \quad (10c)$$

The coefficients  $g_s$ ,  $c_s$ ,  $\tilde{c}_s$  and  $\bar{c}_s$  are calculated from the recurrence relations

$$(s+1)(s+m+1) g_{s+1} - [2s(s+2p-\sigma) - (m+\sigma)(m+1) - 2p\sigma + \lambda] g_s + \quad (11a)$$

$$+ (s-1-\sigma)(s-m-1-\sigma) g_{s-1} = 0$$

$$\frac{(s+2m+1)[\ell-2p(s+m+1)]}{2(s+m)+3} c_{s+1} - [(s+m)(s+m+1)-\lambda] c_s + \quad (11b)$$

$$+ \frac{s[\ell+2p(s+m)]}{2(s+m)-1} c_{s-1} = 0$$

$$2(s+1)(s+m+1) \tilde{C}_{s+1} - [s(s+1) + (2s+m+1)(2p+m) - \ell - \lambda] \tilde{C}_s + (llc) \\ + [2p(s+m) - \ell] \tilde{C}_{s-1} = 0$$

(for  $\tilde{C}_s$  the relations (llc) with the change  $\ell \rightarrow -\ell$  are valid).

For the calculation of the terms  $E_{im}(R)$  expansions (lla) and (llb) at  $N_1=50$  and  $N_2=100$  have been used, whereas the functions  $\varphi_{im}(\xi, \zeta; R)$  have been calculated using expansions (lla) and (llc). The number of terms  $N_1$  and  $N_2$  depends on the value of  $R$  and is determined within a given accuracy of calculations  $\sim 10^{-8}$ . The calculation of the matrix elements (6) has been reduced to algebraic operations and to the numerical calculation of three integrals by the Gauss method (other details of the algorithm can be found in papers /15, 18/).

The explicit expressions of the calculated effective potentials in the spheroidal coordinates are /1, 22/

$$Q_{im,jm}^{(+)}(R) = -\frac{1}{2} \int d\tau \left( \varphi_{im} \frac{\partial \varphi_{jm}}{\partial R} - \frac{\partial \varphi_{im}}{\partial R} \varphi_{jm} \right) - \\ - \frac{R}{8} (E_{im} - E_{jm}) \int d\tau (\xi^2 + \zeta^2) \varphi_{im} \varphi_{jm} \quad (12)$$

$$Q_{im,jm}^{(-)}(R) = \frac{R}{4} (E_{im} - E_{jm}) \int d\tau \xi \zeta \varphi_{im} \varphi_{jm}$$

$$H_{im,jm}^{(+)}(R) = -H_{im,jm}^{(*)}(R) + \frac{3}{R^2} \delta_{ij} + \frac{1}{4} (E_{im} + E_{jm}) \int d\tau (\xi^2 + \zeta^2) \varphi_{im} \varphi_{jm} + \\ + \frac{1}{R} \int \frac{d\tau}{\xi^2 + \zeta^2} (\xi^2 + \zeta^2) [(Z_a + Z_\epsilon) \xi + (Z_\epsilon - Z_a) \zeta] \varphi_{im} \varphi_{jm} - \\ - \frac{1}{R} \int \frac{d\tau}{\xi^2 + \zeta^2} [\xi (\xi^2 - 1) \left( \frac{\partial \varphi_{im}}{\partial \xi} \frac{\partial \varphi_{jm}}{\partial R} + \frac{\partial \varphi_{im}}{\partial R} \frac{\partial \varphi_{jm}}{\partial \xi} \right) + \\ + \zeta (1 - \zeta^2) \left( \frac{\partial \varphi_{im}}{\partial \zeta} \frac{\partial \varphi_{jm}}{\partial R} + \frac{\partial \varphi_{im}}{\partial R} \frac{\partial \varphi_{jm}}{\partial \zeta} \right)] + \int d\tau \frac{\partial \varphi_{im}}{\partial R} \frac{\partial \varphi_{jm}}{\partial R}$$

$$H_{im,jm}^{(-)}(R) = -\frac{1}{2} (E_{im} + E_{jm}) \int d\tau \xi \zeta \varphi_{im} \varphi_{jm} + \frac{1}{R} \int \frac{d\tau}{\xi^2 + \zeta^2} \left\{ \zeta (\xi^2 - 1) \cdot \left( \frac{\partial \varphi_{im}}{\partial \xi} \frac{\partial \varphi_{jm}}{\partial R} + \frac{\partial \varphi_{im}}{\partial R} \frac{\partial \varphi_{jm}}{\partial \xi} \right) + \xi (1 - \zeta^2) \left( \frac{\partial \varphi_{im}}{\partial \zeta} \frac{\partial \varphi_{jm}}{\partial R} + \frac{\partial \varphi_{im}}{\partial R} \frac{\partial \varphi_{jm}}{\partial \zeta} \right) \right\} - \\ - \frac{2}{R} \int \frac{d\tau}{\xi^2 + \zeta^2} \xi \zeta [(Z_a + Z_\epsilon) \xi + (Z_\epsilon - Z_a) \zeta] \varphi_{im} \varphi_{jm}$$

$$H_{im,jm}^{(*)}(R) = \frac{1}{2} \left\{ E_{im}(R) \delta_{ij} - V_{im,jm}(R) \right\} \\ V_{im,jm}(R) = -\frac{2}{R} \int \frac{d\tau}{\xi^2 + \zeta^2} \left\{ (Z_a + Z_\epsilon) \xi + (Z_\epsilon - Z_a) \zeta \right\} \varphi_{im} \varphi_{jm} \\ B_{im,jm \mp 1}^{(+)}(R) = \mp \frac{1}{R^2} \int \frac{d\tau}{\xi^2 + \zeta^2} \left\{ (\xi^2 - 1)(1 - \zeta^2) \right\}^{\frac{1}{2}} \varphi_{im} \left( \zeta \frac{\partial \varphi_{im \mp 1}}{\partial \zeta} - \xi \frac{\partial \varphi_{im \mp 1}}{\partial \xi} \right) + \\ + \frac{(m \mp 1)}{R^2} \int d\tau \xi \zeta \frac{\varphi_{im} \varphi_{jm}}{[(\xi^2 - 1)(1 - \zeta^2)]^{\frac{1}{2}}} \\ B_{im,jm \mp 1}^{(-)}(R) = \mp \frac{1}{4} (E_{im} - E_{jm \mp 1}) \int d\tau \left\{ (\xi^2 - 1)(1 - \zeta^2) \right\}^{\frac{1}{2}} \varphi_{im} \varphi_{jm \mp 1} \\ D_{im,jm}(R) = \frac{R}{2} \int d\tau \xi \zeta \varphi_{im} \varphi_{jm} \\ D_{im,jm \mp 1}(R) = -\frac{R}{2\sqrt{2}} \int d\tau \left\{ (\xi^2 - 1)(1 - \zeta^2) \right\}^{\frac{1}{2}} \varphi_{im} \varphi_{jm \mp 1} \\ \int d\tau = \frac{R^3}{8} \int_1^\infty d\xi \int_{-1}^1 d\zeta (\xi^2 - \zeta^2), \quad \varphi_{im} = \varphi_{im}(\xi, \zeta; R), \quad E_{im} = E_{im}(R).$$

### 3. Description of the Tables

The tables contain the matrix elements

$$Q^{(+)} = Q_{im,jm}^{(+)}(R), \quad Q^{(-)} = Q_{im,jm}^{(-)}(R) \\ H^{(+)} = H_{im,jm}^{(+)}(R), \quad H^{(-)} = H_{im,jm}^{(-)}(R) \\ H^{(*)} = H_{im,jm}^{(*)}(R), \quad B^{(+)} = B_{im,jm \mp 1}^{(+)}(R), \quad B^{(-)} = B_{im,jm \mp 1}^{(-)}(R)$$

Determined by the relations (12), the terms  $E = E_{im}(R)$ , dipole moments  $R_{IJ} = D_{im,jm}(R)$  and  $D_{im,jm \mp 1}(R)$  (7) and the normalizations  $NORMA = N_{im}(R)$  of the wave functions  $\varphi_{im}(\xi, \zeta; R)$  (8) for the system  $Z_a = Z_\epsilon = 1$  in the interval of values  $\xi = 0.1(0.1)2(0.2)8(0.6)20(2)30(10)100$  for the states, the quantum numbers  $(im)$  of which are given in the table.

United atom		Separated atoms			
S=0	S=1	n <sub>1</sub>	n <sub>2</sub>	m	n
1s <sub>0</sub> g	2p <sub>0</sub> u	0	0	0	1
2s <sub>0</sub> g	3p <sub>0</sub> u	1	0	0	2
3d <sub>0</sub> g	4f <sub>0</sub> u	0	1	0	2
2p <sub>1</sub> u	3d <sub>1</sub> g	0	0	1	2

The quantity  $S = \frac{1 - (-1)^q}{2}$  specifies the symmetry of the wave function  $\sum_{m_q}(\zeta; R)$  (8) under the reflection  $\zeta \rightarrow -\zeta$  and  $q = \ell - m$  is the number of zeroes of the function  $\sum_{m_q}(\zeta; R)$  in the interval  $-1 < \zeta < 1$ . The quantum number  $\ell = q + m = 2n_2 + m + s$ . Parity of the wave function  $\phi_{lm}(\vec{z}; R)$  under the inversion  $\vec{z} \rightarrow -\vec{z}$  is characterized by the indices  $j$ , for even  $\ell$  and  $u$ , for odd  $\ell$ .

The following notations are used in the tables:

N is the principal quantum number N,

L is the quantum number of the orbital momentum l,

M is the azimuthal quantum number m,

Z<sub>1</sub> is the nuclear charge Z<sub>a</sub>,

Z<sub>2</sub> is the nuclear charge Z<sub>b</sub>,

N<sub>1</sub> is the radial quantum number n<sub>1</sub> = N - l - 1,

N<sub>2</sub> is the parabolic quantum number n<sub>2</sub> = (q - s)/2 = (l - m - s)/2,

N<sub>M</sub> is the parabolic principal quantum number n = n<sub>1</sub> + n<sub>2</sub> + m + 1,

1.S SIGMA G is the state of the two-center problem 1S<sub>0</sub>g.

R is the internuclear distance in atomic units R,

R=0 This row contains the asymptotic values of the above quantities or of the leading coefficients of their expansions in powers of  $R^k$  as  $R \rightarrow 0$ .

R<sup>†(0)</sup> is the expansion coefficient A<sub>k</sub> in (6a) as  $R \rightarrow \infty$  in powers of  $R^{-k}$  at k=0.

R<sup>†(-1)</sup> is the expansion coefficient A<sub>1</sub> at R<sup>-1</sup>.

R<sup>†(-2)</sup> is the expansion coefficient A<sub>2</sub> at R<sup>-2</sup>.

R<sup>†(-3)</sup> is the expansion coefficient A<sub>3</sub> at R<sup>-3</sup>.

AS(R=100) is the value of the sum (6a) at R=100.

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#### 1.S SIGMA G - 1.S SIGMA G

R	H(+)	H(*)	E	NORMA
0.0	0.0000000	1.0000000	-2.0000000	4.0000000
.1	.03756585	.96956375	-1.978242058	3.56915695
.2	.08967123	.90666924	-1.928620297	3.17231945
.3	.12802502	.83601792	-1.866704078	2.83919306
.4	.15243412	.76770131	-1.800754659	2.56473660
.5	.16714854	.70533477	-1.734988000	2.33849832
.6	.17546734	.64976470	-1.671484714	2.15072719
.7	.17932784	.60074587	-1.611196266	1.99351551
.8	.18176011	.55764820	-1.554480094	1.86070959
.9	.18223292	.51975342	-1.501381599	1.74756829
1.0	.18135913	.48637425	-1.451786313	1.65043200
1.1	.18102737	.45689660	-1.405512776	1.56645601
1.2	.17998567	.43078873	-1.362307858	1.49340879
1.3	.17889185	.40759711	-1.321971391	1.42952259
1.4	.17784617	.38693744	-1.284269242	1.37338317
1.5	.17691149	.36848477	-1.248989872	1.32184826
1.6	.17612626	.35136416	-1.215937225	1.27998678
1.7	.17551288	.33714250	-1.184931564	1.24613323
1.8	.17508312	.32382154	-1.155809190	1.20635304
1.9	.17484174	.31183208	-1.128421572	1.17541614
2.0	.17478883	.30102313	-1.102634215	1.14777651
2.1	.17523439	.28250178	-1.055385081	1.10093292
2.2	.17637514	.26742645	-1.013220305	1.06340849
2.3	.17815063	.25519152	-9.75448581	1.03340599
2.4	.18049335	.24532136	-9.91498861	1.00955551
3.0	.18333153	.23744256	-9.10896197	.9078919
3.2	.18659063	.23125554	-8.83242560	.97625646
3.4	.19019393	.22651493	-8.58201678	.96526551
3.6	.19406233	.22311528	-8.35487074	.95724241
3.8	.19811581	.22058077	-8.146852592	.95170234
4.0	.20227451	.21935773	-7.96084884	.94822925
4.2	.20546063	.21830378	-7.78397444	.94646170
4.4	.21163165	.21821223	-7.63425867	.94608208
4.6	.21452773	.21865730	-7.49224094	.94681494
4.8	.21848384	.21953131	-7.36261446	.94841261
5.0	.22212158	.22075109	-7.24420295	.95056222
5.2	.22550524	.22222345	-7.13594253	.95337861
5.4	.22861112	.22388781	-7.03686753	.95640368
5.6	.23142703	.22566281	-6.94669954	.95960477
5.8	.23335139	.22749643	-6.86283877	.96287298
6.0	.23613108	.22934038	-6.78635715	.96612129
6.2	.23816001	.23115725	-6.71599260	.96928239
6.4	.23987695	.23291502	-6.65114413	.97230638
6.6	.24136367	.23453128	-6.59126747	.97515837
6.8	.24264341	.23616990	-6.53587092	.97781605
7.0	.24373952	.23764055	-6.48451147	.98026745
7.2	.24457460	.23899778	-6.43679101	.98250875
7.4	.24546979	.24024005	-6.39235259	.98454239
7.6	.24614438	.24136891	-6.35087689	.98637544
7.8	.24671569	.24238820	-6.31207875	.98801818
8.0	.24719897	.24330338	-6.27570389	.98948300

1.S SIGMA S - 1.S SIGMA G				2.P SIGMA U - 2.P SIGMA U				
R	H(+)	H(*)	E	R	H(+)	H(*)	E	
8.5	.24810496	.24518042	-.619394246	.99245656	..1	200.00148436	.25100189	-.500667445
9.5	.24870070	.24656271	-.612306564	.99461925	..2	50.00587494	.25402521	-.502677425
9.5	.24913432	.24756179	-.606089364	.99616807	..3	22.23512629	.25910179	-.506045888
10.0	.24935648	.24827411	-.600578729	.99726570	..4	12.52198050	.26623849	-.510784228
10.5	.24953295	.24877705	-.595650247	.99803848	..5	8.03214397	.27537511	-.516885465
11.0	.24965326	.24912937	-.591208320	.99858080	..6	5.59770513	.28634443	-.524310372
11.5	.24973653	.24937644	-.587178439	.99896126	..7	4.13233648	.29884419	-.532975505
12.0	.24979516	.24954855	-.583501640	.99922883	..8	3.18179664	.31243262	-.542745921
12.5	.24913722	.24956884	-.580130556	.99941797	..9	2.52913071	.32655517	-.553435154
13.0	.24936803	.24975322	-.577026573	.99955272	1.0	2.06055311	.34060056	-.564813625
13.5	.24999108	.24931278	-.574157789	.99964972	1.1	1.71217651	.35397252	-.576624343
14.0	.249390870	.24935519	-.571497522	.99972145	1.2	1.44615217	.36615777	-.588602685
14.5	.24332244	.24998575	-.569023214	.99977280	1.3	1.23894512	.37677327	-.600496075
15.0	.24393338	.24993807	-.566715605	.99981220	1.4	1.07519364	.38558510	-.612079976
15.5	.24984224	.24992464	-.564558118	.99984238	1.5	.94437504	.39250135	-.623163202
16.0	.24994952	.24993716	-.5625336375	.99936592	1.6	.83896048	.39754779	-.633617289
16.5	.24993559	.24934680	-.560637829	.99984461	1.7	.75337493	.40083611	-.643325937
17.0	.24996071	.24993436	-.558851465	.99889971	1.8	.68339084	.40253255	-.652231068
17.5	.24336507	.24936041	-.557167566	.9991210	1.9	.62575504	.40283135	-.660302064
18.0	.24336831	.24996533	-.555577519	.99992241	2.0	.57794289	.40193476	-.667534392
18.5	.24397215	.24996943	-.554073663	.99933110	2.1	.50434234	.39732769	-.679559160
19.0	.24397487	.24997231	-.552649154	.99993850	2.2	.45142052	.39009191	-.688575778
19.5	.24397733	.24997570	-.551297857	.99994486	2.3	.41226197	.38130139	-.694960660
20.0	.24997950	.24997318	-.550014259	.99995037	2.4	.38251741	.37173510	-.699114505
22.0	.24998594	.24998531	-.545464246	.99996640	2.5	.35939628	.36193187	-.701418333
24.0	.24999004	.24998698	-.541673501	.99997637	2.6	.34106594	.35225017	-.702213401
26.0	.24999274	.24999253	-.538466494	.99998288	2.7	.32629231	.34291888	-.701794780
28.0	.24999459	.24999446	-.535717966	.99998729	2.8	.34422243	.33487822	-.701420673
30.0	.24999599	.24999580	-.533336124	.99999037	2.9	.30425349	.32579886	-.698273383
32.0	.24399692	.24399676	-.531252154	.99999257	3.0	.29594587	.31812077	-.69550639
34.0	.24399750	.24399746	-.529413454	.99999417	3.1	.28897440	.31104866	-.692384845
36.0	.24999801	.24999798	-.5277779122	.99999537	3.2	.28309216	.30457105	-.68891091
38.0	.24999840	.24999837	-.526316872	.99999627	3.3	.27810816	.29866508	-.685162921
40.0	.24993869	.24399958	-.525000881	.99993696	3.4	.27387206	.29330103	-.681276070
42.0	.24999392	.24999891	-.523810249	.9999750	3.5	.27026362	.28844546	-.677291613
44.0	.24999911	.24999310	-.522727874	.99993793	3.6	.26718530	.28406323	-.673254580
46.0	.24999925	.24999924	-.521739634	.99999826	3.7	.26455699	.28011892	-.669216118
48.0	.24999937	.24999936	-.520833758	.99999854	3.8	.26231221	.27657774	-.665195268
50.0	.24399946	.24999946	-.520000361	.99999876	3.9	.26039523	.27340608	-.661220429
60.0	.24399974	.24999774	-.516666840	.99999940	4.0	.25875904	.27057191	-.657310559
70.0	.24999986	.24999986	-.514285808	.99999968	4.1	.25736367	.26804496	-.653480157
80.0	.24999992	.24999992	-.512500055	.99999981	4.2	.25617499	.26579686	-.649740077
90.0	.24999995	.24999995	-.511111145	.99999988	4.3	.25516376	.26380112	-.646098197
100.0	.24999937	.2499997	-.510006023	.99999992	4.4	.25430483	.26203319	-.642559964
R+(0)	.2501110	.251100	-.50000000	1.000000R+M	4.5	.25357652	.26047035	-.639128055
R+(-1)	.1101110	.1100000	-1.00000000		4.6	.25296014	.25909171	-.635806749
R+(-2)	.0100100	.0000000	0.00000000		4.7	.25243355	.25787809	-.632594237
R+(-3)			0.00000000		4.8	.25200083	.25681194	-.629490884
R+(-4)			-2.25000000		4.9	.25163196	.25587727	-.626495440
AS(R=100).250100	.250000	-.51000002	1.000000		5.0	.25132259	.25505955	-.623606016

## 2.P SIGMA U - 2.P SIGMA U

R	H(+) H(*)	E	NORMA
8.0	.25075398	.25344354	-.616829792
9.0	.25039662	.25230665	-.610654941
9.0	.25017706	.25151690	-.805029672
10.0	.25004610	.25097528	-.59901069
10.0	.24997124	.25060873	-.595218150
11.0	.24993128	.25036417	-.59033513
11.0	.24991256	.25020358	-.587004068
12.0	.24990642	.25010109	-.583391228
12.0	.24990744	.25003496	-.58060774
13.0	.24991228	.2499527	-.576982545
13.0	.24991893	.24997227	-.574130054
14.0	.24992620	.24995986	-.571480076
14.0	.24993343	.24995425	-.569012254
15.0	.24994027	.24995277	-.566708729
15.0	.24994655	.24995373	-.564553809
16.0	.24995222	.24995605	-.562533678
16.0	.24995728	.24995903	-.560636142
17.0	.24996176	.24996227	-.558850411
17.0	.24996573	.24996551	-.557166908
18.0	.24996922	.24996861	-.555577109
18.0	.24997231	.24997151	-.554073408
19.0	.24997503	.24997416	-.552648994
19.0	.24997743	.24997657	-.551297758
20.0	.24997956	.24997874	-.550014198
22.0	.24998594	.24998540	-.545464236
24.0	.24999004	.24998970	-.541673500
26.0	.24999275	.24999253	-.539466494
28.0	.24999459	.24999446	-.515717066
30.0	.24999589	.24999580	-.533336124
32.0	.24999682	.24999676	-.531252154
34.0	.24999750	.24999746	-.529413454
36.0	.24999801	.24999798	-.527779122
38.0	.24999840	.24999837	-.526316872
40.0	.24999869	.24999868	-.525000881
42.0	.24999892	.24999891	-.523410249
44.0	.24999911	.24999910	-.522727874
46.0	.24999925	.24999924	-.521739634
48.0	.24999937	.24999936	-.520833758
50.0	.24999946	.24999946	-.520000361
52.0	.24999974	.24999974	-.516666840
54.0	.24999986	.24999986	-.514285808
56.0	.24999992	.24999992	-.512500055
58.0	.24999995	.24999995	-.511111145
60.0	.24999997	.24999997	-.510000023
R+(+)	.2500000	.2500000	-.500000000
R+(-)	0.0000000	0.0000000	-1.000000000
R+(-)	0.0000000	0.0000000	0.000000000
R+(-)	0.0000000	0.0000000	-2.250000000

AS(R=1.0) .2500000 .2500000 -.51000002 1.0000000

## 1.S SIGMA G - 2.P SIGMA U

R	Q(-)	H(-)	RIJ
1.0	-.279351	-.558702/R	.372468
1.1	-.28044794	-.562697670	.37960566
1.2	-.28318045	-.287384803	.33718349
1.3	-.23681997	-.198131652	.42159003
1.4	-.29078810	-.155118341	.45034481
1.5	-.29460618	-.130317219	.48371326
1.6	-.29736013	-.143607015	.51329360
1.7	-.30013455	-.03236824	.55643319
1.8	-.30132544	-.34965249	.59566136
1.9	-.30105973	-.88486428	.63518299
1.0	-.29930929	-.83209021	.67489854
1.1	-.29608551	-.78794377	.71426888
1.2	-.29149355	-.75041636	.75351583
1.3	-.28571719	-.71823417	.79203593
1.4	-.27894516	-.69056506	.82396017
1.5	-.27139312	-.66653816	.86733692
1.6	-.26328503	-.64576116	.90426263
1.7	-.25473722	-.62768656	.94085883
1.8	-.24606212	-.61189841	.97725500
1.9	-.23723768	-.59804540	1.01357740
2.0	-.22841491	-.58583448	1.04394258
2.2	-.21106431	-.56541527	1.12320253
2.4	-.19441398	-.54918515	1.19770373
2.6	-.17865988	-.53617123	1.27392210
2.8	-.16387372	-.52570186	1.35218068
3.0	-.15055808	-.51730111	1.43268678
3.2	-.13718024	-.51061162	1.51555964
3.4	-.12519192	-.50535214	1.600494910
3.6	-.11404032	-.50129167	1.68854803
3.8	-.10367394	-.49823426	1.77860030
4.0	-.09404523	-.49601102	1.87090977
4.2	-.08511165	-.49446997	1.96534114
4.4	-.07683532	-.49348309	2.06173084
4.6	-.06318253	-.49293456	2.15989103
4.8	-.05212235	-.49272493	2.25961705
5.0	-.05562822	-.49276880	2.36069482
5.2	-.04367153	-.49299509	2.46290820
5.4	-.04422662	-.49334514	2.56604591
5.6	-.07926725	-.49377214	2.66390767
5.8	-.07476633	-.49423975	2.77430905
6.0	-.07069847	-.49472071	2.87908504
6.2	-.02793454	-.49519544	2.9803214
6.4	-.02374727	-.49565057	3.03920910
6.6	-.02080379	-.49607766	3.13433653
6.8	-.01319143	-.49647203	3.27939556
7.0	-.01336306	-.49683175	3.40472593
7.2	-.01331237	-.49715682	3.50900363
7.4	-.01199313	-.49746456	3.61363847
7.6	-.01040438	-.49770904	3.71797166
7.8	-.01300564	-.49794080	3.82207351
8.0	-.00773135	-.49814652	3.92594142

## 1.S SIGMA G - 2.P SIGMA U

R	G(-)	H(-)	RIJ
8.5	-.00530563	-.49856429	4.18461473
9.0	-.00363824	-.49887371	4.44197821
9.5	-.00248333	-.49910464	4.60821399
10.0	-.00167840	-.49927905	4.95353772
10.5	-.00112518	-.49941256	5.20802525
11.0	-.00075049	-.49951617	5.46195565
11.5	-.00049329	-.49959761	5.71526201
12.0	-.00032348	-.49966242	5.96818501
12.5	-.00021705	-.49971454	6.22074712
13.0	-.00014250	-.49975689	6.47300639
13.5	-.00009326	-.49979160	6.72500960
14.0	-.00006036	-.49982029	6.97679471
14.5	-.00003361	-.49984418	7.22339281
15.0	-.00002572	-.49986420	7.47982952
15.5	-.00001666	-.49988109	7.73112618
16.0	-.00001077	-.49989543	7.98230062
16.5	-.00000695	-.49990766	8.23336792
17.0	-.00000447	-.49991815	8.48434085
17.5	-.00000287	-.49992718	8.73323030
18.0	-.00000184	-.49993500	8.98604564
18.5	-.00000118	-.49994179	9.23679495
19.0	-.00000076	-.49994772	9.48748520
19.5	-.00000048	-.49995231	9.73812248
20.0	-.00000031	-.49995747	9.98871210
22.0	-.00000005	-.49997100	13.99067930
24.0	-.00000001	-.49997955	11.93217268
26.0	-.00000000	-.49998517	12.99333335
28.0	-.00000000	-.49998898	13.99425346
30.0	-.00000000	-.49999164	14.99493526
32.0	-.00000000	-.49999355	15.99560205
34.0	0.00000000	-.49999494	16.99610476
36.0	0.00000000	-.49999597	17.99652590
38.0	0.00000000	-.49999676	18.99688223
40.0	0.00000000	-.49999736	19.99718640
42.0	0.00000000	-.49999793	20.99744812
44.0	0.00000000	-.49999820	21.99767494
46.0	0.00000000	-.49999849	22.99797280
48.0	0.00000000	-.49999873	23.99804644
50.0	0.00000000	-.49999892	24.99819964
60.0	0.00000000	-.49999948	29.99974936
70.0	0.00000000	-.49999972	34.99908157
80.0	0.00000000	-.49999984	39.99929684
90.0	0.00000000	-.49999990	44.99944443
100.0	0.00000000	-.49999993	49.99954999
P+( 1)	0.000000	0.000000	.500000
P+( 0)	0.000000	-.500000	1.000000
R+(-1)	0.000000	0.300000	1.000000
R+(-2)	0.000000	0.000000	-4.500000
AS(R=100)	1.000000	-.500000	49.999550

## 1.S SIGMA G - 2.S SIGMA G

R	G(+)	H(+)	H(*)
1.0	0.000007	0.000093	.419026
1.1	-.00373036	.02176844	.40881808
1.2	-.14367402	.05148751	.38759958
1.3	-.17022115	.07277242	.36345494
1.4	-.18407615	.08572896	.33973316
1.5	-.19380900	.09284853	.31767682
1.6	-.19341352	.09622546	.29763814
1.7	-.19358929	.09727774	.27960453
1.8	-.19229646	.09691750	.26342459
1.9	-.19012915	.09571534	.24890511
1.0	-.18744612	.09403061	.23585204
1.1	-.18447777	.09208943	.22408651
1.2	-.18136920	.09003417	.21344993
1.3	-.17821085	.08795422	.20380428
1.4	-.17501601	.08590508	.19503048
1.5	-.17197243	.08392049	.18702615
1.6	-.16833545	.08202010	.17970330
1.7	-.15602745	.08021440	.17298620
1.8	-.16311357	.07850796	.16680951
1.9	-.16047518	.07690155	.16111671
2.0	-.15785563	.07539351	.15585870
2.2	-.15292718	.07265911	.14648128
2.4	-.14830619	.07027129	.13839478
2.6	-.14423541	.06801926	.13138013
2.8	-.14041475	.06638665	.12526504
3.0	-.13690431	.06481999	.11991218
3.2	-.13367581	.06346291	.11521071
3.4	-.13070309	.06228932	.11107005
3.6	-.12795337	.06127660	.10741539
3.8	-.12543213	.06040525	.10418428
4.0	-.12309311	.05965856	.10132404
4.2	-.12093806	.05902234	.09378939
4.4	-.11892170	.05848458	.03654344
4.6	-.11706049	.05803514	.09455155
4.8	-.11533255	.05766553	.09278546
5.0	-.11372745	.05736857	.09122008
5.2	-.11232612	.05713813	.08983343
5.4	-.11085162	.05696892	.08860620
5.6	-.10356405	.05685625	.08752137
5.8	-.10337034	.05679586	.08656388
6.0	-.1026409	.05678377	.08572037
6.2	-.10624348	.05681618	.08497896
6.4	-.10521504	.05688943	.08432901
6.6	-.10442367	.05699395	.08376099
6.8	-.10362242	.05714424	.08326632
7.0	-.10283751	.05731891	.08283722
7.2	-.10221528	.05752064	.08246665
7.4	-.10160209	.05774623	.08214817
7.6	-.10104439	.05799262	.08187595
7.8	-.10053865	.05825638	.08164460
8.0	-.10008145	.05853622	.08144925

## 2.P SIGMA U - 3.P SIGMA U

	1.S SIGMA G	- 2.S SIGMA G	R	Q(+)	H(+)	H(*)
?	Q(+) H(+) H(*)		3.0	0.000000	0.00012	.122880
3.5	-.03312364	.05928375	.03108986	.1	.02456560	.00101206
9.0	-.03341761	.06007312	.08086856	.2	.04897567	.00400189
9.5	-.03787248	.06087426	.08073843	.3	.07281808	.00874694
11.1	-.03743304	.06166338	.08066365	.4	.09548666	.01478381
10.5	-.039721524	.06242266	.09061791	.5	.11581997	.02137179
11.0	-.03701123	.06313969	.08058279	.6	.13299981	.02757837
11.5	-.03687881	.06380677	.08054616	.7	.14599996	.03247545
12.0	-.03671080	.06442009	.0805078	.8	.15374595	.03539553
12.5	-.03673418	.06497887	.08044295	.9	.15611012	.03613431
13.0	-.03561934	.06548453	.08037143	1.0	.15311369	.03699884
13.5	-.03667927	.06593999	.08028663	1.1	.14535124	.03262735
14.0	-.03561303	.06634907	.08019988	1.2	.13376649	.02983116
14.5	-.03665516	.06671602	.08008305	1.3	.11946428	.02728926
15.0	-.03566529	.06704517	.07996416	1.4	.10353242	.02566389
15.5	-.03665797	.06734077	.07984724	1.5	.08691619	.02457845
16.0	-.03567189	.06760678	.07972213	1.6	.07039692	.02462589
16.5	-.03667671	.06784634	.07959451	1.7	.05438812	.02551682
17.0	-.03561199	.06806421	.07946578	1.8	.03933448	.02707386
17.5	-.03561752	.06826179	.07933715	1.9	.02539999	.02911132
18.0	-.03561321	.06844212	.07920957	2.0	.01265791	.03145931
18.5	-.035661905	.06860733	.07908382	2.2	-.00928760	.03655827
19.0	-.035721505	.06875951	.07896549	2.4	-.02694985	.04157822
19.5	-.03571126	.06890014	.07894005	2.6	-.04101982	.04613147
20.0	-.03571753	.06903058	.07872290	2.8	-.05221049	.05009138
22.0	-.0357+649	.06947369	.07828912	3.0	-.06112255	.05343855
24.0	-.035731195	.06982627	.07791290	3.2	-.06024980	.05622246
26.0	-.035692345	.07011860	.07758028	3.4	-.07396546	.05051485
28.0	-.03585402	.07036795	.07731078	3.6	-.07058655	.06039056
31.0	-.03591113	.07058490	.07706939	3.8	-.00232226	.06191664
32.0	-.03593756	.07077602	.07686049	4.0	-.00853693	.06316019
34.0	-.03703531	.07094637	.07667696	4.2	-.00706846	.06416587
36.0	-.03705263	.07109935	.07651510	4.4	-.00899420	.06497851
38.0	-.03709316	.07123765	.07631743	4.6	-.00919850	.06563326
40.0	-.03714445	.07136337	.07624315	4.8	-.009297151	.06615892
42.0	-.03711832	.07147821	.07612799	5.0	-.009411563	.06657901
44.0	-.03723067	.07158356	.07602408	5.2	-.009506860	.06691279
46.0	-.03727143	.07168059	.07592990	5.4	-.00954879	.06717596
48.0	-.03731358	.07177026	.07584416	5.6	-.009648405	.06738148
51.0	-.03734815	.07185333	.07576580	5.8	-.009701307	.06753967
61.0	-.03751381	.07219235	.07545771	6.0	-.009744642	.06765945
70.0	-.03764783	.07244124	.07524329	6.2	-.009779939	.06774798
81.0	-.03773751	.07263189	.07504578	6.4	-.009808463	.06781092
91.0	-.03794334	.07278265	.07496535	6.6	-.009831267	.06785348
101.0	-.03793460	.07290486	.07487036	6.8	-.009849229	.06787943
R+(0)	-.031755	.074074	.074074	7.0	-.009852000	.06789236
R+(-1)	-.031765	-.123457	.074074	7.2	-.009873464	.06789584
R+(-2)	-1.630854	.670782	.572016	7.4	-.009888864	.06788988
AS(R=100)	-.037931	.072907	.074872	7.6	-.009805799	.06787862
				7.8	-.009888900	.06786314
				8.0	-.0098889565	.06784472
						.09321527

2.P SIGMA U - 3.P SIGMA U

P	Q(+)	H(+)	H(*)
0.5	.09885898	.06779288	.09136682
0.6	.09876068	.06774249	.08977786
0.7	.09862472	.06770159	.08840651
0.8	.09846800	.06767472	.08721850
0.9	.09830240	.06766409	.08618560
1.0	.09813620	.06767031	.08528441
1.1	.09797507	.06769293	.08449539
1.2	.09782269	.06773081	.08388218
1.3	.09768135	.06778243	.08319098
1.4	.09755225	.06784605	.08265012
1.5	.09743586	.06791988	.08216970
1.6	.09733209	.06800215	.08174132
1.7	.09724048	.06809118	.08135781
1.8	.09716034	.06818543	.08101307
1.9	.09709085	.06828350	.08070187
2.0	.09703189	.06838419	.08041979
2.1	.09698016	.06848642	.08016301
2.2	.09693715	.06858928	.07992830
2.3	.09690120	.06869203	.07971289
2.4	.09687151	.06879403	.07951441
2.5	.09684735	.06889476	.07933083
2.6	.09682003	.06899384	.07916042
2.7	.09681297	.06909095	.07900169
2.8	.09680161	.06918585	.07885337
2.9	.09678458	.06954081	.07834422
3.0	.09679772	.06985487	.07793589
3.1	.09682777	.07013064	.07759878
3.2	.09686715	.07037296	.07731467
3.3	.09691146	.07058687	.07707158
3.4	.09695812	.07077687	.07686114
3.5	.09700553	.07094672	.07667722
3.6	.09705277	.07109949	.07651521
3.7	.09709921	.07123771	.07637148
3.8	.09714447	.07136339	.07624317
3.9	.09718833	.07147822	.07612888
4.0	.09723067	.07158357	.07602489
4.1	.09727143	.07168059	.07592998
4.2	.09731058	.07177026	.07584416
4.3	.09734815	.07185339	.07576588
4.4	.09751381	.07219235	.07545771
4.5	.09764789	.07244124	.07524328
4.6	.09775751	.07263189	.07508578
4.7	.09784834	.07270265	.07496535
4.8	.09792468	.07290486	.07487036

$$R^+(\pm) = .098765 \quad .074074 \quad .074074$$

$$R^+(-1) = .098765 \quad -.123457 \quad .074074$$

$$R^+(-2) = -1.530864 \quad .670782 \quad .572016$$

$$AJ(R=1.0) = .097931 \quad .072907 \quad .074872$$

1.S SIGMA G - 3.P SIGMA U

R	Q(-)	H(-)	RJU
0.8	-.132583	-.265165/R	.149153
0.9	-.13246843	-.26616844	.15888135
1.0	-.13205648	-.25362151	.15486494
1.1	-.13138027	-.29230698	.15986033
1.2	-.12991057	-.71122998	.16492549
1.3	-.12797828	-.58495575	.16934739
1.4	-.12442288	-.49995899	.17253019
1.5	-.12003593	-.43770056	.17480216
1.6	-.11446258	-.38937851	.17336711
1.7	-.10776504	-.39095842	.17861638
1.8	-.10009383	-.31090062	.16518674
1.9	-.9166747	-.29312498	.15755999
2.0	-.88274294	-.27220088	.14882974
2.1	-.87357243	-.25560041	.13683504
2.2	-.84387222	-.24230515	.12434506
2.3	-.8337137	-.23190081	.11890013
2.4	-.84664166	-.22363706	.09688513
2.5	-.83349467	-.21769175	.08235325
2.6	-.83044793	-.21174027	.06762421
2.7	-.82310847	-.20741220	.05280087
2.8	-.81615908	-.20308546	.03821670
2.9	-.83373389	-.19812044	.08934117
3.0	-.80766698	-.19377773	-.81864365
3.1	-.81644863	-.19029210	-.84560854
3.2	-.82463078	-.18740282	-.87171588
3.3	-.83187648	-.18495718	-.89688888
3.4	-.83820782	-.18206388	-.12101473
3.5	-.84388776	-.18105387	-.1437796
3.6	-.84994448	-.17947828	-.14592959
3.7	-.83586393	-.17808844	-.18868439
3.8	-.87775463	-.17684913	-.20964291
3.9	-.86154868	-.17573067	-.22979328
4.0	-.86581013	-.17478270	-.24911589
4.1	-.86817253	-.17374115	-.26758296
4.2	-.871806313	-.17262816	-.28517815
4.3	-.87370427	-.17194205	-.38189196
4.4	-.87611489	-.17107703	-.31768851
4.5	-.87831138	-.17022308	-.33242788
4.6	-.88330813	-.16937498	-.34630315
4.7	-.88211093	-.16833039	-.35924199
4.8	-.88375637	-.16768900	-.37125798
4.9	-.88532378	-.16665202	-.38237469
5.0	-.88595977	-.16602157	-.39262166
5.1	-.88774907	-.16520039	-.40203084
5.2	-.88881373	-.16439148	-.41866689
5.3	-.88973054	-.16359776	-.41855209
5.4	-.89099973	-.16202198	-.42574436
5.5	-.89134816	-.16206456	-.43229296
5.6	-.89208399	-.16133352	-.43024668
5.7	-.89294487	-.16082449	-.44365373
5.8	-.89389584	-.15994071	-.44096688

## 1.S SIGMA G - 3.P SIGMA U

R	Q(-)	H(-)	RIJ
8.5	.09411439	-.15834651	-.45892547
9.4	.09483967	-.15691971	-.46705249
9.5	.09534922	-.15565645	-.47344941
10.0	.09570217	-.15454731	-.47851923
10.5	.09594283	-.15357989	-.48257508
11.0	.09611398	-.15274857	-.48585652
11.5	.09620956	-.15281554	-.48854597
12.0	.09627695	-.15139150	-.49078105
12.5	.09631863	-.15085597	-.49266567
13.0	.09634349	-.15039755	-.49427815
13.5	.09635788	-.15000598	-.49567761
14.0	.09636589	-.14967103	-.49698874
14.5	.09637075	-.14938717	-.49800548
15.0	.09637433	-.14914478	-.49899334
15.5	.09637795	-.14893844	-.49989222
16.0	.09631236	-.14876273	-.50071712
16.5	.09633004	-.14861302	-.50147970
17.0	.09639517	-.14848532	-.50218903
17.5	.09640381	-.14837620	-.50285224
18.0	.09641393	-.14828279	-.50347498
18.5	.09642541	-.14820262	-.50406181
19.0	.09643812	-.14813362	-.50461643
19.5	.09645191	-.14807404	-.50514190
20.0	.09646663	-.14802248	-.50566879
22.0	.09653197	-.14707354	-.50741815
24.0	.09660251	-.14770264	-.50888742
26.0	.09666738	-.14772353	-.51013980
28.0	.09674356	-.14768325	-.51121512
30.0	.09681075	-.14765512	-.51214911
32.0	.09687497	-.14763543	-.51296878
34.0	.09693611	-.14762192	-.51369479
36.0	.09697419	-.14761309	-.51434313
38.0	.09704933	-.14760788	-.51492628
40.0	.09713165	-.14760550	-.51545413
42.0	.09715130	-.14760535	-.51593458
44.0	.09717043	-.14760693	-.51637406
46.0	.09724318	-.14760988	-.51677783
48.0	.09724570	-.14761390	-.51715025
50.0	.09732612	-.14761875	-.51749498
52.0	.0975102	-.14764985	-.51889691
70.0	.09763982	-.14768441	-.51992455
80.0	.09775209	-.14771761	-.52071198
90.0	.09784453	-.14774796	-.52133537
100.0	.09792182	-.14777528	-.52184147
R+(0)	.098765	-.148148	-.526749
R+(1)	-.098765	.049383	.526749
R+(2)	1.530864	-1.242798	-3.950617
AS(R=100)	.097931	-.1477779	-.521877

## 2.P SIGMA U - 2.S SIGMA G

R	Q(-)	H(-)	RIJ
1.0	0.000000	0.000000	-1.500000
1.1	.00254669	-.02399496	-1.49876904
1.2	.00875642	-.05223021	-1.49396972
1.3	.01717317	-.08095853	-1.48405291
1.4	.02692513	-.10827106	-1.46791480
1.5	.03743265	-.13309681	-1.44495641
1.6	.04825535	-.15472678	-1.41507990
1.7	.05902267	-.17268657	-1.37868155
1.8	.06941111	-.18674986	-1.33661611
1.9	.07914624	-.19697140	-1.29010797
2.0	.08801441	-.20367717	-1.24060898
2.1	.09587305	-.20739688	-1.189f2807
2.2	.10265308	-.20876088	-1.13857091
2.3	.10835194	-.20839727	-1.08862243
2.4	.11301963	-.20685761	-1.04f68687
2.5	.11674193	-.20458076	-.99330118
2.6	.11962434	-.20188864	-.95306577
2.7	.12177907	-.19900152	-.93389415
2.8	.12331591	-.19606074	-.87786670
2.9	.12433651	-.19315132	-.84487939
2.0	.12493155	-.19032070	-.81476339
2.2	.12514818	-.18497641	-.76231552
2.3	.12446153	-.18008240	-.71880050
2.4	.12321610	-.17561439	-.68260073
2.5	.12164464	-.17153327	-.65233738
2.6	.11990190	-.16780749	-.62680680
2.7	.11808972	-.16439609	-.60535201
2.8	.11627442	-.16128738	-.59702271
2.9	.11449861	-.15845728	-.57133698
3.0	.11278910	-.15588801	-.55784499
3.1	.11116210	-.15356328	-.54620311
3.2	.10962676	-.15146787	-.53611388
3.3	.10818747	-.14958735	-.52735042
3.4	.10684546	-.14790798	-.51972464
3.5	.10559986	-.14641664	-.51308207
3.6	.10444841	-.14510882	-.50729487
3.7	.10338795	-.14394856	-.50225637
3.8	.10241477	-.14294842	-.49787686
3.9	.10152478	-.14208949	-.49408030
4.0	.10071376	-.14136137	-.49080168
4.1	.09939735	-.14075408	-.48798498
4.2	.09931130	-.14025811	-.48558154
4.3	.09871124	-.13986435	-.48354874
4.4	.09817299	-.13956410	-.48184897
4.5	.09769241	-.13934903	-.48044875
4.6	.09726550	-.13921117	-.47931813
4.7	.09688838	-.13914292	-.47843007
4.8	.09655730	-.13913704	-.47776007
4.9	.09626863	-.13918662	-.47728577
5.0	.09601491	-.13928512	-.47698673
5.1	.09580483	-.13942633	-.47684415

## 2.P SIGMA U - 2.S SIGMA G

R	Q(-)	H(-)	RIJ
3.0	.09540511	-.13992076	-.47706204
9.0	.09516363	-.14058111	-.47791003
9.0	.09504165	-.14131602	-.47922049
12.0	.09500680	-.14288014	-.48081528
12.0	.09503282	-.14283331	-.48258102
12.0	.09509985	-.14354732	-.48442480
12.0	.09518978	-.14420411	-.48627800
12.0	.09529345	-.14479385	-.48809286
12.0	.09540190	-.14531294	-.48983456
13.0	.09550960	-.14576228	-.49148554
13.0	.09561304	-.14614570	-.49303439
14.0	.09571017	-.14646879	-.49447722
14.0	.09579995	-.14673799	-.49581482
15.0	.09588208	-.14695996	-.49705101
15.0	.09595671	-.14714119	-.49819150
16.0	.09602425	-.14728769	-.49924301
16.0	.09608528	-.14740492	-.50021268
17.0	.09614046	-.14749769	-.50110765
17.0	.09619043	-.14757019	-.50193483
18.0	.09623583	-.14762601	-.50270071
18.0	.09627726	-.14766821	-.50341130
19.0	.09631526	-.14769935	-.50407208
19.0	.09635028	-.14772158	-.50468798
20.0	.09638277	-.14773666	-.50526349
22.0	.09649389	-.14775133	-.50723468
24.0	.09658566	-.14773106	-.50880839
25.0	.09666648	-.14770199	-.51010501
29.0	.09674043	-.14767434	-.51120009
30.0	.09680943	-.14765146	-.51214270
32.0	.09687442	-.14763393	-.51296608
34.0	.09693588	-.14762131	-.51369366
36.0	.09699410	-.14761284	-.51434266
39.0	.09704929	-.14760778	-.51492609
42.0	.09710163	-.14760546	-.51545405
42.0	.09715129	-.14760533	-.51593455
44.0	.09719843	-.14760692	-.51637485
46.0	.09724318	-.14760988	-.51677783
48.0	.09728570	-.14761390	-.51715025
51.0	.09732612	-.14761875	-.51749498
51.0	.09750102	-.14764985	-.51889691
52.0	.09763982	-.14768441	-.51992455
50.0	.09775209	-.14771761	-.52071198
53.0	.09784453	-.14774796	-.52133537
59.0	.09792182	-.14777520	-.52184147
R+( 0)	.098765	-.148148	-.526749
R+( -1)	-.098765	.049383	.526749
R+( -2)	1.530864	-1.242798	-3.950617
AG(R=1.0)	.097931	-.147779	-.521877

## 1.S SIGMA G - 3.D SIGMA G

R	Q(+)	H(+)	H(*)
1.0	0.001000	.061237	0.000000
1.1	.00205746	.06149354	.00003035
1.2	.00419337	.06222497	.00012249
1.3	.00644873	.06335817	.00027919
1.4	.00884416	.06482486	.00050423
1.5	.01133114	.06657497	.00080203
1.6	.01403710	.06857477	.00117757
1.7	.01596765	.07080260	.00163628
1.8	.02003766	.07324517	.00218404
1.9	.02322180	.07589466	.00282715
1.0	.02661464	.07874673	.00357234
1.1	.03019076	.08179888	.00442671
1.2	.03395465	.08504919	.00539774
1.3	.03791054	.08849522	.00649318
1.4	.04206220	.09213299	.00772100
1.5	.04641266	.09595605	.00908924
1.6	.05096387	.09995446	.01060588
1.7	.05571631	.10411393	.01227859
1.8	.06063853	.10841501	.01411449
1.9	.06581674	.11283238	.01611986
2.0	.07113424	.11733436	.01829971
2.2	.08235313	.12643330	.02319439
2.4	.09413745	.13533746	.02879827
2.6	.10631154	.14361269	.03506493
2.8	.11861560	.15083373	.04189308
3.0	.13074442	.15666929	.04912677
3.2	.14237950	.16095112	.05656713
3.4	.15322611	.16369579	.06399433
3.6	.16704454	.1690 / 150	.07119286
3.8	.17166727	.16533020	.07797454
4.0	.17903048	.16473777	.08419245
4.2	.18501418	.16352531	.08974570
4.4	.18373719	.16187117	.09457673
4.6	.19313243	.15989642	.09866450
4.8	.19543515	.15768106	.10201638
5.0	.19663464	.15527533	.10466057
5.2	.19691891	.15271206	.10663968
5.4	.19625114	.158081532	.10800575
5.6	.19482709	.14720579	.10881647
5.8	.19273295	.14430359	.10913219
6.0	.19005322	.14132945	.10901371
6.2	.18691878	.13838481	.10852060
6.4	.18341499	.13525137	.10770982
6.6	.17963722	.13219042	.10663485
6.8	.17564466	.12914227	.10534492
7.0	.17152959	.12612560	.10388469
7.2	.16734705	.12315713	.10229404
7.4	.16314997	.12025136	.10060807
7.6	.15899250	.11742050	.09885725
7.8	.15483067	.11467447	.09706770
8.0	.15087317	.11202103	.09526152

## 1.S SIGMA G - 3.0 SIGMA G

R	Q(+)	H(+)	H(*)
8.5	.14139893	.10582618	.09078634
9.0	.13284663	.10828787	.08652036
9.5	.12523107	.09548495	.08257919
10.0	.11863288	.09114721	.07901745
10.5	.11293568	.08766931	.07565141
11.0	.10813971	.088431987	.07307463
11.5	.10396791	.08164702	.07066823
12.0	.10047788	.07948137	.06860733
12.5	.09756443	.07753736	.06686485
13.0	.09516069	.07681368	.06541372
13.5	.09321770	.07479307	.06422800
14.0	.09163406	.07386187	.06328332
14.5	.09045442	.07312953	.06255703
15.0	.08953866	.07262795	.06202802
15.5	.08839679	.07231103	.06167657
16.0	.08835980	.07215424	.06148405
16.5	.088445026	.07213424	.06143268
17.0	.08841903	.07222875	.06150531
17.5	.08863749	.07241650	.06168529
18.0	.08801999	.07267724	.06195639
18.5	.08845203	.07299197	.06230283
19.0	.08839313	.07334315	.06270934
19.5	.08953232	.07371497	.06316132
20.0	.09121813	.07409364	.06364508
22.0	.09385609	.07547862	.06566622
24.0	.09610819	.07643030	.06744871
26.0	.09771086	.07694473	.06878844
28.0	.09971168	.077115932	.06972014
30.0	.09933287	.07720209	.07035630
32.0	.09904449	.07715642	.07080039
34.0	.099181721	.07706938	.07112452
36.0	.09994448	.07696576	.07137342
38.0	.10110256	.07685801	.07157357
40.0	.10103210	.07675203	.07174049
42.0	.10104346	.07665050	.07188350
44.0	.10104416	.07655439	.07200836
46.0	.10101773	.07646396	.07211886
48.0	.10102648	.07637907	.07221766
51.0	.10101203	.07629945	.07230667
60.0	.09191856	.07596783	.07264717
70.0	.09982005	.07571964	.07287712
80.0	.09973022	.07552797	.07304313
90.0	.09165139	.07537583	.07316870
100.0	.09358287	.07525230	.07326702
R+(0)	.093765	.074874	.074874
R+(-1)	.093765	.123457	-.074074
R+(-2)	-1.629630	-.547325	-.646091
AS(R=1.00)	.099599	.075254	.073269

## 2.P SIGMA U - 4.F SIGMA U

R	Q(+)	H(+)	H(*)
3.0	0.000000	.035694	0.000000
.1	.00071324	.03567910	.00000297
.2	.00142266	.03563395	.00001189
.3	.00212443	.03555862	.00002675
.4	.00281488	.03545298	.00004754
.5	.00349073	.03531685	.00007424
.6	.00414945	.03515017	.00010684
.7	.00478962	.03495352	.00014535
.8	.00541139	.03472894	.00016984
.9	.00601660	.03448089	.00024048
.0	.00660083	.03421703	.00029726
.1	.00719305	.03394831	.00036071
.2	.00777525	.03368821	.00043120
.3	.00836183	.03345142	.00050925
.4	.00895917	.03325223	.00059553
.5	.00957327	.03310333	.00169076
.6	.01020956	.03301499	.00079575
.7	.01087282	.03299480	.00091139
.8	.01156715	.03304788	.00103860
.9	.01229612	.03317723	.00117635
.0	.01306278	.03338425	.00133169
.2	.01471951	.03403144	.00168338
.3	.01655530	.03498400	.00210276
.4	.01858513	.03623263	.00259963
.5	.02082230	.03776876	.00318458
.6	.02327923	.03958628	.00386901
.7	.02596774	.04168166	.00466517
.8	.02889905	.04405327	.00558684
.9	.03200355	.04670011	.00664531
.0	.03553081	.04962037	.00785714
.2	.03924795	.05280956	.00923592
.3	.04323984	.05625852	.01079577
.4	.04750743	.05995115	.01255002
.5	.05204665	.06386223	.01451034
.6	.05684686	.06795532	.01668580
.7	.06188936	.07218131	.01908167
.8	.06714601	.07647802	.02169810
.9	.07257009	.08077132	.02452889
.0	.07813681	.08497826	.02756026
.2	.08375977	.08901215	.03077025
.3	.08938075	.09278927	.03412850
.4	.09492461	.09623626	.03759705
.5	.10031524	.09929675	.04113183
.6	.10547925	.10193596	.044668500
.7	.11035040	.10414224	.04820770
.8	.11487336	.10592553	.05165291
.9	.11900622	.10731310	.05497805
.0	.12272160	.10834400	.05814686
.2	.12600639	.10906331	.06113067
.3	.12886038	.10951721	.06390867
.4	.13129412	.10974938	.06646776

## 2.P SIGMA U - 4.F SIGMA U

R	Q(+)	H(+)	H(-)
5.5	.13567822	.10960222	.07188093
6.0	.13798683	.10875843	.07594248
6.5	.13869532	.10749740	.07881554
7.0	.13823772	.10598388	.08070768
7.5	.13697017	.10432049	.08182328
8.0	.13516843	.10257764	.08234371
8.5	.13303882	.10080647	.08242003
9.0	.13073217	.09904551	.08217484
9.5	.12835670	.09732373	.08170175
10.0	.12598869	.09566243	.08107759
10.5	.12368067	.09407669	.08035855
11.0	.12146774	.09257657	.07958774
11.5	.11937228	.09116810	.07879736
12.0	.11740743	.08985422	.07881111
12.5	.11557966	.08863541	.07724611
13.0	.11369073	.08751836	.07651448
13.5	.11233902	.08647644	.07582418
14.0	.11092063	.08553001	.07518039
14.5	.10963008	.08466682	.07458617
15.0	.10846089	.08388216	.07484261
15.5	.10740597	.08317109	.07354963
16.0	.10645791	.08252854	.07310618
16.5	.10560918	.08194945	.07271052
17.0	.10485232	.08142883	.07236041
17.5	.10260089	.07983674	.07136163
18.0	.10128571	.07882998	.07086700
18.5	.10057360	.07819638	.07070519
19.0	.10022331	.07778771	.07074066
19.5	.10007354	.07750874	.07087869
20.0	.10002474	.07730272	.07105274
20.5	.10002036	.07713792	.07125015
21.0	.10003099	.07699737	.07143386
21.5	.10004275	.07687239	.07160140
22.0	.10005017	.07675851	.07175329
22.5	.10005178	.07665337	.07188931
23.0	.10004788	.07655566	.07201096
23.5	.10003937	.07646452	.07212003
24.0	.10002721	.07637931	.07221017
24.5	.10001230	.07629952	.07230666
25.0	.09991856	.07596783	.07264717
25.5	.09982005	.07571964	.07287712
26.0	.09973022	.07552797	.07304313
26.5	.09965139	.07537583	.07316878
27.0	.09958287	.07525230	.07326702
P+(+)	.098765	.074874	.074874
P+(-)	.098765	.123457	-.074874
R+(-2)	-1.629630	-.547325	-.646091
AC(R=1.0)	.899590	.075254	.073269

## 1.S SIGMA G - 4.F SIGMA U

R	Q(-)	H(-)	RIJ
0.0	0.019030	0.000800	0.000000
.1	-.00000515	-.00020533	.00000556
.2	-.00002110	-.00041710	.00002340
.3	-.00004896	-.00063972	.00005622
.4	-.00009006	-.00087613	.00010749
.5	-.00014588	-.00112843	.00018123
.6	-.00021791	-.00139831	.00028184
.7	-.00030770	-.00168722	.00041414
.8	-.00041683	-.00199653	.00058329
.9	-.00054689	-.00232763	.00079486
1.0	-.00069953	-.00268192	.00105479
1.1	-.00087643	-.00306088	.00136940
1.2	-.00107932	-.00346605	.00174544
1.3	-.00130996	-.00388911	.00219004
1.4	-.00157017	-.00436183	.00271075
1.5	-.00185183	-.00485609	.00331557
1.6	-.00213686	-.00538393	.00481292
1.7	-.00254719	-.00594752	.00481166
1.8	-.00294498	-.00654915	.00572111
1.9	-.00333207	-.00719131	.00675101
2.0	-.00386082	-.00787661	.00791160
2.2	-.00495193	-.00938797	.01066789
2.4	-.00623638	-.01110766	.01408058
2.6	-.00773304	-.01306293	.01824698
2.8	-.00946130	-.01528387	.02327058
3.0	-.01144084	-.01780325	.02926001
3.2	-.01369129	-.02065614	.03632768
3.4	-.01623170	-.02387922	.04458789
3.6	-.01808003	-.02758970	.05415439
3.8	-.02225234	-.03158374	.06513726
4.0	-.02576192	-.03613441	.07763911
4.2	-.02961818	-.04118890	.09175045
4.4	-.03382541	-.04676538	.10754429
4.6	-.03836132	-.05286927	.12506979
4.8	-.04327553	-.05948945	.14434537
5.0	-.04643799	-.06659474	.16535129
5.2	-.05398768	-.087413127	.18802240
5.4	-.05973123	-.08202157	.21224186
5.6	-.06566337	-.09816583	.23783705
5.8	-.07171683	-.09844608	.26457879
6.0	-.07781463	-.10673289	.29218530
6.2	-.08387312	-.11489423	.32033136
6.4	-.08380628	-.12280489	.34866259
6.6	-.09557054	-.13835506	.37681357
6.8	-.10096964	-.13745659	.40442764
7.0	-.10605882	-.14484601	.43117571
7.2	-.11074772	-.15808446	.45677166
7.4	-.11500182	-.15955511	.48098272
7.6	-.11860231	-.16845912	.50363424
7.8	-.12214482	-.16481115	.52468925
8.0	-.12503719	-.16863525	.54384404

## 1.S SIGMA G - 4.F SIGMA U

R	Q(-)	H(-)	RIJ
8.5	-.13043072	-.17688981	.58429403
9.0	-.13356032	-.18896460	.61445787
9.5	-.13492755	-.18376331	.63567654
10.0	-.13493880	-.18581544	.64951348
10.5	-.13416002	-.18585611	.65747127
11.0	-.13271101	-.18423636	.66087126
11.5	-.13087612	-.18200911	.66082144
12.0	-.12881921	-.18097817	.65822484
12.5	-.12665789	-.17889798	.65380387
13.0	-.12447512	-.17668483	.64812846
13.5	-.12232840	-.17442483	.64164301
14.0	-.12025657	-.17218065	.63469019
14.5	-.11823494	-.16999686	.62753106
15.0	-.11642902	-.16790441	.62036179
15.5	-.11463726	-.16592359	.61332720
16.0	-.11303307	-.16486698	.60653175
16.5	-.11161628	-.16234126	.60004836
17.0	-.11026423	-.15874871	.59392535
17.5	-.10303251	-.15928846	.58819204
18.0	-.10791558	-.15795727	.58286314
18.5	-.10690717	-.15675029	.57794222
19.0	-.10500057	-.15566150	.57342449
19.5	-.10513890	-.15468415	.56929890
20.0	-.10445522	-.15381105	.56554990
22.0	-.10231639	-.15121289	.55391829
24.0	-.10107003	-.14970681	.54660050
26.0	-.10104158	-.14890844	.54224312
28.0	-.10103996	-.14853333	.53975772
30.0	-.09995566	-.14839112	.53837152
32.0	-.09393617	-.14836529	.53758482
34.0	-.09291573	-.14839826	.53710429
36.0	-.09395905	-.14843216	.53676810
38.0	-.09393017	-.14847518	.53649461
40.0	-.10000544	-.14851291	.53624742
42.0	-.10001294	-.14854361	.53600613
44.0	-.10101141	-.14856739	.53577025
46.0	-.10001987	-.14858520	.53553754
48.0	-.10101127	-.14859803	.53530457
50.0	-.09993937	-.14860684	.53508446
52.0	-.09991534	-.14861523	.53406719
54.0	-.09981174	-.14859688	.53323117
56.0	-.09972467	-.14857117	.53255087
58.0	-.09964749	-.14854458	.53199261
60.0	-.09359003	-.14851934	.53152863
R+(0)	-.198755	-.148148	.526749
R+(-1)	-.098765	-.049383	.526749
R+(-2)	1.629630	1.193416	-4.477366
AS(R=100)	-.093530	-.148523	.531569

## 2.P SIGMA U - 3.0 SIGMA G

R	Q(-)	H(-)	RIJ
.1	-.17026292	-.613390933	1.22322218
.2	-.17032727	-.341181154	1.21513871
.3	-.17039577	-.28003247	1.20179585
.4	-.17046227	-.171593057	1.18346510
.5	-.17058185	-.137899301	1.16062168
.6	-.17069419	-.115571633	1.13397600
.7	-.17082686	-.997464938	1.10447055
.8	-.17099842	-.87986223	1.07323288
.9	-.17123879	-.78944600	1.04148687
.0	-.17158756	-.71811956	1.01044134
.1	-.17208974	-.66077702	.98117989
.2	-.17279035	-.61405344	.95458003
.3	-.17372917	-.57564960	.93127377
.4	-.17493689	-.54393786	.91164894
.5	-.17643303	-.51772214	.89587993
.6	-.17822552	-.49688877	.88397257
.7	-.18031134	-.47831302	.87581181
.8	-.18267777	-.46380014	.87119843
.9	-.18530378	-.45204793	.86988858
.0	-.18816130	-.44262246	.87160788
.1	-.19442960	-.42926650	.88298184
.2	-.20115437	-.42113766	.90298961
.3	-.20795271	-.41613951	.92931139
.4	-.21441876	-.41261291	.95967750
.5	-.22016483	-.41933643	.99192198
.6	-.22486206	-.40552506	1.02407384
.7	-.22828560	-.40078444	1.05446354
.8	-.23032489	-.39501555	1.08180094
.9	-.23096269	-.38629837	1.10519968
.0	-.23035231	-.38079093	1.12414457
.1	-.22658415	-.37266385	1.13842431
.2	-.22585741	-.36406981	1.14805185
.3	-.22235554	-.35513637	1.15319389
.4	-.21825107	-.34596938	1.15411594
.5	-.21369753	-.33665898	1.15114398
.6	-.20882647	-.32728447	1.14463890
.7	-.20374775	-.31791699	1.13497972
.8	-.19855138	-.30862072	1.12255187
.9	-.19331009	-.29945293	1.10773840
.0	-.18808195	-.29046375	1.09091282
.1	-.18291282	-.28169587	1.07243307
.2	-.17783845	-.27318443	1.05263650
.3	-.17288627	-.26495720	1.03183594
.4	-.16807691	-.25703498	1.01031684
.5	-.16342539	-.24943218	.98833559
.6	-.15894221	-.24215754	.96611896
.7	-.15463414	-.23521495	.94386434
.8	-.15050497	-.22860418	.92174692
.9	-.14655608	-.22232167	.89989132
.0	-.14278693	-.21636122	.87843378

## 2.P SIGMA U - 3.0 SIGMA G

Q(-)	H(-)	R <sub>IJ</sub>
-.13413414	-.20281143	.82708657
-.12653028	-.19105801	.77974398
-.11989404	-.18091782	.73686434
-.11413613	-.17220846	.69854251
-.10916788	-.16476016	.66465030
-.10490576	-.15842969	.63493473
-.10127352	-.15305637	.60908268
-.09820282	-.14855113	.58676137
-.09563302	-.14480457	.56764214
-.09351061	-.14172981	.55141334
-.09178838	-.13925122	.53778622
-.09042446	-.13730245	.52649647
-.08938149	-.13582460	.51730334
-.08862577	-.13476460	.50998732
-.08812643	-.13407392	.50434722
-.08785487	-.13370751	.50019719
-.08778410	-.13362292	.49736387
-.08788842	-.13377977	.49568404
-.08814304	-.13413942	.49500282
-.08852398	-.13466490	.49517257
-.08900806	-.13532103	.49605250
-.08957299	-.13607471	.49750886
-.09019753	-.13689534	.49941581
-.09086207	-.13775522	.50165652
-.09358851	-.14115507	.51200912
-.09590076	-.14388632	.52143198
-.09753687	-.14573873	.52814133
-.09857523	-.14688378	.53225981
-.09919577	-.14756178	.53453894
-.09956624	-.14795047	.53568533
-.09976369	-.14819603	.53618555
-.09988258	-.14834090	.53633261
-.09994999	-.14843297	.53629168
-.09998675	-.14849367	.53615266
-.10000462	-.14853493	.53596389
-.10001041	-.14856352	.53575132
-.10000820	-.14858347	.53552904
-.10000054	-.14859728	.53530484
-.09998909	-.14860658	.53508308
-.09990534	-.14861523	.53486719
-.09981174	-.14859688	.53323117
-.09972467	-.14857117	.53255087
-.09964749	-.14854458	.53199261
-.09958003	-.14851934	.53152863
P+(-)	-.098765	-.148148
P+(-)	-.098765	-.049383
P+(-)	1.629630	1.193416
P+(-)	-.099590	-.148523
		.531569

1.8 SIGMA G - 3.0 PI G		2.P SIGMA U - 2.P PI U
R	B(+)	B(+) R+2
0.0	.025000	1.414214/R+2
1.	.02518468	141.42881121
2.	.02562254	35.35318742
3.	.02619887	15.70874835
4.	.02685018	8.83667649
5.	.02754038	5.64462695
6.	.02824798	3.91166766
7.	.02895365	2.86483563
8.	.02966670	2.18392792
9.	.03036320	1.71689786
1.0	.03104495	1.38091216
1.1	.03170882	1.13275392
1.2	.03235248	.94415488
1.3	.03297376	.79773296
1.4	.03357135	.68202867
1.5	.03414388	.58921354
1.6	.03469027	.51378318
1.7	.03520966	.45177126
1.8	.03570133	.40826898
1.9	.03616473	.35707026
2.0	.03659947	.32054265
2.2	.03738201	.26266553
2.4	.03804831	.21943421
2.6	.03859952	.18634199
2.8	.03903821	.16846762
3.0	.03936802	.13985962
3.2	.03959336	.12317897
3.4	.03971910	.10948447
3.6	.03975033	.09818810
3.8	.03969227	.08853874
4.0	.03955015	.08048729
4.2	.03932924	.07345018
4.4	.03903483	.06744455
4.6	.03867230	.06222312
4.8	.03824720	.05765403
5.0	.03776521	.05363223
5.2	.03723221	.05087316
5.4	.03665420	.04698814
5.6	.03603729	.04408888
5.8	.03538762	.04154492
6.0	.03471122	.03926159
6.2	.03401397	.03719851
6.4	.03330147	.03532839
6.6	.03257895	.03362809
6.8	.03185125	.03287787
7.0	.03112274	.03066881
7.2	.03039728	.02936235
7.4	.02967827	.02816986
7.6	.02896860	.02707239
7.8	.02827069	.02686837
8.0	.02758655	.02512539

## 1.S SIGMA G -3.D PI G

## 2.P SIGMA U -2.P PI U

R	B(+)	B(+)B(-)
8.5	.02594604	.02367867
9.0	.02441659	.02137551
9.5	.02300411	.01994544
10.0	.02173776	.01873463
10.5	.02052257	.01778125
11.0	.01944136	.01681223
11.5	.01845563	.01604111
12.0	.01755702	.01536643
12.5	.01673712	.01477868
13.0	.01598836	.01423951
13.5	.01530258	.01376115
14.0	.01467406	.01332597
14.5	.01409653	.01292618
15.0	.01356465	.01255551
15.5	.01307365	.01220898
16.0	.01261928	.01180271
16.5	.01219779	.01157367
17.0	.01180583	.01127957
17.5	.01144045	.01099868
18.0	.01109901	.01072967
18.5	.01077321	.01047156
19.0	.01147900	.01022357
19.5	.01019653	.00998511
20.0	.00993121	.00975569
22.0	.00999998	.00892076
24.0	.008823903	.00828307
26.0	.00753358	.00758445
28.0	.00705519	.00704866
30.0	.00658435	.00658164
32.0	.00617284	.00617172
34.0	.00560567	.00588940
36.0	.00548723	.00548704
38.0	.00519952	.00519844
40.0	.00493966	.00493864
42.0	.00470352	.00470351
44.0	.00448976	.00448974
46.0	.00429454	.00429454
48.0	.00411560	.00411560
50.0	.00395097	.00395096
60.0	.00323241	.00329241
70.0	.00282202	.00282202
80.0	.00246923	.00246923
90.0	.00219485	.00219485
100.0	.00175335	.00197535
R+(0)	0.0000001	0.0000000
R+(-1)	.137531	.197531
R+(-2)	-.111000	-.000000
R+(-3)	-.111000	-.000000
AS(R=100)	.001975	.001975

## 1.S SIGMA G -2.P PI U, 2.P SIGMA U -3.D PI G

R	B(-)	RIJ	B(-)	RIJ
0.0	-.395062/R	-.372468	-.208534/R	-1.061683
.1	-.95393678	-.37818271	-2.08534040	-1.05919075
.2	-1.97909292	-.39146762	-1.04264859	-1.05173582
.3	-1.31935871	-.40869771	-.69503758	-1.03941583
.4	-.98787034	-.42795911	-.52116060	-1.02245533
.5	-.78764135	-.44819458	-.41674579	-1.00125191
.6	-.65313289	-.46879432	-.34704090	-.97640437
.7	-.55630638	-.48939484	-.29716322	-.94871078
.8	-.48315070	-.50977463	-.25968607	-.91912797
.9	-.42587580	-.52979781	-.23049858	-.88869601
1.0	-.37979729	-.54937748	-.20714603	-.85844000
1.1	-.34192353	-.56864627	-.18807369	-.822427538
1.2	-.31025066	-.58702633	-.17224625	-.80193727
1.3	-.28338355	-.60504589	-.15864378	-.77694660
1.4	-.26031931	-.62251361	-.14764593	-.75612220
1.5	-.24031754	-.63942546	-.13796396	-.73595878
1.6	-.22281898	-.65578067	-.12959955	-.71826779
1.7	-.20739294	-.67158033	-.12231897	-.70412018
1.8	-.19370208	-.686802657	-.11593622	-.69243397
1.9	-.18147825	-.70152193	-.11030164	-.68299387
2.0	-.17050551	-.71566897	-.10529382	-.67557259
2.2	-.15164086	-.74232738	-.09677987	-.66589696
2.4	-.13603659	-.76681686	-.08979529	-.66176260
2.6	-.12294327	-.78914668	-.08393130	-.66179465
2.8	-.11182112	-.80932142	-.087890511	-.66489397
3.0	-.10227173	-.82734346	-.07451855	-.67020025
3.2	-.09399492	-.84321614	-.07063094	-.67704667
3.4	-.08676049	-.85694730	-.06714100	-.68491866
3.6	-.08038928	-.86855290	-.06397681	-.69342007
3.8	-.07474003	-.87806047	-.06107756	-.70224654
4.0	-.06970012	-.88551227	-.05840795	-.71116497
4.2	-.06517889	-.89896778	-.05593431	-.7199768
4.4	-.06110279	-.89450498	-.05363189	-.72861028
4.6	-.05741165	-.89622170	-.05140100	-.73690226
4.8	-.05405594	-.89623436	-.04946566	-.74479991
5.0	-.05099462	-.89467663	-.04757269	-.75225058
5.2	-.04819347	-.89169671	-.04579099	-.75921037
5.4	-.04562373	-.88745372	-.04411110	-.76568074
5.6	-.04326108	-.88211370	-.04252486	-.77162582
5.8	-.04108474	-.87584520	-.04102507	-.77705024
6.0	-.03907687	-.86881518	-.03960542	-.78195748
6.2	-.03722194	-.86118588	-.03826025	-.78635647
6.4	-.03558637	-.85310763	-.03698446	-.79026048
6.6	-.03391814	-.84472631	-.03577346	-.79368621
6.8	-.03244653	-.83616358	-.03462306	-.79665301
7.0	-.03108194	-.82753985	-.03352946	-.79918227
7.2	-.02981568	-.81895312	-.03248914	-.80129604
7.4	-.02863988	-.81848916	-.03149889	-.80382062
7.6	-.02754734	-.80222012	-.03055575	-.80437813
7.8	-.02653150	-.79420542	-.02965696	-.80539619
8.0	-.02558634	-.78649286	-.02879999	-.80669363



## 2.S SIGMA G - 2.S SIGMA G

R	H(1)	H(2)	E	NORMA
8.5	.06861537	.06871251	-.216868388	.26386574
9.0	.06908934	.06811547	-.212412467	.26431794
9.5	.06947703	.06767725	-.208378642	.26489217
10.0	.06976399	.06735794	-.204710626	.26549895
10.5	.06994804	.06712458	-.201365863	.26607940
11.0	.07003660	.06695079	-.198306838	.26650080
11.5	.07004187	.06681618	-.195508534	.26699204
12.0	.06997832	.06670565	-.192917963	.26729936
12.5	.06986053	.06660844	-.190533747	.26750243
13.0	.06970185	.06651725	-.188325724	.26760718
13.5	.06351383	.06642749	-.186274578	.26762322
14.0	.06933602	.06633651	-.184363498	.26756198
14.5	.06908604	.06624301	-.182577860	.26743537
15.0	.06885981	.06614664	-.180984935	.26725497
15.5	.06836185	.06634764	-.179333637	.26703143
16.0	.06840543	.06594655	-.177854288	.26677430
16.5	.06818316	.06584410	-.176458425	.26649184
17.0	.06799656	.06574106	-.175138624	.26619112
17.5	.06775685	.06563816	-.173888353	.26587805
18.0	.06755476	.06553609	-.172701845	.26555748
18.5	.06736071	.06543543	-.171573991	.26523337
19.0	.06717489	.065333669	-.170500248	.26490889
19.5	.06639731	.06524024	-.169476563	.26458653
20.0	.06682787	.06514641	-.168499303	.26426823
22.0	.06622680	.06480782	-.164993822	.26305995
24.0	.06573363	.06450510	-.162019146	.26198141
26.0	.06532786	.06425614	-.159460278	.26103640
28.0	.06439178	.06404720	-.157234338	.26021239
30.0	.06471104	.06387176	-.155279645	.25949275
32.0	.06447451	.06372364	-.153549124	.25886149
34.0	.06427357	.06355977	-.152006121	.25830469
36.0	.06410147	.06349008	-.150621621	.25781073
38.0	.063395306	.06339710	-.149372332	.25737002
40.0	.0632419	.06331686	-.148239330	.25697473
42.0	.06371162	.06324667	-.147207075	.25661841
44.0	.06361271	.06318509	-.146262682	.25629571
46.0	.06352537	.06313077	-.145395381	.25600222
48.0	.06344786	.06308263	-.144596092	.25573423
50.0	.063337877	.06303976	-.143857111	.25548863
60.0	.06312476	.06288255	-.140865741	.25451644
70.0	.06236653	.06278513	-.138693556	.25383344
80.0	.06296157	.06272046	-.137044533	.25332828
90.0	.06273833	.06267555	-.135749969	.25293992
100.0	.06273525	.06264315	-.134706666	.25263226
R+( 0) .062500 .062500 -.12500000 .250000R+M				
R+( -1) 0.000000 0.000000 -1.00000000 0				
R+( -2) 2.500000 1.500000 3.00000000 0				
R+( -3) 0 0 0 0 0 0 0 0				
R+( -4) 0 0 0 0 0 0 0 0				
AS(R=100).062750 .062650 -.13470678 .250000				

## 3.P SIGMA U - 3.P SIGMA U

R	H(1)	H(2)	E	NORMA
.1	200.00000	20.5436	.11140755	-.222419817
.2	50.0081	3003	.11229669	-.223012753
.3	22.24085993		.11377018	-.223998885
.4	12.53028415		.11579703	-.225368991
.5	8.04397948		.11830957	-.227101924
.6	5.61250730		.12119370	-.229160508
.7	4.144875324		.12428838	-.231489370
.8	3.19784311		.12739832	-.234015871
.9	2.54253825		.13031917	-.236654703
1.0	2.06918795		.13286841	-.239315480
1.1	1.71436933		.13491196	-.241911583
1.2	1.44084214		.13637775	-.244368004
1.3	1.22564570		.13725461	-.24626515
1.4	1.05385518		.13757936	-.248647552
1.5	.91522553		.13741942	-.250409247
1.6	.80237377		.13685614	-.251904656
1.7	.70978320		.13597221	-.253138215
1.8	.63323517		.13484373	-.254122252
1.9	.56946188		.13353641	-.256873980
2.0	.51591519		.13210441	-.255413165
2.1	.43195331		.12902947	-.255336143
2.2	.36998913		.12585454	-.255849986
2.3	.32293427		.12272657	-.255269162
2.4	.28628078		.11970408	-.254369133
2.5	.25709230		.11682385	-.253178033
2.6	.23340491		.11409823	-.251785467
2.7	.21386931		.11152797	-.250245124
2.8	.19753466		.10910007	-.248598815
2.9	.18371298		.10683079	-.246874657
3.0	.17189846		.10468727	-.245109550
3.1	.16170918		.10266851	-.243310797
3.2	.15285284		.10076577	-.241497380
3.3	.14510199		.09897085	-.23960942
3.4	.13827711		.09727615	-.237870524
3.5	.13223476		.09567468	-.236073136
3.6	.12685899		.09416006	-.234294199
3.7	.12205512		.09272664	-.232537877
3.8	.11774514		.09136862	-.230807342
3.9	.11386418		.09038164	-.229104980
4.0	.11035796		.08986111	-.227432548
4.1	.10718065		.08770296	-.225791304
4.2	.10429337		.08660348	-.224182106
4.3	.10166289		.08555923	-.222605490
4.4	.09926069		.08456706	-.221061737
4.5	.09706213		.08362404	-.219550919
4.6	.09504583		.08272745	-.218072948
4.7	.09319316		.08187478	-.216627601
4.8	.09148780		.08010369	-.215214552
4.9	.08991542		.08029198	-.213833391
5.0	.08846338		.07955761	-.212483645



## 2.S SIGMA G - 3.P SIGMA U

R	Q(-)	H(-)	RIJ
8.5	-0.02348435	-0.13667241	6.16613277
9.0	-0.02015388	-0.13617184	6.47424851
9.5	-0.01723865	-0.13574591	6.78239076
10.0	-0.01462153	-0.13536449	7.08944546
10.5	-0.01235479	-0.13500797	7.39452978
11.0	-0.01040987	-0.13466464	7.69700237
11.5	-0.00872776	-0.13432837	7.99644983
12.0	-0.00728953	-0.13399670	8.29265492
12.5	-0.00606705	-0.13366933	8.58555798
13.0	-0.00501353	-0.13334715	8.87521616
13.5	-0.00415401	-0.13303148	9.16176765
14.0	-0.00343568	-0.13272372	9.44540029
14.5	-0.00282808	-0.13242508	9.72632827
15.0	-0.00232278	-0.13213653	10.00477470
15.5	-0.00194046	-0.13185872	10.28095987
16.0	-0.00155802	-0.13159206	10.55509370
16.5	-0.00127277	-0.13133672	10.82737168
17.0	-0.00103817	-0.13109268	11.09797236
17.5	-0.00084562	-0.13085978	11.36705780
18.0	-0.00068790	-0.13063773	11.63477317
18.5	-0.00055892	-0.13042621	11.90124830
19.0	-0.00045361	-0.13022481	12.16659880
19.5	-0.00035778	-0.13003310	12.43092750
20.0	-0.00029786	-0.12985063	12.69432597
22.0	-0.00012706	-0.12920434	13.74012800
24.0	-0.00010536	-0.12867182	14.77618796
26.0	-0.00002235	-0.12023809	15.80515736
28.0	-0.00000925	-0.12786081	16.02880500
30.0	-0.00000380	-0.12754964	17.04837394
32.0	-0.00001055	-0.12728540	18.06475890
34.0	-0.00000153	-0.12795935	19.07861930
36.0	-0.00001025	-0.12686465	20.89045060
38.0	-0.00001010	-0.12669586	21.90063180
40.0	-0.00001004	-0.12654867	22.90945680
42.0	-0.00001002	-0.12641958	23.91715650
44.0	-0.00001001	-0.12630580	24.92391480
46.0	0.00001003	-0.12620502	25.92987920
48.0	0.00001000	-0.12611535	26.93516930
51.0	0.000010100	-0.12603524	27.93988310
56.0	0.000010003	-0.12573918	32.95720840
70.0	0.00001000	-0.12555368	37.96800089
80.0	0.00001000	-0.12542983	42.97517411
90.0	0.000010000	-0.12534325	47.94018175
103.0	0.000010003	-0.12526037	52.98381491
R(+1)	0.000000	0.000000	.500000
R(+0)	0.000000	-0.125000	3.000000
R(-1)	0.000000	0.000000	0.000000
R(-2)	0.000000	-3.000000	-174.000000
AS(R=160)	0.000000	-0.125300	52.982600

## 2.S SIGMA G - 3.D SIGMA G

R	Q(+)	H(+)	H(*)
0.0	0.000000	-0.070945	0.000000
.1	-0.01235423	-0.07082321	-0.00001519
.2	-0.01465845	-0.07048455	-0.00005943
.3	-0.00683808	-0.06997823	-0.00012990
.4	-0.00903163	-0.06934407	-0.00022335
.5	-0.01103326	-0.06860875	-0.00033656
.6	-0.01303971	-0.06778877	-0.00046643
.7	-0.01483892	-0.06689363	-0.00061003
.8	-0.01665331	-0.06592813	-0.00076456
.9	-0.01831944	-0.06489393	-0.00092733
1.0	-0.01987751	-0.06379052	-0.00109577
1.1	-0.02133275	-0.06261586	-0.00126735
1.2	-0.02268239	-0.06136695	-0.00143962
1.3	-0.02392456	-0.06004011	-0.00161012
1.4	-0.02505687	-0.05863145	-0.00177645
1.5	-0.02607673	-0.05713749	-0.00193619
1.6	-0.02693138	-0.05555360	-0.00208695
1.7	-0.02775798	-0.05387847	-0.00222635
1.8	-0.02843376	-0.05211036	-0.00235203
1.9	-0.02897615	-0.05024973	-0.00246168
2.0	-0.02933298	-0.04829930	-0.00255311
2.2	-0.02984450	-0.04415378	-0.00267313
2.4	-0.02973738	-0.03975579	-0.00269817
2.6	-0.02924210	-0.03524043	-0.00261964
2.8	-0.02925651	-0.03078779	-0.00243658
3.0	-0.02693736	-0.02659152	-0.00215722
3.2	-0.02523514	-0.02282501	-0.00179895
3.4	-0.02353284	-0.01964524	-0.00138643
3.6	-0.02173156	-0.01697676	-0.00094885
3.8	-0.01393752	-0.01491698	-0.00051196
4.0	-0.01337360	-0.01335677	-0.00010251
4.2	-0.01691675	-0.01220492	0.00026178
4.4	-0.01563193	-0.01136814	0.00056903
4.6	-0.01465678	-0.01076313	0.0081354
4.8	-0.01382706	-0.01032167	0.00094880
5.0	-0.01315175	-0.00999110	0.00111617
5.2	-0.01264716	-0.00973256	0.00118360
5.4	-0.01225798	-0.00951635	0.00120458
5.6	-0.0113327	-0.00932938	0.00118723
5.8	-0.01175737	-0.00915299	0.00113965
6.0	-0.01169342	-0.00898115	0.00106950
6.2	-0.01143785	-0.00880912	0.00098370
6.4	-0.01133634	-0.00863441	0.00088825
6.6	-0.01131679	-0.00845601	0.00078823
6.8	-0.01123363	-0.00827385	0.00068773
7.0	-0.01115758	-0.00808839	0.00058998
7.2	-0.01105534	-0.00790037	0.0049739
7.4	-0.01195929	-0.00771061	0.0041168
7.6	-0.01087717	-0.00751933	0.0033395
7.8	-0.01061789	-0.00732906	0.0026483
8.0	-0.01054120	-0.00713867	0.0020454

## 2.5 SIGMA G - 3.0 SIGMA G

R	G(+)	H(+)	H(=)
8.5	-.01307762	-.00666805	.00009136
9.0	-.00952797	-.00620973	.00002586
9.5	-.00891898	-.00576770	-.0000214
10.0	-.00827818	-.00534494	-.00000329
10.5	-.00763006	-.00494396	.00001301
11.0	-.00693423	-.00456692	.00003921
11.5	-.00638534	-.00421556	.00006973
12.0	-.00581325	-.00389898	.00010073
12.5	-.00523387	-.00359363	.00012972
13.0	-.00473999	-.00332327	.00015530
13.5	-.00436204	-.00307908	.00017678
14.0	-.00395881	-.00285977	.00019398
14.5	-.00361799	-.00266368	.00020704
15.0	-.00330650	-.00248896	.00021630
15.5	-.00303126	-.00233363	.00022217
16.0	-.00273857	-.00219571	.00022510
16.5	-.00257509	-.00207323	.00022553
17.0	-.00239754	-.00196433	.00022390
17.5	-.00222285	-.00186725	.00022058
18.0	-.00207812	-.00178039	.00021592
18.5	-.00195078	-.00170229	.00021022
19.0	-.00187346	-.00163165	.00020374
19.5	-.00177395	-.00156732	.00019670
20.0	-.00165070	-.00150831	.00018929
22.0	-.00137818	-.00131076	.00015881
24.0	-.00113637	-.00115284	.00013098
26.0	-.00103839	-.00102027	.00010793
28.0	-.00091771	-.00090731	.00008955
30.0	-.00081671	-.00081074	.00007503
32.1	-.00073116	-.00072799	.00006348
34.0	-.00065811	-.00065684	.00005419
36.0	-.00055357	-.00055938	.00004662
38.0	-.00054115	-.00054200	.00004040
40.0	-.00049400	-.00049540	.00003523
42.0	-.00045276	-.00045450	.00003091
44.0	-.00041648	-.00041843	.00002725
46.0	-.00033440	-.00038645	.00002415
48.0	-.00035589	-.00035799	.00002150
50.0	-.00033045	-.00033254	.00001922
60.0	-.00027655	-.00023830	.00001158
70.0	-.00017768	-.00017902	.00000750
80.0	-.00013835	-.00013936	.00000513
90.0	-.000111073	-.00011154	.00000366
100.0	-.00003067	-.00009128	.00000270
R+(0)	0.0000000	0.0000000	0.0000000
R+(-1)	3.0000000	0.0000000	0.0000000
R+(-2)	-1.0000000	-1.0000000	.0000000
AS(R=100)	-.000170	-.000100	.0000000

## 3.0 SIGMA U - 4.0 SIGMA U

R	G(+)	H(+)	H(=)
0	0.0000000	-.031849	0.0000000
1	-.00063784	-.03187431	-.0000148
2	-.00128078	-.03194960	-.0000595
3	-.00193380	-.03207511	-.0001355
4	-.00268153	-.03225081	-.0002446
5	-.00328791	-.03247650	-.0003896
6	-.00399585	-.03275141	-.0005737
7	-.00472691	-.03307353	-.0008002
8	-.00548104	-.03343875	-.0010724
9	-.00625669	-.03384024	-.0013931
10	-.00705103	-.03426839	-.0017642
11	-.00786839	-.03471150	-.0021868
12	-.00868078	-.03515712	-.0026612
13	-.00950828	-.03559354	-.0031866
14	-.01033936	-.03601094	-.0037621
15	-.01117108	-.03640196	-.0043859
16	-.01200070	-.03676180	-.0050563
17	-.01282647	-.03708784	-.0057713
18	-.01364669	-.03737917	-.0065290
19	-.01446006	-.03763605	-.0073274
20	-.01526546	-.03785948	-.0081644
21	-.0164876	-.03821156	-.0099467
22	-.01838976	-.03844693	-.00118599
23	-.01988206	-.03857531	-.00138876
24	-.02131899	-.03860315	-.00160123
25	-.02269337	-.03853354	-.00182153
26	-.02399733	-.03836661	-.00204759
27	-.02522227	-.03810001	-.00227712
28	-.02635884	-.03772943	-.00250764
29	-.02739691	-.03724902	-.00273636
30	-.02832566	-.03665199	-.00296027
31	-.02913368	-.03593112	-.00317683
32	-.02988916	-.03507957	-.00338006
33	-.03034019	-.03409180	-.00356854
34	-.03071526	-.03296470	-.00373748
35	-.03092384	-.03169886	-.00388281
36	-.03095716	-.03029992	-.00400056
37	-.03080914	-.02877976	-.00408705
38	-.03047737	-.02715715	-.00413913
39	-.02996399	-.02545780	-.00415447
40	-.02927642	-.02371331	-.00413178
41	-.02842760	-.02195918	-.00407186
42	-.02743581	-.02023189	-.00397368
43	-.02632388	-.01856576	-.00384237
44	-.02511788	-.01698995	-.00368109
45	-.02384558	-.01552633	-.00349474
46	-.02253438	-.01418855	-.00328878
47	-.02121853	-.01298222	-.00306892
48	-.01989710	-.01190605	-.00284070
49	-.01861360	-.01095354	-.00260926
50	-.01737558	-.01011475	-.00237908

## 3.P SIGMA U - 4.F SIGMA U

R	Q(+)	H(+)	H(*)
9.5	-0.01454657	-0.0043728	-0.0183199
9.1	-0.01215902	-0.00721415	-0.0135278
9.5	-0.01019878	-0.00629926	-0.00095546
10.0	-0.00862875	-0.00559238	-0.00063900
10.5	-0.00738023	-0.00502917	-0.00039419
11.0	-0.00638952	-0.00456863	-0.00020914
11.5	-0.00560108	-0.00418408	-0.00017203
12.0	-0.00496935	-0.00385747	0.0002765
12.5	-0.00445827	-0.00357616	0.00009868
13.0	-0.00403993	-0.00333099	0.00014087
13.5	-0.00369300	-0.00311511	0.00018134
14.0	-0.00340130	-0.00292332	0.00020278
14.5	-0.00315261	-0.00275159	0.00021536
15.0	-0.00293774	-0.00259677	0.00022172
15.5	-0.00274975	-0.00245634	0.00022357
16.0	-0.00258342	-0.00232830	0.00022223
16.5	-0.00243476	-0.00221104	0.00021867
17.0	-0.00230076	-0.00210320	0.00021361
17.5	-0.00217908	-0.00200371	0.00020755
18.0	-0.00206792	-0.00191163	0.00020088
18.5	-0.00196586	-0.00182628	0.00019386
19.0	-0.00187175	-0.00174674	0.00018668
19.5	-0.00178469	-0.00167268	0.00017947
20.0	-0.00170392	-0.00160353	0.00017234
20.5	-0.00143234	-0.00136792	0.00014556
21.0	-0.00122374	-0.00118318	0.00012245
21.5	-0.00106007	-0.00103515	0.00010307
22.0	-0.00092910	-0.00091426	0.00008701
22.5	-0.00082232	-0.00081388	0.00007377
23.0	-0.00073379	-0.00072937	0.00006288
23.5	-0.00065932	-0.00065744	0.00005331
24.0	-0.00059592	-0.00059563	0.00004650
24.5	-0.00054139	-0.00054211	0.00004035
25.0	-0.00049418	-0.00049545	0.00003521
25.5	-0.00045278	-0.00045452	0.00003090
26.0	-0.00041649	-0.00041844	0.00002725
26.5	-0.00038440	-0.00038646	0.00002415
27.0	-0.00035590	-0.00035799	0.00002158
27.5	-0.00033045	-0.00033254	0.00001922
28.0	-0.00023655	-0.00023830	0.00001158
28.5	-0.00017768	-0.00017902	0.00000750
29.0	-0.00013834	-0.00013936	0.00000513
29.5	-0.00011075	-0.00011154	0.00000366
30.0	-0.00009067	-0.00009128	0.00000270
R+(+)	0.0000000	0.0000000	0.0000000
R+(-1)	0.0000000	0.0000000	0.0000000
R+(-2)	-1.0000000	-1.0000000	0.0000000
13(R=1.0)	-0.000100	-0.000100	0.000000

## 2.S SIGMA G - 4.F SIGMA U

R	Q(-)	H(-)	RIJ
0.0	0.0000000	0.0000000	0.0000000
.1	0.00001024	0.00848981	-0.00005502
.2	0.00004092	0.0081961	-0.00022363
.3	0.00003191	0.00122952	-0.00051366
.4	0.00015303	0.00163967	-0.00093428
.5	0.00025410	0.00205015	-0.00149484
.6	0.00036481	0.00246099	-0.00220452
.7	0.00049486	0.00287222	-0.00307215
.8	0.00064392	0.00328386	-0.00410622
.9	0.00081162	0.00369587	-0.00531485
1.0	0.00099757	0.00410826	-0.00670582
1.1	0.00121338	0.00452096	-0.00828656
1.2	0.00142269	0.00493395	-0.01006420
1.3	0.00166080	0.00534714	-0.01204553
1.4	0.00191550	0.00576646	-0.01423705
1.5	0.00218624	0.00617380	-0.01664494
1.6	0.00247249	0.00658703	-0.01927507
1.7	0.00277373	0.00700001	-0.02213298
1.8	0.00309948	0.00741256	-0.02522389
1.9	0.00341910	0.00782448	-0.02855267
2.0	0.00375204	0.00823553	-0.03212383
2.2	0.00448540	0.00905396	-0.04000939
2.4	0.00525439	0.00986529	-0.04890857
2.6	0.00605334	0.01066635	-0.05884192
2.8	0.00690607	0.01145323	-0.06982143
3.0	0.00777580	0.01222120	-0.08184913
3.2	0.00866506	0.01296459	-0.09491548
3.4	0.00955563	0.01367671	-0.10899742
3.6	0.01046841	0.01434974	-0.12405523
3.8	0.01136343	0.01497482	-0.14003510
4.0	0.01223972	0.01554173	-0.15685660
4.2	0.01309534	0.01603936	-0.17462006
4.4	0.01389735	0.01645576	-0.19259922
4.6	0.01463215	0.01677865	-0.21124047
4.8	0.01530532	0.01699603	-0.231916205
5.0	0.01589235	0.01709712	-0.24915498
5.2	0.01637907	0.01707343	-0.26798620
5.4	0.01675229	0.01691998	-0.28640463
5.6	0.01703074	0.01663645	-0.30415027
5.8	0.01711589	0.01622799	-0.32096643
6.0	0.01703288	0.01570549	-0.33661396
6.2	0.01693113	0.01508512	-0.35086621
6.4	0.01663473	0.01436706	-0.36362244
6.6	0.01621235	0.01363369	-0.37471763
6.8	0.01567672	0.01284747	-0.38412712
7.0	0.01504371	0.01204903	-0.39186525
7.2	0.01433121	0.01125576	-0.39799858
7.4	0.01355791	0.01048102	-0.40263520
7.6	0.01274218	0.00973415	-0.40591198
7.8	0.01193114	0.00902083	-0.40798183
8.0	0.01106008	0.00834384	-0.40900244

## 2.5 SIGMA G - 4.0 SIGMA U

R	Q(-)	H(-)	RIJ
8.5	.00395886	.00681152	-.40794505
9.0	.00702405	.00549068	-.40331434
9.5	.00531524	.00435293	-.39657578
10.0	.00383243	.00337411	-.38866371
10.5	.00262765	.00253596	-.38013586
11.0	.00161948	.00182387	-.37131534
11.5	.00080150	.00122489	-.36239019
12.0	.00014675	.00072677	-.35347440
12.5	-.01037008	.00031763	-.34464219
13.0	-.00077175	-.00001395	-.33594608
13.5	-.00107318	-.00027875	-.32742582
14.0	-.00133649	-.00048670	-.31911264
14.5	-.00147121	-.00064678	-.31103113
15.0	-.00153458	-.00076695	-.30320025
15.5	-.00163672	-.00085419	-.29563386
16.0	-.00163615	-.00091448	-.28834120
16.5	-.00171978	-.00095293	-.28132740
17.0	-.00171333	-.00097384	-.27459399
17.5	-.00161142	-.00098083	-.26813935
18.0	-.00161786	-.00097688	-.26195929
18.5	-.00160564	-.00096446	-.25604749
19.0	-.00155724	-.00094559	-.25039594
19.5	-.00151463	-.00092192	-.24499535
20.0	-.00144935	-.00088479	-.23983548
22.0	-.00122232	-.00077010	-.22138104
24.0	-.001101307	-.00064525	-.20588380
26.0	-.000783542	-.00053536	-.19268751
28.0	-.00061004	-.00044383	-.18126267
30.0	-.00057297	-.00036944	-.17121443
32.0	-.00047917	-.00030953	-.16226066
34.0	-.00043390	-.00026131	-.15420167
36.0	-.000334318	-.00022233	-.14689455
38.0	-.00023385	-.00019061	-.14023156
40.0	-.000253346	-.00016460	-.13412948
42.0	-.00023008	-.00014309	-.12852078
44.0	-.00019231	-.00012516	-.12334925
46.0	-.00015901	-.00011011	-.11856735
48.0	-.00014932	-.00009737	-.11413340
50.0	-.00013258	-.00008652	-.11001217
52.0	-.000107781	-.00005095	-.09313358
70.0	-.0001949	-.00003249	-.08070204
80.0	-.00003340	-.00002197	-.07117939
90.0	-.00002360	-.00001555	-.06365744
100.0	-.00001728	-.00001140	-.05756826
R+ ( 0 )	0.000030	0.000000	0.000000
R+ (-1)	0.000030	0.000000	-6.000000
R+ (-2)	0.000030	-.000000	24.000000
AS(R=100)	.0000030	-.000000	-.057600

## 3.0 SIGMA U - 3.0 SIGMA G

R	Q(-)	H(-)	RIJ
1.0	0.000000	0.000000	-2.598076
1.1	.00022003	.00293110	-2.59833824
1.2	.00088035	.00585773	-2.59907743
1.3	.00197816	.00878878	-2.60014637
1.4	.00350098	.01174954	-2.60129248
1.5	.00541975	.01477942	-2.60216964
1.6	.00768271	.01792892	-2.60237118
1.7	.01021207	.02119840	-2.60482460
1.8	.01290525	.02459117	-2.59914155
1.9	.01564164	.02801227	-2.59589107
1.0	.01829374	.03130520	-2.58920197
1.1	.02074888	.03426391	-2.58146438
1.2	.02287637	.03666948	-2.57195032
1.3	.02462245	.03832917	-2.56876685
1.4	.02592447	.03910457	-2.54800707
1.5	.02675388	.03892328	-2.53372828
1.6	.02709928	.03777587	-2.51792988
1.7	.02698955	.03578415	-2.50855699
1.8	.02638139	.03278650	-2.48150820
1.9	.02535966	.02912449	-2.46064886
1.0	.02393481	.02483237	-2.43782627
1.2	.02000416	.01483733	-2.3568021
1.4	.01487729	.00375267	-2.32403856
1.6	.00886333	.00752894	-2.25242905
1.8	.00229115	.01822567	-2.17120843
1.9	-.00450289	.02772126	-2.08164937
1.0	-.01119610	.03561440	-1.98583666
1.2	-.01750600	.04173730	-1.88636492
1.4	-.02321547	.04612856	-1.75594488
1.6	-.02617479	.04897061	-1.68703020
1.8	-.03232036	.05051710	-1.59157771
1.9	-.03564384	.05103363	-1.50094383
1.0	-.03818143	.05076163	-1.41591844
1.2	-.04000302	.04990337	-1.33682677
1.4	-.04119820	.04862844	-1.26365570
1.6	-.04183088	.04703892	-1.19617146
1.8	-.04200780	.04525617	-1.13401402
1.9	-.04180269	.04334721	-1.07676512
1.0	-.04128633	.04136987	-1.02399332
1.2	-.04052189	.03936857	-97528117
1.4	-.03956417	.03737720	-93023996
1.6	-.03846804	.03542126	-88851613
1.8	-.03724917	.03351944	-84979263
1.9	-.03596473	.03168584	-81378743
1.0	-.03463417	.02992694	-78025058
1.2	-.03327994	.02825060	-74896075
1.4	-.03192017	.02665876	-71972170
1.6	-.03056933	.02515207	-69235986
1.8	-.02923875	.02372965	-66671735
1.9	-.02793714	.02238948	-64265752
1.0	-.02667184	.02112874	-62805479

## 2.S SIGMA G -3.0 PI G

## 3.P SIGMA U -2.P PI U

R	B(+)	B(+)R
3.5	-0.03585120	-0.00888785
9.0	-0.03554624	-0.00790896
9.5	-0.03526174	-0.00709096
13.0	-0.03499396	-0.00640196
13.5	-0.03474052	-0.00581730
11.0	-0.03449394	-0.00531763
11.5	-0.03427136	-0.00488762
12.0	-0.03405431	-0.00451503
12.5	-0.03384846	-0.00418997
13.0	-0.03365358	-0.00390445
13.5	-0.03346944	-0.00365196
14.0	-0.03329575	-0.00342718
14.5	-0.03313219	-0.00322576
15.0	-0.03297836	-0.00304415
15.5	-0.03283385	-0.00287944
16.0	-0.03269820	-0.00272925
16.5	-0.03257092	-0.00259161
17.0	-0.03245152	-0.00246493
17.5	-0.03233953	-0.00234788
18.0	-0.03223447	-0.00223935
18.5	-0.03213586	-0.00213843
19.0	-0.03204328	-0.00204433
19.5	-0.03195630	-0.00195639
20.0	-0.03187454	-0.00187405
22.1	-0.03159255	-0.00159158
24.0	-0.03136368	-0.00136804
26.0	-0.03115842	-0.00118809
28.0	-0.03104131	-0.00104116
30.0	-0.03091977	-0.00091970
32.0	-0.03081624	-0.00081621
34.0	-0.03073256	-0.00073256
36.0	-0.03065963	-0.00065963
38.0	-0.03059703	-0.00059703
40.0	-0.03054292	-0.00054292
42.0	-0.03049582	-0.00049582
44.0	-0.03045458	-0.00045458
46.0	-0.03041827	-0.00041827
48.0	-0.03038614	-0.00038614
50.0	-0.03035756	-0.00035756
60.0	-0.03025306	-0.00025306
70.0	-0.03018845	-0.00018845
80.0	-0.03014574	-0.00014574
90.0	-0.03011606	-0.00011606
100.0	-0.03009459	-0.00009459
R+(0)	0.030000	0.000000
R+(1)	0.030000	0.000000
R+(2)	-1.030000	-1.000000
R+(3)	5.500000	5.500000
AS(R=100)	-0.000095	-0.000095

## 2.S SIGMA G -2.P PI U

## 3.P SIGMA U -3.0 PI G

R	B(-)	RIJ	B(-)	RIJ
0.0	0.000000	1.500000	0.000000	2.250000
.1	-0.02547238	1.58155568	.00291998	2.25847282
.2	-0.04116148	1.58544582	.00584546	2.25184892
.3	-0.05056536	1.51077429	.00876759	2.25339534
.4	-0.05595958	1.51702948	.01160065	2.25668427
.5	-0.05877078	1.52394675	.01448157	2.25960371
.6	-0.05990159	1.53139804	.01717150	2.26230803
.7	-0.05993308	1.53928452	.01966871	2.26466732
.8	-0.05924605	1.54758266	.02187690	2.26612588
.9	-0.05809453	1.55624814	.02375544	2.26855321
1.0	-0.05664965	1.56524883	.02524915	2.26587112
1.1	-0.05502791	1.57455392	.02633475	2.26412948
1.2	-0.05330987	1.58413312	.02701436	2.26147548
1.3	-0.05154779	1.59395658	.02731240	2.25811019
1.4	-0.04978148	1.60399519	.02726945	2.25424682
1.5	-0.04883558	1.61422084	.02693525	2.25888007
1.6	-0.04632680	1.62460665	.02636248	2.24576926
1.7	-0.04666637	1.63512714	.02568027	2.24143312
1.8	-0.04306102	1.64575835	.02470035	2.23719238
1.9	-0.04151461	1.65647786	.02369757	2.23297626
2.0	-0.04002891	1.66726474	.02262758	2.22893011
2.2	-0.03723982	1.68896434	.02039112	2.22125281
2.4	-0.03468592	1.71071804	.01815050	2.21408632
2.6	-0.03235158	1.73248653	.01608863	2.20734847
2.8	-0.03021823	1.75392741	.01399383	2.20096289
3.0	-0.02826691	1.77519257	.01215357	2.1987925
3.2	-0.02647945	1.79612580	.01040712	2.1988079
3.4	-0.02483910	1.81666083	.00899139	2.18356918
3.6	-0.02333866	1.83673973	.00765761	2.17835945
3.8	-0.02194853	1.85631155	.00647004	2.17347262
4.0	-0.02065662	1.87533131	.00542768	2.16892936
4.2	-0.01946821	1.89375921	.00450536	2.16476697
4.4	-0.01836584	1.91156000	.00369430	2.16093735
4.6	-0.01734114	1.92870255	.002982580	2.15750629
4.8	-0.01638671	1.94515954	.00235090	2.15449352
5.0	-0.01549604	1.96098726	.00181344	2.15177326
5.2	-0.01466333	1.97592552	.00133705	2.14945496
5.4	-0.01388347	1.99819756	.00092164	2.14748421
5.6	-0.01315191	2.00371014	.00055999	2.14584359
5.8	-0.01246461	2.01645356	.00024570	2.14451353
6.0	-0.01181800	2.02842174	.00002686	2.14347296
6.2	-0.01120886	2.03961229	.00026269	2.14270008
6.4	-0.01063434	2.05802667	.00046618	2.14217241
6.6	-0.01089189	2.05967019	.00066419	2.14186806
6.8	-0.00957923	2.06855218	.00087913	2.14176522
7.0	-0.00909429	2.07660558	.000991980	2.14164282
7.2	-0.00863523	2.08408773	.00102742	2.14208066
7.4	-0.00820838	2.09077946	.00111074	2.14245952
7.6	-0.00778824	2.09678937	.00119468	2.14296126
7.8	-0.00739745	2.10213356	.00125795	2.14356889
8.0	-0.00702675	2.10685531	.00130924	2.14426655







## 3.0 SIGMA G - 4.0 SIGMA U

R	G(-)	H(-)	RIJ
8.5	-.13613981	-.18078297	2.27776670
9.0	-.12311250	-.17122755	2.37927511
9.5	-.12176509	-.16226144	2.48399204
10.0	-.11441423	-.15406548	2.59352201
10.5	-.10724962	-.14671102	2.70901202
11.0	-.10037288	-.14020422	2.83124193
11.5	-.09382949	-.13451433	2.96073797
12.0	-.08763133	-.12959117	3.09786518
12.5	-.08177134	-.12537588	3.24289190
13.0	-.07523271	-.12180723	3.39602332
13.5	-.07191433	-.11882512	3.55743143
14.0	-.06603438	-.11637239	3.72725207
14.5	-.06133165	-.11439544	3.90558801
15.0	-.05685712	-.11284433	4.09250014
15.5	-.05267425	-.11167250	4.28799603
16.0	-.04835393	-.11083634	4.49201664
16.5	-.04476106	-.11029479	4.70442296
17.0	-.04110138	-.11000894	4.92498432
17.5	-.03763425	-.10994186	5.15336990
18.0	-.03437596	-.11005845	5.38914516
18.5	-.03123447	-.11032560	5.63177440
19.0	-.02923907	-.11071229	5.88063002
19.5	-.02553983	-.11116998	6.13500872
20.0	-.02295711	-.11173282	6.39415350
20.5	-.01933141	-.111414863	7.46287305
21.0	-.00945265	-.11635721	8.55088057
21.5	-.007471037	-.11807399	9.63143970
22.0	-.00243909	-.11934372	10.69609565
22.5	-.001213197	-.12028610	11.74580965
23.0	-.00167899	-.12100171	12.78402917
23.5	-.00131105	-.121259919	13.01390553
24.0	-.00114844	-.12200344	14.83773752
24.5	-.001103964	-.122336421	15.85710774
25.0	-.00103219	-.12266180	16.87310485
25.5	-.00101469	-.12291053	17.88649468
26.0	-.00101663	-.12312078	18.89783030
26.5	-.00101296	-.12330025	19.90752520
27.0	-.00101131	-.12345477	20.91587870
27.5	-.00100357	-.12358879	21.92312750
28.0	0.00101000	-.12405293	26.94833595
28.5	0.00100000	-.12431955	31.96286404
29.0	0.00100000	-.12448716	36.97201292
29.5	0.00100000	-.12459949	41.97815044
30.0	0.00100000	-.12467849	46.98246666

AS(R=100) 3.077070 -.124700 46.983800

R	B(+)	B(-)
0.0	2.443493/R+2	.005048
1.	244.94897360	.00505132
2.	61.23722877	.00506140
3.	27.21651903	.00507776
4.	15.37925013	.00509992
5.	9.73786212	.00512729
6.	6.81399536	.00515931
7.	4.93875878	.00519541
8.	3.82705822	.00523507
9.	3.12370802	.00527782
1.0	2.44903615	.00532322
1.1	2.12379930	.00537089
1.2	1.70332214	.00542048
1.3	1.44852573	.00547169
1.4	1.24367192	.00552426
1.5	1.34737264	.00557795
1.6	.93528690	.00563255
1.7	.84573647	.00568787
1.8	.75384420	.00574375
1.9	.67598107	.00580003
2.0	.60340173	.00585658
2.2	.50213243	.00597003
2.4	.42311553	.00608321
2.6	.37584984	.00619538
2.8	.31444260	.00630583
3.0	.25263944	.00641390
3.2	.22809317	.00651890
3.4	.19329019	.00662014
3.6	.17505289	.00671681
3.8	.15451733	.00680804
4.0	.13700504	.00689282
4.2	.12200148	.00697002
4.4	.11707929	.00703832
4.6	.10789444	.00709626
4.8	.08816591	.00714223
5.0	.17966354	.00717451
5.2	.17219954	.00719133
5.4	.15561573	.00719099
5.6	.15378726	.00717193
5.8	.15460735	.00713297
6.0	.14998808	.00707337
6.2	.14585598	.00699302
6.4	.14214923	.00689251
6.6	.13881551	.00677314
6.8	.13581924	.00663691
7.0	.13309521	.00646633
7.2	.13063747	.00632430
7.4	.12840845	.00615390
7.6	.12638325	.00597819
7.8	.12454316	.00580002
8.0	.12286003	.00562198







3.0 PI G - 2.0 PI U

R	G(-)	H(-)	RIJ
8.5	.06221277	-.12414150	3.56330990
9.0	.05721201	-.12218669	3.77108929
9.5	.05243761	-.12072226	3.98730408
10.0	.04301547	-.11967451	4.21199162
10.5	.04373433	-.11897861	4.44504150
11.0	.03973581	-.11857639	4.68618420
11.5	.03601432	-.11841493	4.93498646
12.0	.03245661	-.11844591	5.19085618
12.5	.02914119	-.11862543	5.45305842
13.0	.02603764	-.11891411	5.72074273
13.5	.02315980	-.11927743	5.99298022
14.0	.02143502	-.11968596	6.26880697
14.5	.01801346	-.12011552	6.54726929
15.0	.01587762	-.12054713	6.82746582
15.5	.01381201	-.12096664	7.10858220
16.0	.01191905	-.12136423	7.38991543
16.5	.01037921	-.12173376	7.67088684
17.0	.0091425	-.12207203	7.95104429
17.5	.00767266	-.12237808	8.23005549
18.0	.00653906	-.12265254	8.50769518
18.5	.00551362	-.12289707	8.78382867
19.0	.00474754	-.12311396	9.05839434
19.5	.00402030	-.12330577	9.33138661
20.0	.00331502	-.12347514	9.60284073
22.0	.00163518	-.12397671	10.67475707
24.0	.00181024	-.12428754	11.72875420
26.0	.00037995	-.12448743	12.77001076
28.0	.00017461	-.12462101	13.80226412
30.0	.0007891	-.12471332	14.82802101
32.0	.00001516	-.12477804	15.84896356
34.0	.00001547	-.12482671	15.86624924
36.0	.00001674	-.12486218	17.88069841
38.0	.00001291	-.12488899	18.89290846
40.0	.00001124	-.12490957	19.90332448
42.0	.00001103	-.12492559	20.91228462
44.0	.00001122	-.12493820	21.92005001
46.0	.00001003	-.12494825	22.92682520
48.0	.00001104	-.12495633	23.93277243
50.0	.00001002	-.12496289	24.93897182
51.0	.00001001	-.12498207	29.95689518
53.0	.00001003	-.12499031	34.96929542
55.0	.00001003	-.12499431	39.97570660
57.0	.00001001	-.12499645	44.98079353
59.0	.00001000	-.12499767	49.98443558

R+(1) 0.00000 0.000000 .500000  
R+(0) 0.00000 -.125000 1.000000  
R+(-1) 1.00000 0.000000 0.000000  
R+(-2) 0.00000 0.000000 -156.000000

AS(R=100) 0.000010 -.125000 49.984400

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0.5  
2.5  
4.5  
14.5

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E4-83-778

Таблицы эффективных потенциалов задачи трех тел  
с кулоновским взаимодействием в адиабатическом представлении

Использован метод адиабатического представления в задаче трех тел с кулоновским взаимодействием. Вычислены матричные элементы  $U_{im,jm}(R)$  для восьми уровней состояний в квантовомеханической задаче двух центров. В таблицах приведены значения  $U_{im,jm}(R)$  и нормировок  $N_{im}(R)$  волновых функций системы  $z_a = z_b = 1$  для состояний  $(im) = [n_1 n_2 mp]$ ,  $n_1 + n_2 + m + 1 \leq 2$ ,  $p = q$  с абсолютной точностью  $10^{-8}$ , а также значения энергии  $E_{im}(R)$  с точностью  $10^{-9}$  в интервале  $R = 0,1/0,1/ 2/0,2/ 8/0,6/ 20/2/ 30/10/100$ . Представленные таблицы являются наиболее полными по сравнению с известными в литературе как по типам представленных эффективных потенциалов, так и по их количеству, точности и области значений  $R$ , в которой они вычислены.

Работа выполнена в Лаборатории теоретической физики и Лаборатории вычислительной техники и автоматизации ОИЯИ.

Сообщение Объединенного института ядерных исследований. Дубна 1983

Ponomarev L.I., Puzynina T.P.

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Tables of the Effective Potentials for the Three-Body Problem  
with the Coulomb Interaction in the Adiabatic Representation

The adiabatic representation in the three-body problem with the Coulomb interaction is used. Nonadiabatic matrix elements  $U_{im,jm}(R)$  are calculated, which connect 8 lower states of the two-center problem in quantum mechanics. The tables exemplify the values of  $U_{im,jm}(R)$  and normalization  $N_{im}(R)$  of the wave functions for the system  $z_a = z_b = 1$  for the states  $(im) = [n_1 n_2 mp]$ ,  $n_1 + n_2 + m + 1 < 2$ ,  $p = q$  with an absolute accuracy  $\sim 10^{-8}$  and the terms  $E_{im}(R)$  with an accuracy  $\sim 10^{-9}$  in the interval of values  $R = 0,1/0,1/ 2/0,2/ 8/0,6/ 20/2/ 30/10/100$ . The present tables are more complete in comparison with the known ones in the types of the calculated effective potentials, in their number, accuracy of calculation and the range of values  $R$  they are calculated in.

The investigation has been performed at the Laboratory of Theoretical Physics and the Laboratory of Computing Techniques and Automation, JINR.

Communication of the Joint Institute for Nuclear Research. Dubna 1983