

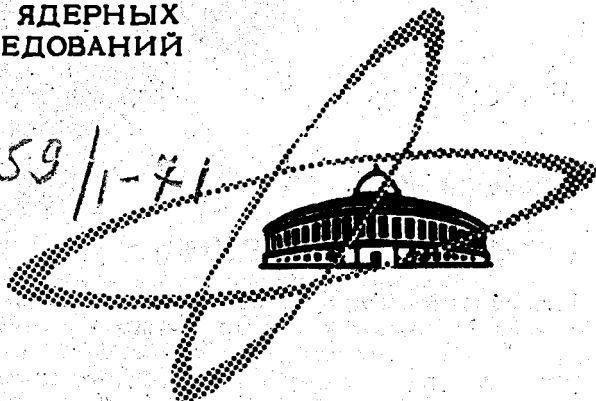
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ЛАБОРАТОРИЯ ТЕОРЕТИЧЕСКОЙ ФИЗИКИ

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NON-ROTATIONAL STATES
OF ODD DEFORMED NUCLEI
IN THE REGION $179 \leq A \leq 185$

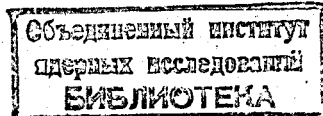
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Submitted to "Известия АН СССР" сер. физич.



The interaction of quasiparticles with phonons noticeably affects the energies and wave functions of the non-rotational states of odd-N deformed nuclei. This effect is taken into account in the calculations which are performed in the framework of the superfluid nuclear model with both interactions leading to superconducting pairing correlations and multipole-multipole interactions. The mathematical formalism for calculating the energies and wave functions of the non-rotational states of odd-N deformed nuclei taking into account the interaction of quasiparticles with phonons is presented in detail in ref. ^[1].

Firstly the calculation of the non-rotational states was performed on the basis of the Nilsson single-particle energies and wave functions, ref. ^[2]. Further in order to improve the accuracy and reliability of calculations one used as the average field the anisotropic potential. In ref. ^[3] an approximate method of solving the Schroedinger equations with the Saxon-Woods potential for deformed nuclei was developed. This method was found to be efficient and in ref. ^[4] was used to calculate the single particle energies and wave functions for nuclei in the region $150 < A < 190$.

The recalculation of the spectra of deformed nuclei on the new basis with the single-particle energies and wave functions of the anisotropic Saxon-Woods potential takes some years. In ref. ^[5] the energies and wave functions of the one-phonon states of even-even nuclei in the region $150 < A < 190$ are calculated. They are used in calculating the non-rotational states of even nuclei. In ref. ^[6] the energies and wave functions of the non-rotational states of a number of deformed nuclei with an odd number of protons are calculated. In ref. ^[7] some data for nuclei with an odd number of neutrons are given. The energies and wave functions of the non-rotational states of nuclei with an odd number of protons in the region $153 \leq A \leq 175$ are calculated in ref. ^[8]. At present there are calculations for the low-lying non-rotational states of almost all odd- A deformed nuclei in the region $150 < A < 190$.

The present paper gives the results of calculations of the non-rotational states of odd- A deformed nuclei in the region $179 \leq A \leq 185$.

As is known, the behaviour of the Saxon-Woods single-particle energies and wave functions depends on the mass number A . Therefore the region of nuclei with $150 < A < 190$ is divided into four zones: $A = 155, 165, 173$ and 181 . In calculations one, thus, takes the single-particle energies and wave functions for the appropriate zone. Here we employ the Saxon-Woods energies and wave functions for zone $A = 181$, calculated in ref. ^[9]. There the term with hexadecapole deformation in the formula for the expansion of the nuclear shape over multipoles is taken into account. In our paper we have made some improvement of the Saxon-Woods parameters. The values of these parameters are given in ref. ^[8].

The present calculations are performed with the same scheme as the calculations published in refs. ^[6,7]. For each nucleus we

have calculated the non-rotational states up to an energy of (2-3) MeV. The calculations are performed for the values of the equilibrium quadrupole β_{20} and hexadecapole β_{40} deformation parameters which are close to the measured and calculated values for the corresponding even-even nuclei.

The calculated energy and the structure of some states close to the one-quasiparticle states can be affected noticeably by the deflection of their equilibrium deformations from the equilibrium deformations of nuclei in the ground states. According to ref. /10/, such a deflection may occur for the single-particle states the energies of which strongly change with increasing deformation parameter β_{20} . In the region of nuclei under consideration the change of β_{20} in the excited states compared to the ground states may be essential for the following states close to the one-quasiparticle states: in the proton system -541, 532, 404, 402, , 505; in the neutron system -503, 505. The account of this effect will be made later on.

In these calculations the Coriolis forces have not been taken into account, since as a rule they change a little the energy and structure of non-rotational states. It is not difficult to calculate approximately the Coriolis interaction effect if use is made of the matrix elements given in ref. /11/. For each nucleus it is possible to calculate the Coriolis forces in our scheme as it was done, e.g. in ref. /12/.

The results of calculations of the energies and wave functions for a number of odd-A nuclei are given in Tables 1-8. There we give nuclei, for the exception of ^{181}Tl the spectra of which were not calculated earlier. The fourth column of these tables contains the contribution (in percent) of a few largest components. These values are obtained from the normalization condition of the wave

function. For example, by $514 + 98\%$ we denote the contribution of the one-quasiparticle $514 +$ component and by $512 + + Q_i(22) 1\%$ the contribution of the component quasiparticle $512 +$ plus the first root ($i = 1$) of the phonon with $\lambda = 2$, $\mu = 2$, i.e. the phonon is written in the form $Q_i(\lambda\mu)$. The tables give all the non-rotational levels up to an energy of 1.1 MeV in ^{183}Os , ^{185}Os , up to 1.3 MeV in ^{179}W , ^{185}W and to 1.5 MeV in ^{181}W , ^{183}W , ^{179}Ta , ^{181}Ta and a number of higher levels. A number of three-quasiparticle states with large spin is also given. The experimental data are taken from ref. ^[11] and refs. ^[13]. The systematics of these experimental data is also given in ref. ^[14].

A number of remarks is made concerning the results given in Tables 1-8. The position of the neutron $521 +$ state in the single-particle scheme is such that it allows to describe the behaviour of states close to the one-quasiparticle $521 +$ one in zones $A = 155$ and 165 , however, in zone $A = 181$ one has not succeeded in explaining the structure of $1/2^-$ states with an energy of 936 keV in ^{183}W and 1013 keV in ^{185}W . It is impossible to understand the very low location of the $5/2^-$ state with energy 888 keV in ^{185}W by itself and compared to the location of ^{183}W . There are some other cases when the calculated relative position of two levels considerably differs from the experimental one. These discrepancies cannot be removed by a small change of the Saxon-Woods parameters for zone $A = 181$.

The non-rotational states of ^{181}Ta are given for the second time. From comparison of table 3 with table 6 in ref. ^[6] it is seen that a slight change of the Saxon-Woods parameters and the equilibrium deformations β_{20} and β_{40} leads to a noticeable displacement of the energies of a number of states.

It should be noted that a certain disagreement between the results of calculations and the experimental data may be due to the fact that the equilibrium deformation of the nucleus differs from that for which the calculation has been carried out.

A number of low-lying states contains a large admixture of gamma-vibrational phonons which leads to an increase of E_2 transition probabilities. Table 9 gives the reduced $B(E_2)$ probabilities (in single-particle units) calculated with effective charge $l_{eff} = 0.2$.

The energy and structure of the states in ^{177}Yb , ^{177}Hf , ^{179}Hf and ^{181}Hf calculated by us differ not strongly from those calculated with the Nilsson single-particle energies and wave functions and given in ref. [2]. Therefore we do not include these tables and restrict ourselves to introducing in table 10 the energies of a series of three-quasiparticle states with large spins. The effect of spin splitting of fourplets which can significantly change the level energy is not taken into account. It should be noted that, according to ref. [15] the energy of the state with largest spin must remain unaffected.

The calculation performed have shown that the calculations of the non-rotational states of odd-N deformed nuclei on the basis of the superfluid nuclear model with pairing and multipole-multipole forces using the Saxon-Woods single-particle energies and wave functions are in satisfactory agreement with the corresponding experimental data. Besides, the obtained wave functions of non-rotational states can be used for calculating various characteristics of deformed nuclei.

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Table 1

Nucleus 179_{W} ($\beta_{20} = 0,24$, $\beta_{40} = -0,03$)

K^{π}	Energy, KeV		Structure		
	Exp.	Theory			
$7/2^-$	0	0	$514 \uparrow$ 98%	$512 \uparrow + Q_1(22)$ 1%	
$9/2^+$	309	50	$624 \uparrow$ 99%		
$5/2^-$	430	150	$512 \uparrow$ 98%		
$7/2^+$	477	290	$633 \uparrow$ 96%	$521 \uparrow + Q_1(32)$ 2%	$651 \uparrow + Q_1(22)$ 2%
$1/2^-$	222	310	$521 \uparrow$ 91%	$521 \uparrow + Q_1(22)$ 4%	$523 \uparrow + Q_1(22)$ 3%
$1/2^-$	627	500	$510 \uparrow$ 84%	$512 \uparrow + Q_1(22)$ 10%	$512 \uparrow + Q_1(22)$ 5%
$5/2^+$		770	$642 \uparrow$ 93%	$660 \uparrow + Q_1(22)$ 4%	
$3/2^-$		810	$512 \uparrow$ 80%	$510 \uparrow + Q_1(22)$ 10%	$514 \uparrow + Q_1(22)$ 8%
$3/2^+$		980	$651 \uparrow$ 75%	$514 \uparrow + Q_1(32)$ 8%	$633 \uparrow + Q_1(22)$ 8%
$11/2^+$		1030	$615 \uparrow$ 1%	$514 \uparrow + Q_1(32)$ 98%	
$3/2^+$		1030	$651 \uparrow$ 7%	$514 \uparrow + Q_1(32)$ 92%	
$7/2^-$		1040	$503 \uparrow$ 21%	$514 \uparrow + Q_1(20)$ 77%	$501 \uparrow + Q_1(22)$ 1%
$1/2^+$		1100	$660 \uparrow$ 11%	$512 \uparrow + Q_1(32)$ 87%	
$3/2^-$		1110	$521 \uparrow$ 13%	$633 \uparrow + Q_1(32)$ 83%	$521 \uparrow + Q_1(22)$ 4%
$9/2^+$		1110		$512 \uparrow + Q_1(32)$ 100%	
$5/2^-$		1120		$624 \uparrow + Q_1(32)$ 99%	
$5/2^-$		1150	$523 \uparrow$ 2%	$512 \uparrow + Q_1(20)$ 97%	
$1/2^+$		1150	$660 \uparrow$ 74%	$512 \uparrow + Q_1(32)$ 13%	$642 \uparrow + Q_1(22)$ 7%
$11/2^-$		1190		$633 \uparrow + Q_1(32)$ 100%	
$7/2^-$		1190	$503 \uparrow$ 68%	$514 \uparrow + Q_1(20)$ 23%	$501 \uparrow + Q_1(22)$ 5%
$11/2^+$		1230	$615 \uparrow$ 89%	$503 \uparrow + Q_1(32)$ 6%	$633 \uparrow + Q_1(22)$ 2%
$5/2^+$		1330	$642 \uparrow$ 1%	$521 \uparrow + Q_1(32)$ 99%	
$3/2^+$		1330	$651 \uparrow$ 1%	$521 \uparrow + Q_1(32)$ 98%	
$7/2^+$	1680	1500	npp $514 \uparrow$	$514 \uparrow$ 402!	
$23/2^-$		1600	npp $624 \uparrow$	$514 \uparrow$ 402!	
$19/2^+$		1700	npp $512 \uparrow$	$514 \uparrow$ 402!	

Nucleus ^{181}W ($\beta_{20} = 0,24$, $\beta_{40} = -0,03$)

K^π	Energy, KeV		Structure			
	Exp.	Theory				
$9/2^+$	0	0	624	198%		
$1/2^-$	458	250	510	483%		
$7/2^-$	662	380	503	158%		
$7/2^-$	409	480	514	174%		
$3/2^-$	726	530	512	179%		
$5/2^-$	366	650	512	194%		
$1/2^-$	385	830	521	188%		
$7/2^+$	954	850	633	194%		
$9/2^+$		900				
$11/2^+$		1010	615	194%		
$5/2^+$		1100	642	13%		
$13/2^+$		1150				
$5/2^-$		1170	512	3%		
$7/2^-$		1210	503	2%		
$11/2^-$		1290				
$3/2^+$		1300	651	1%		
$11/2^+$		1300				
$3/2^-$		1310	512	1%		
$5/2^-$		1380	523	2%		
$3/2^+$		1380	651	44%		
$5/2^+$		1390	642	74%		
$11/2^-$		1420				
$7/2^-$		1420				
$9/2^-$		1490				
$23/2^-$		1500	npp 624	514	402	
$3/2^-$		1570	501	30%		
			512	+Q ₁ (22) 16%		
			501	+Q ₁ (22) 10%	514	+Q ₁ (20) 5%
			501	+Q ₁ (22) 5%		
			510	+Q ₁ (22) 16%	514	+Q ₁ (22) 3%
			624	+Q ₁ (32) 3%		
			521	+Q ₁ (22) 5%	523	+Q ₁ (23) 3%
			651	+Q ₁ (22) 4%	521	+Q ₁ (32) 1%
			624	+Q ₁ (20) 100%		
			503	+Q ₁ (32) 4%	624	+Q ₁ (22) 1%
			624	+Q ₁ (22) 85%		
			624	+Q ₁ (22) 100%		
			624	+Q ₁ (32) 97%		
			514	+Q ₁ (20) 98%		
			514	+Q ₁ (22) 100%		
			514	+Q ₁ (32) 98%		
			514	+Q ₁ (32) 100%		
			514	+Q ₁ (22) 96%		
			512	+Q ₁ (20) 97%	521	+Q ₁ (22) 1%
			633	+Q ₁ (22) 46%	660	+Q ₁ (22) 7%
			624	+Q ₁ (22) 15%	660	+Q ₁ (22) 9%
			624	+Q ₁ (31) 100%		
			624	+Q ₁ (31) 100%		
			512	+Q ₁ (22) 100%		
			503	+Q ₁ (22) 32%	512	+Q ₁ (20) 31%

Table 3

Nucleus ^{183}W ($\beta_{20} = 0.24$, $\beta_{40} = -0.03$)

K	Energy, KeV		Structure	
	Exp.	Theory		
$1/2^-$	0	0	510 195%	$512 \uparrow + Q_1(22)$ 4%
$3/2^-$	209	190	512 192%	$501 \uparrow 0.2\%$ $510 \uparrow + Q_1(22)$ 7%
$11/2^+$	310	500	615 198%	$503 \uparrow + Q_1(32)$ 1%
$7/2^-$	453	580	503 195%	$501 \uparrow + Q_1(22)$ 3%
$9/2^+$	623	600	624 198%	$512 \uparrow + Q_1(32)$ 1%
$7/2^-$	1072	1110	514 199%	
$5/2^-$	905	1160	512 167%	$624 \uparrow + Q_1(32)$ 19% $510 \uparrow + Q_1(22)$ 12%
$1/2^-$		1390	521 1 2%	$510 \uparrow + Q_1(20)$ 97%
$5/2^+$		1420	642 1 2%	$624 \uparrow + Q_1(22)$ 98%
$13/2^+$		1430		$624 \uparrow + Q_1(22)$ 100%
$5/2^-$		1450	512 1 2%	$510 \uparrow + Q_1(22)$ 80% $624 \uparrow + Q_1(32)$ 18%
$9/2^-$		1490	505 198%	$503 \uparrow + Q_1(22)$ 2%
$3/2^-$		1490	512 1 4%	$510 \uparrow + Q_1(22)$ 93%
$3/2^+$		1500		$510 \uparrow + Q_1(32)$ 100%
$5/2^+$		1500		$510 \uparrow + Q_1(32)$ 100%
$15/2^+$		1500	npp 510 1 514 1 402 1	
$3/2^-$		1520	501 110%	$512 \uparrow + Q_1(20)$ 80% $503 \uparrow + Q_1(22)$ 8%
$7/2^+$		1530	633 197%	$651 \uparrow + Q_1(22)$ 2%
$5/2^-$		1580	512 128%	$624 \uparrow + Q_1(32)$ 63% $510 \uparrow + Q_1(22)$ 8%
$1/2^-$		1670	521 190%	$510 \uparrow + Q_1(20)$ 3% $521 \uparrow + Q_1(22)$ 2%
$1/2^-$		1700	510 1 4%	$512 \uparrow + Q_1(22)$ 96%
$17/2^+$		1700	npp 512 1 514 1 402 1	
$3/2^-$		1760	501 119%	$503 \uparrow + Q_1(22)$ 62% $512 \uparrow + Q_1(20)$ 18%

Table 4

Nucleus ^{185}W ($\beta_{\pm} = 0.22$, $\beta_{\text{no}} = -0.03$)

K	Energy, KeV		Structure	
	Exp.	Theory		
$3/2^-$	0	0	512† 99%	
$1/2^-$	24	20	510† 99%	
$7/2^-$	244	110	503† 99%	
$11/2^+$	198	130	615† 99%	
$9/2^+$	716	720	624† 98%	512†+Q ₁ (32) 1%
$9/2^-$	789	730	505† 100%	
$1/2^-$		1010	521† 3%	510†+Q ₁ (20) 97%
$5/2^-$		1030		510†+Q ₁ (22) 100%
$3/2^-$		1030		510†+Q ₁ (22) 100%
$3/2^-$		1040	501† 6%	512†+Q ₁ (20) 92%
$7/2^-$		1080	514† 1%	512†+Q ₁ (22) 99%
$1/2^-$		1080		512†+Q ₁ (22) 100%
$7/2^-$		1180	514† 9%	503†+Q ₁ (20) 91%
$3/2^-$		1190	501† 1%	503†+Q ₁ (22) 98%
$7/2^+$		1190		615†+Q ₁ (22) 100%
$5/2^+$		1300		510†+Q ₁ (32) 100%
$3/2^+$		1310		510†+Q ₁ (32) 100%
$7/2^-$	1058	1330	514† 90%	503†+Q ₁ (20) 9%
$1/2^+$		1360		512†+Q ₁ (32) 100%
$7/2^+$		1370		512†+Q ₁ (32) 100%
$5/2^-$	888	1490	512† 75%	624†+Q ₁ (32) 23%
$17/2^+$		1500	npp 512† 514† 402†	
$15/2^+$		1500	npp 510† 514† 402†	
$1/2^-$		1510	521† 1%	510†+Q ₂ (20) 99%
$7/2^+$		1580	633† 99%	
$25/2^-$		1600	npp 615† 514† 402†	
$1/2^-$		1740	521† 93%	510†+Q ₁ (20) 3%
				541†+Q(20) 2%

Table 5

Nucleus ^{183}Os ($\beta_{\text{ex}} = 0.21$, $\beta_{\text{th}} = -0.03$)

K	Energy, KeV		Structure				
	Exp.	Theory					
$9/2^+$	0	0	624 † 98%				
$1/2^-$	171	140	510 † 85%	512 † + Q_1 (22)	15%		
$3/2^-$		380	512 † 82%	510 † + Q_1 (22)	15%		
$7/2^-$		410	503 † 89%	501 † + Q_1 (22)	8%	615 † + Q_1 (32)	2%
$7/2^-$		470	514 † 99%				
$7/2^+$		580	633 † 94%	651 † + Q_1 (22)	4%		
$1/2^-$		590	521 † 90%	521 † + Q_1 (22)	4%	523 † + Q_1 (22)	3%
$5/2^-$		630	512 † 95%	521 † + Q_1 (22)	2%	624 † + Q_1 (32)	1%
$11/2^+$		740	615 † 97%	503 † + Q_1 (32)	1%	624 † + Q_1 (22)	1%
$5/2^+$		890	642 † 50%	624 † + Q_1 (22)	44%	660 † + Q_1 (22)	5%
$13/2^+$		990		624 † + Q_1 (22)	100%		
$7/2^-$		1000		514 † + Q_1 (20)	100%		
$3/2^+$		1020	651 † 60%	633 † + Q_1 (22)	29%	660 † + Q_1 (22)	10%
$5/2^+$		1100	642 † 38%	624 † + Q_1 (22)	56%	660 † + Q_1 (22)	6%
$3/2^-$		1160	501 † 28%	503 † + Q_1 (22)	41%	512 † + Q_1 (20)	25%
$5/2^-$		1170	523 † 2%	512 † + Q_1 (20)	97%		
$1/2^+$		1170	660 † 71%	642 † + Q_1 (22)	18%	651 † + Q_1 (22)	10%
$15/2^-$		1600	npp 624 † 402 † 541 †				

Table 6

Nucleus ^{185}Os ($\beta_{10} = 0.21$, $\beta_{10} = -0.03$)

K	Energy, KeV		Structure	
	Exp.	Theory		
$1/2^-$	0	0	510†92%	512†+Q ₁ (22) 7%
$3/2^-$	128	130	512†87%	510†+Q ₁ (22) 12%
$7/2^-$		210	503†93%	501†+Q ₁ (22) 5%
$9/2^+$		390	624†99%	
$11/2^+$		420	615†99%	
$3/2^-$		870	501†27% 512† 1%	503†+Q ₁ (22) 64% 512†+Q(20) 5%
$9/2^-$		960	505†97%	503†+Q ₁ (22) 3%
$7/2^-$		970	514†99%	512†+Q ₁ (22) 1%
$5/2^-$		1060	512†48%	510†+Q ₁ (22) 50%
$5/2^+$		1100	642† 6%	624†+Q ₁ (22) 94%
$7/2^+$		1110	633†96%	651†+Q ₁ (22) 4%
$13/2^+$		1130		624†+Q ₁ (22) 100%
$1/2^-$		1160	521†85%	510†+Q ₁ (20) 8% 521†+Q ₁ (22) 3%
$3/2^-$		1229	512† 6%	510†+Q ₁ (22) 88% 503†+Q ₁ (22) 2%

Table 7

Nucleus ^{179}Ta ($\beta_{\text{ex}} = 0.27$ $\beta_{\text{no}} = -0.03$)

K	Energy, KeV		Structure				
	Exp.	Theory					
$7/2^+$	0	0	404 \downarrow	100%			
$9/2^-$	31	20	514 \downarrow	100%			
$5/2^+$	238	530	402 \downarrow	96%	660 $\downarrow + Q_1$ (22)	2%	514 $\downarrow + Q_1$ (32) 1%
$1/2^+$	520	740	411 \downarrow	96%	411 $\downarrow + Q_1$ (22)	3%	
$1/2^-$	750	750	541 \downarrow	98%	532 $\downarrow + Q_1$ (22)	1%	
$3/2^+$		1110	651 \downarrow	1%	404 $\downarrow + Q_1$ (22)	99%	
$11/2^+$		1120			404 $\downarrow + Q_1$ (22)	100%	
$5/2^-$		1120			514 $\downarrow + Q_1$ (22)	99%	
$13/2^-$		1130			514 $\downarrow + Q_1$ (22)	100%	
$7/2^+$		1130			514 $\downarrow + Q_1$ (31)	100%	
$5/2^-$		1130			404 $\downarrow + Q_1$ (31)	100%	
$3/2^-$		1180	532 \downarrow	88%	404 $\downarrow + Q_1$ (32)	9%	541 $\downarrow + Q_1$ (22) 2%
$7/2^+$		1180			404 $\downarrow + Q_1$ (20)	100%	
$7/2^+$		1220			514 $\downarrow + Q_2$ (31)	100%	
$9/2^-$		1220			514 $\downarrow + Q_1$ (20)	100%	
$11/2^-$		1230			404 $\downarrow + Q_1$ (32)	100%	
$3/2^-$		1230	532 \downarrow	8%	404 $\downarrow + Q_1$ (32)	91%	
$5/2^+$		1230	402 \downarrow	1%	514 $\downarrow + Q_1$ (32)	99%	
$13/2^+$		1240			514 $\downarrow + Q_1$ (32)	100%	
$23/2^-$		1300	pnn 404 \downarrow 514 \downarrow 624 \downarrow				
$25/2^+$		1300	pnn 514 \downarrow 514 \downarrow 624 \downarrow				
$3/2^+$		1470	411 \downarrow	16%	411 $\downarrow + Q_1$ (22)	84%	
$5/2^+$		1550	413 \downarrow	1%	411 $\downarrow + Q_1$ (22)	99%	
$1/2^-$		1590			411 $\downarrow + Q_1$ (31)	100%	
$3/2^-$		1590			411 $\downarrow + Q_1$ (31)	100%	
$21/2^-$		1600	pnn 404 \downarrow 512 \downarrow 624 \downarrow				

Table 8

Nucleus ^{181}Ta ($\beta_{20} = 0,27$, $\beta_{40} = -0,03$)

K^π	Energy, KeV		Structure		
	Exp.	Theory			
$7/2^+$	0	0	404 \downarrow	100%	
$9/2^-$	6	10	514 \uparrow	100%	
$5/2^+$	482	560	402 \uparrow	98%	660 \uparrow + $Q_1(22)$ 1%
$1/2^-$		750	541 \downarrow	99%	532 \uparrow + $Q_1(22)$ 1%
$1/2^+$	615	810	411 \downarrow	97%	411 \uparrow + $Q_1(22)$ 2%
$3/2^+$		1120			404 \uparrow + $Q_1(22)$ 100%
$11/2^+$		1130			404 \uparrow + $Q_1(22)$ 100%
$7/2^+$		1130			514 \uparrow + $Q_1(31)$ 100%
$5/2^-$		1130			404 \uparrow + $Q_1(31)$ 100%
$9/2^-$		1130			404 \uparrow + $Q_1(31)$ 100%
$5/2^-$		1140			514 \uparrow + $Q_1(22)$ 100%
$13/2^-$		1140			514 \uparrow + $Q_1(22)$ 100%
$3/2^-$		1200	532 \uparrow	98%	541 \downarrow + $Q_1(22)$ 1%
$17/2^-$		1300	pnn 404 \uparrow	624 \uparrow	510 \uparrow
$19/2^+$		1300	pnn 514 \uparrow	624 \uparrow	510 \uparrow
$7/2^+$		1400			404 \uparrow + $Q_1(20)$ 100%
$9/2^-$		1400			514 \uparrow + $Q_1(20)$ 100%
$3/2^+$		1520	411 \uparrow	12%	411 \uparrow + $Q_1(22)$ 88%
$5/2^+$		1580	413 \downarrow	1%	411 \uparrow + $Q_1(22)$ 99%
$1/2^-$		1580			411 \uparrow + $Q_1(31)$ 100%
$3/2^-$		1580			411 \downarrow + $Q_1(31)$ 100%
$19/2^-$		1600	pnn 404 \uparrow	624 \uparrow	512 \downarrow
$7/2^-$		1690	523 \uparrow	98%	411 \uparrow + $Q_1(32)$ 1%
$1/2^-$		1740	530 \uparrow	96%	532 \downarrow + $Q_1(22)$ 2%

Table 9
Reduced probabilities for E2 transitions from ground
states

Nucleus	K	E(Kev)		B(E2) theor.	Contribution single-quasi- part.	Components quasi-part. + phonon
		Exp.	Theor.			
^{179}W	$3/2^-$		810	0.1	$514 \downarrow$ 80%	$514 \downarrow + Q_1(22)$ 80%
	$3/2^-$		1420	0.8	$512 \downarrow$ 6%	$514 \downarrow + Q_1(22)$ 95%
	$11/2^-$		1370	0.9		$514 \downarrow + Q_1(22)$ 100%
^{181}W	$5/2^+$		1100	0.8	$642 \uparrow$ 13%	$624 \uparrow + Q_1(22)$ 85%
	$5/2^+$		1390	0.1	$642 \uparrow$ 74%	$624 \uparrow + Q_1(22)$ 15%
	$13/2^+$		1150	0.9		$624 \uparrow + Q_1(22)$ 100%
^{183}W	$3/2^-$	209	190	0.1	$512 \downarrow$ 92%	$510 \uparrow + Q_1(22)$ 7%
	$3/2^-$		1490	0.8	$512 \downarrow$ 4%	$510 \uparrow + Q_1(22)$ 93%
	$5/2^-$	905	1160	0.1	$512 \downarrow$ 67%	$510 \uparrow + Q_1(22)$ 12%
	$5/2^-$		1450	0.7	$512 \downarrow$ 2%	$510 \uparrow + Q_1(22)$ 80%
	$5/2^-$		1580	0.1	$512 \downarrow$ 28%	$510 \uparrow + Q_1(22)$ 8%
^{185}W	$7/2^-$		1080	1.3	$514 \downarrow$ 1%	$512 \uparrow + Q_1(22)$ 99%
	$1/2^-$		1080	1.3		$512 \uparrow + Q_1(22)$ 100%
^{183}Os	$5/2^+$		890	0.4	$642 \uparrow$ 50%	$624 \uparrow + Q_1(22)$ 44%
	$5/2^+$		1100	0.6	$642 \uparrow$ 38%	$624 \uparrow + Q_1(22)$ 56%
	$13/2^+$		990	1.3		$624 \uparrow + Q_1(22)$ 100%
^{185}Os	$5/2^-$		1060	0.6	$512 \downarrow$ 48%	$510 \uparrow + Q_1(22)$ 50%
	$3/2^-$	128	130	0.1	$512 \downarrow$ 87%	$510 \uparrow + Q_1(22)$ 12%
	$3/2^-$		1229	1.2	$512 \downarrow$ 6%	$510 \uparrow + Q_1(22)$ 88%
^{179}Ta	$3/2^+$		1110	0.9	$651 \uparrow$ 1%	$404 \downarrow + Q_1(22)$ 99%
	$11/2^+$		1120	0.9		$404 \downarrow + Q_1(22)$ 100%
^{181}Ta	$3/2^+$		1120	0.9		$404 \downarrow + Q_1(22)$ 100%
	$11/2^+$		1130	0.9		$404 \downarrow + Q_1(22)$ 100%

Table 10

Energies of three-quasiparticle states without the account of spin splitting of multiplets

Nucleus	K	Structure	Energy, KeV	
			Exp.	Theory
^{177}Tb	$17/2^+$	n 624 ↓ p 411 ↓ p 404 ↓		1400
	$19/2^-$	n 624 ↓ p 411 ↓ p 514 ↑		1600
	$15/2^-$	n 514 ↑ p 411 ↓ p 404 ↑		1800
	$25/2^-$	n 624 ↑ p 404 ↓ p 514 ↑		2100
^{177}Hf	$23/2^+$	n 514 ↓ p 404 ↓ p 514 ↑	1315	1200
	$25/2^-$	n 624 ↓ p 404 ↓ p 514 ↑		1300
	$21/2^+$	n 512 ↑ p 404 ↓ p 514 ↑		1400
^{179}Hf	$25/2^-$	n 624 ↑ p 404 ↓ p 514 ↓	1106	1200
	$23/2^+$	n 514 ↓ p 404 ↓ p 514 ↑		1600
	$17/2^+$	n 510 ↑ p 404 ↓ p 514 ↑		1700
^{181}Hf	$17/2^+$	n 510 ↑ p 404 ↓ p 514 ↑		1200
	$19/2^+$	n 512 ↓ p 404 ↓ p 514 ↑		1400
	$27/2^-$	n 615 ↑ p 404 ↓ p 514 ↑		1600
	$25/2^-$	n 624 ↑ p 404 ↓ p 514 ↑		1800